

# A talk on X-ray imaging of small bubbles in water...



Katasushika Hokusai (1760-1849)



*small bubbles actually*

cavitation bubble = (quasi-) spherical gas phase in liquid  
when hydrostatic pressure falls below vapor pressure

*far from equilibrium -*

created by laser pulse (optical breakdown)  
of strong ultrasound field

Tim Salditt

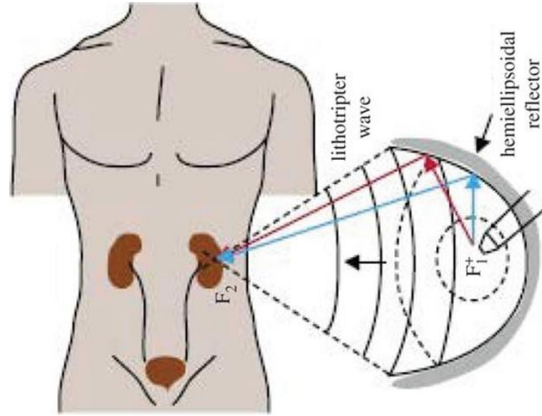
Institut für Röntgenphysik, Universität Göttingen

MID workshop, XFEL/DESY User Meeting, 24.1.2022



# learn about cavitation

relevant for engineering, life sciences & medicine



Different biomedical applications:

- Surgery / laser-tissue interaction
- drug delivery
- contrast enhancement in radiology

Lithotripter / phacoemulsification / ultrasound fat cavitation

Cavitation limits performance of :

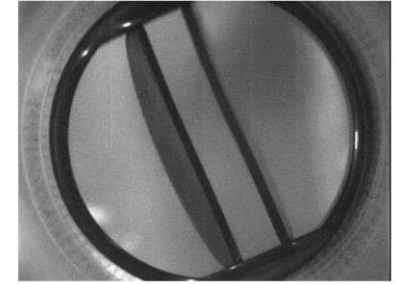
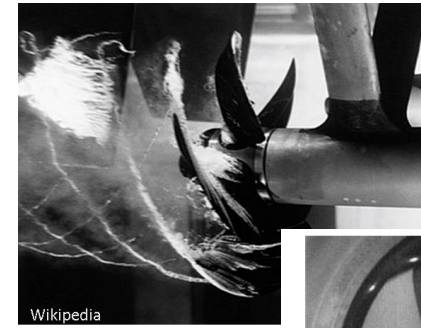
- ship propellers, blades
- pumps, motors

Cavitation enables:

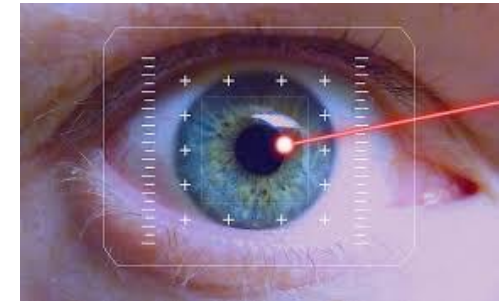
- ultrasonic cleaning
- Laser ablation for drilling & hardening
- nano-particle production

Surgery :

- Ophthalmology  
(e.g. lens membrane destruction following cataract surgery)
- Urology and gastroenterology  
(e.g., kidney and gall stone ablation and fragmentation)
- Cardiology and vascular surgery  
(e.g., laser ablation, removal of fibro-fatty, calcified arterial plaque)



artificial heart valves

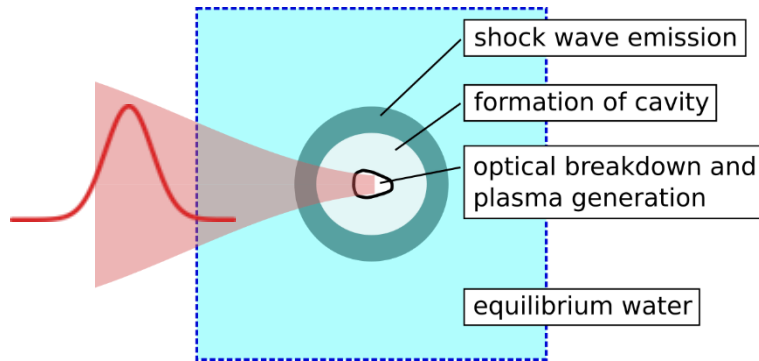


*Laser-induced cavitation!*

# and learn about **water** *under extreme conditions*



*controlled dynamics!*

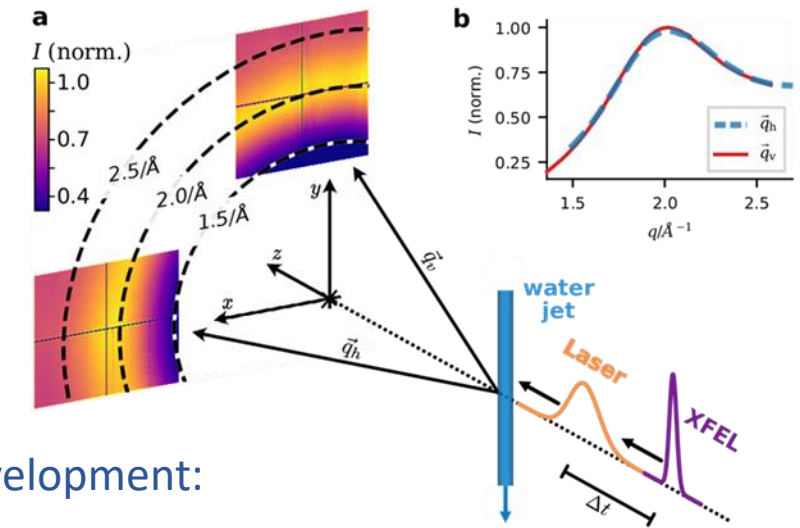
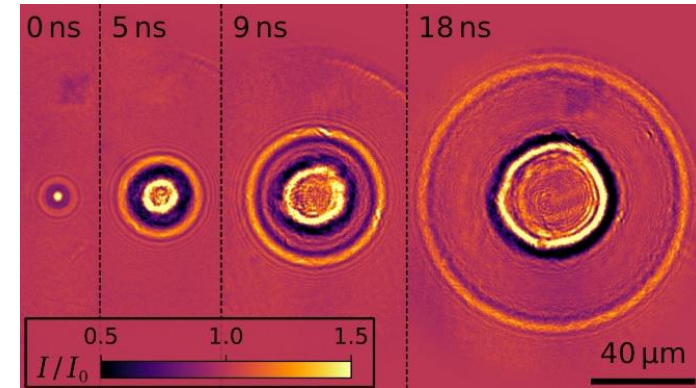


*imaging & diffraction!*

**&**

*high spatial & temporal resolution !*

## Single Pulse Full-field holographic X-ray imaging



## method development:

Osterhoff et al. *Nanosecond Timing and Synchronisation for Holographic Pump-Probe Studies at XFELs*. Journal of Synchrotron Radiation 2021

Hagemann et al., *Single-pulse phase-contrast imaging at free-electron lasers in the hard X-ray regime*. Journal of Synchrotron Radiation 2021.

recent results obtained at MID:

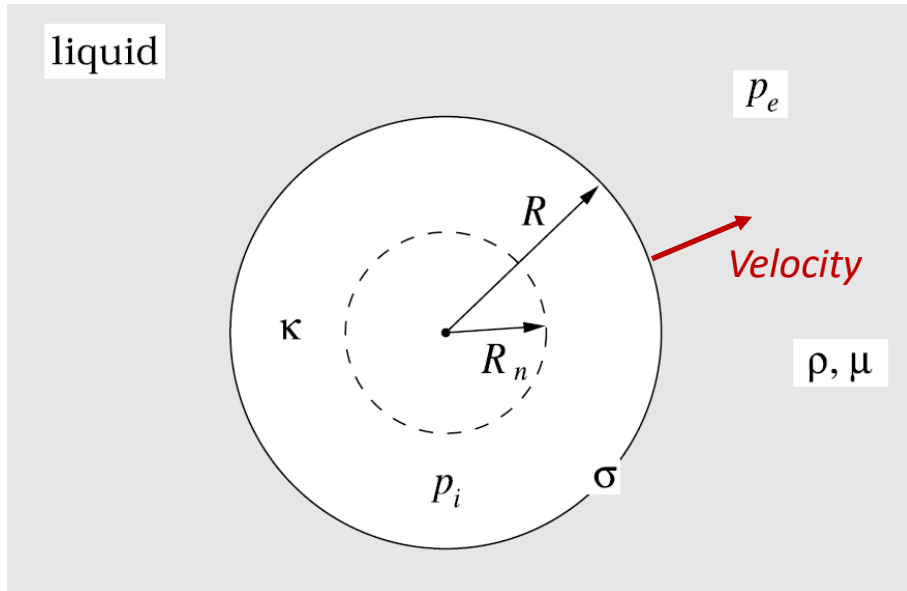
- shockwaves / equation of state @extreme conditions (p2207 & p2545)
- laser-induced breakdown (p2807)
- cavitation bubble collapse (p2807)

Vassholz et al., *Pump-probe X-ray holographic imaging of laser-induced cavitation bubbles with femto-second FEL pulses*. Nature Communications 2021

Vassholz et al., unpublished MS

Hoeppe et al., in preparation

# Physics of bubbles and bubble oscillations



R: radius  
 $R_n$ : radius at equilibrium  
 $p_i$ : internal pressure  
 $p_e$ : external pressure  
 $\sigma$ : surface tension  
 $\kappa$ : adiabatic exponent  
 $\rho$ : density  
 $\mu$ : (dynamics) viscosity

Interesting and extreme  
 physical states and phenomena:

$$\rho R \ddot{R} + \frac{3}{2} \dot{R}^2 = p_i - p_e$$

Rayleigh equation (1917)

$$\rho R \ddot{R} + \frac{3}{2} \dot{R}^2 = p_{gn} \left( \frac{R_n}{R} \right)^{3\kappa} + p_v - p_{stat} - \frac{2\sigma}{R} - \frac{4\mu}{R} \dot{R} - p(t)$$

Rayleigh-Plesset equation

$$p - p_0 = B \left( \left( \frac{\rho}{\rho_0} \right)^m - 1 \right)$$

Tait eq.

$$B = K/m \quad m = c_p/c_v \simeq 7$$

- bubble collapse:  $T$  ?  $p$  ?  $R_{min}$  ?
- *sonoluminescence*
- cavitation in artificial heart valves
- nature of the interfaces
- equation of state of  $H_2O$ : beyond Tait

*...a lot is known, but all based on bubble trajectory,  
 how about interior ? Always a clear phase separation ?*



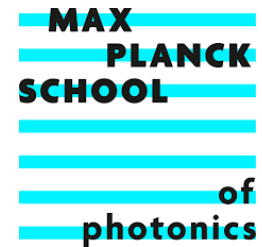
# Small bubble collaboration & Acknowledgements

**Hannes Hoeppe**, Markus Osterhoff, Malte Vassholz, Juan Rosello, Atiyeh Aghelmaleki, Robert Mettin, Tim Salditt  
*Universität Göttingen, III-Phys. Inst.-Biophysik & Institut für Röntgenphysik*

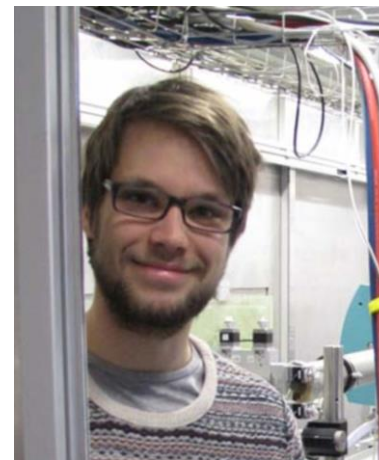
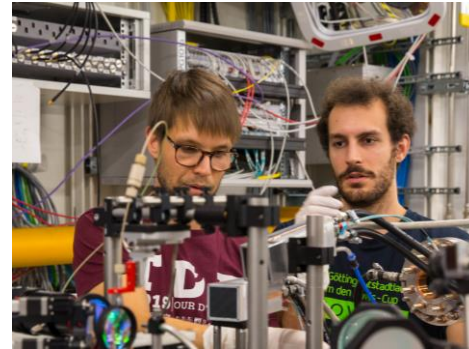
**Johannes Hagemann**, Frank Seiboth, Andreas Schropp, Christian G. Schroer, *DESY Photon Science*

Johannes Möller, Jörg Hallmann, Ulrike Boesenberg, Chan Kim, Markus Scholz, Alexey Zozulya, Wei Lu, Roman Shayduk, Robert Schaffer, Anders Madsen  
*MID / XFEL*

UAC MID 06/2019 @14keV  
Beamtime 10/ 2019 @17.8keV  
(p2207 & p2545)  
Beamtime 10/2021 @18keV  
(p2807)



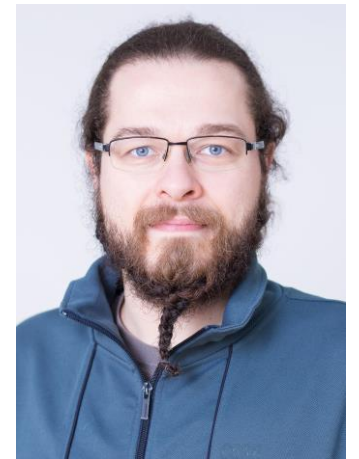
Hannes Paul Hoeppe



Malte Vassholz



Markus Osterhoff



Johannes Hagemann

# Research questions

Plasma generated by  
Optical breakdown  
Multi-photon absorption  
 $I > 10^{12} \text{ W/cm}^2$

A) For laser-generated cavitation bubble:

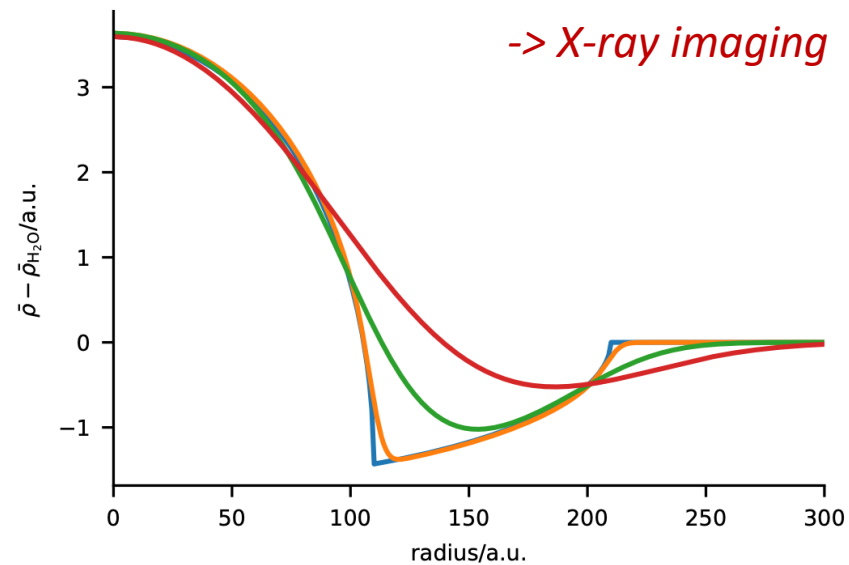
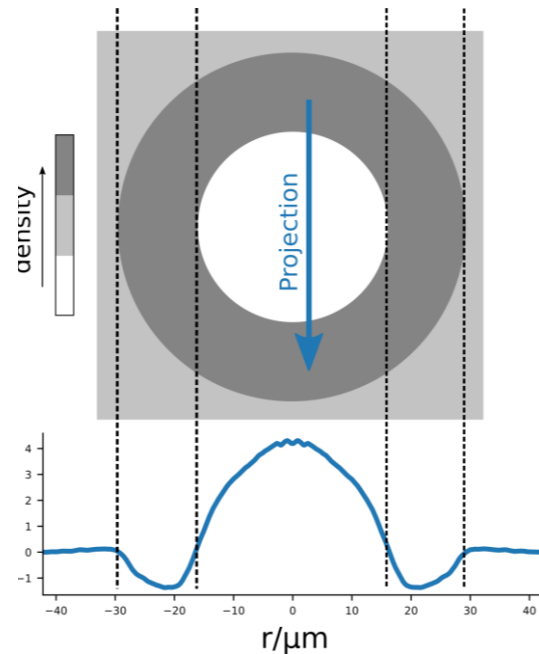
better understanding of **transition from plasma to cavitation bubble**

B) Shock wave effects can be useful or unwanted depending on applications

-> detailed knowledge of the shock emission processes and the **properties of the shock wave** required

C) Fundamental physics: extreme conditions at **bubble collapse** (sonoluminescence,  $T > 10^4 \text{ K}$ )

*Challenge: Spatio-temporal resolution, contrast  
refraction, scattering, opacity, resolution –*

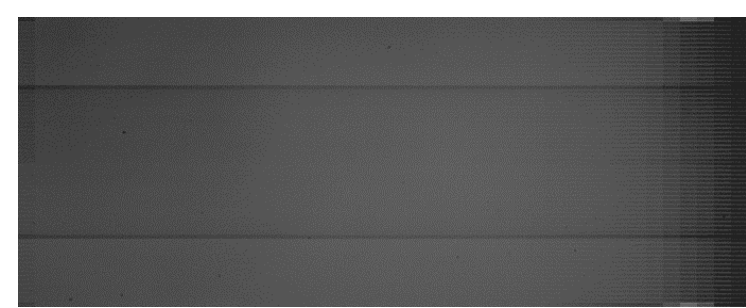


- bubble evolution
- density of the shockwave ?
- sharp interfaces gas/water ?

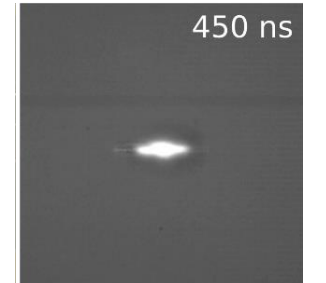
*radial density profile !*

# High speed optical imaging

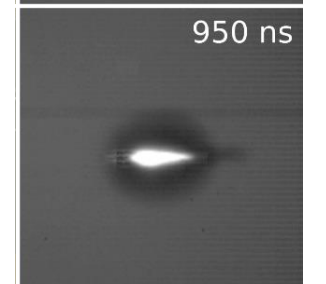
Hannes Hoeppe,  
Juan Rosello



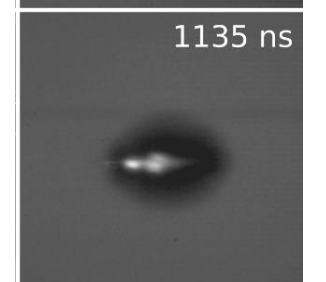
0 ns



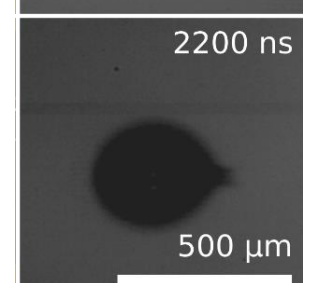
450 ns



950 ns



1135 ns



2200 ns

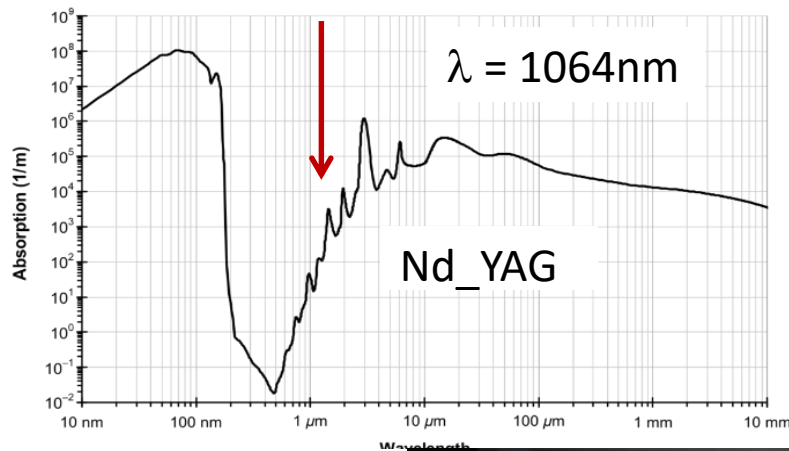
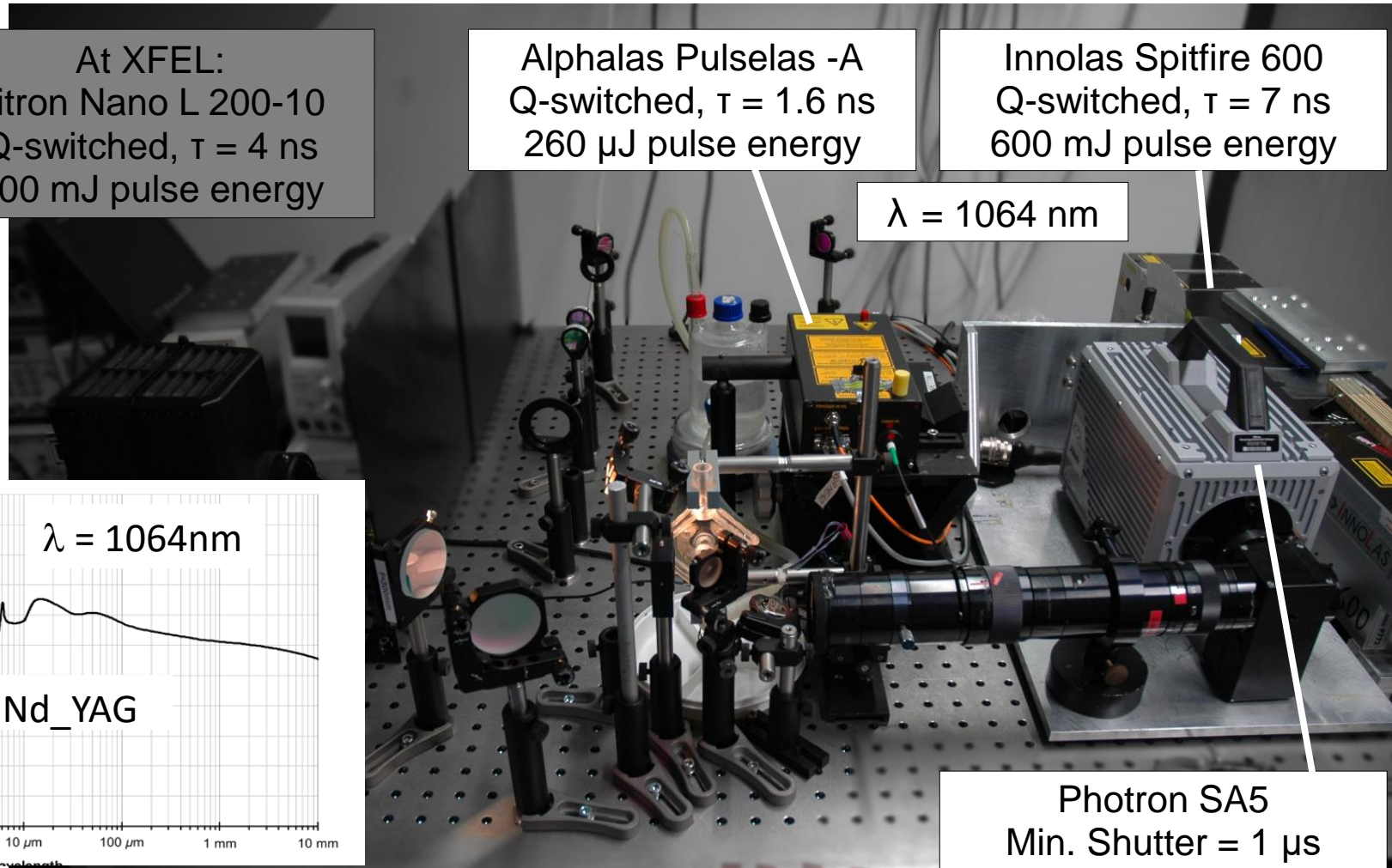
500  $\mu$ m

At XFEL:  
Litron Nano L 200-10  
Q-switched,  $\tau = 4$  ns  
200 mJ pulse energy

Alphas Pulselas -A  
Q-switched,  $\tau = 1.6$  ns  
260  $\mu$ J pulse energy

Innolas Spitfire 600  
Q-switched,  $\tau = 7$  ns  
600 mJ pulse energy

$\lambda = 1064$  nm

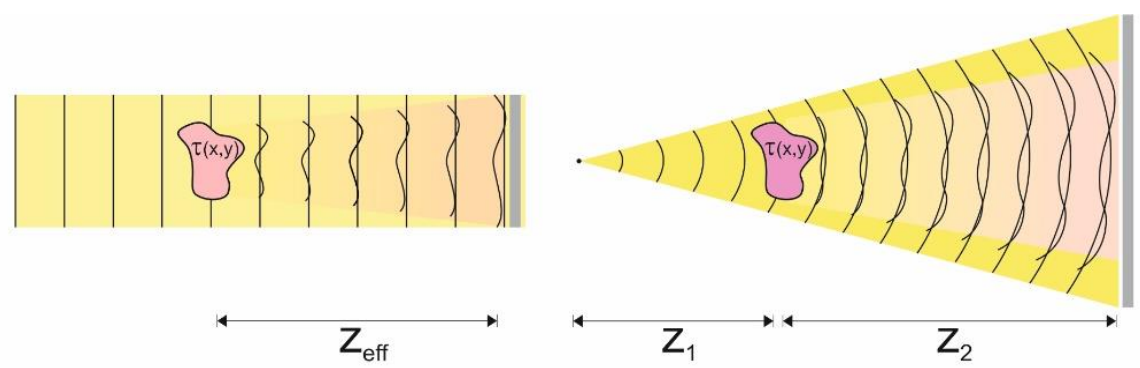


Photron SA5  
Min. Shutter = 1  $\mu$ s  
Max. Rep. Rate = 1 MHz



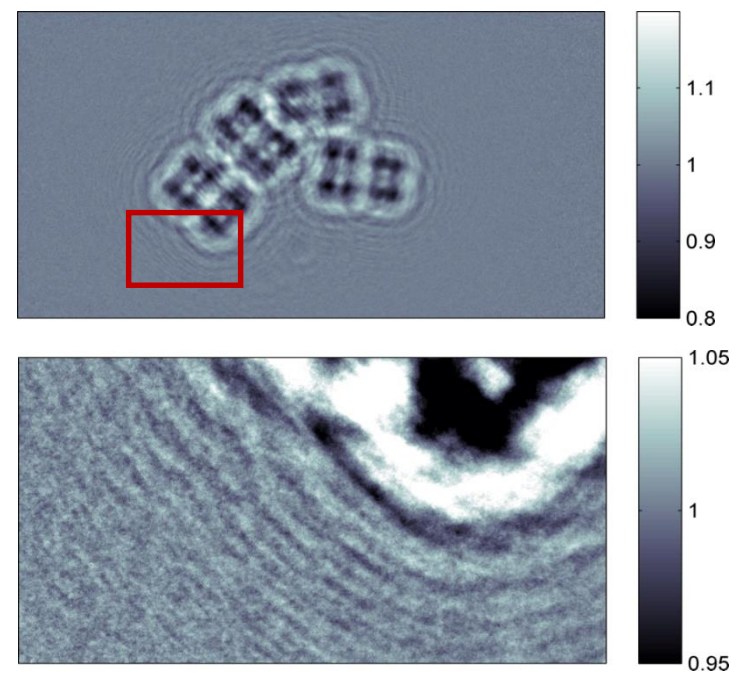
# Full-field X-ray imaging / (inline) holography

SR: Blurring of fringes & low signal in water



$$M = \frac{z_1 + z_2}{z_1}$$

$$z_{eff} = \frac{z_1 z_2}{z_1 + z_2}$$

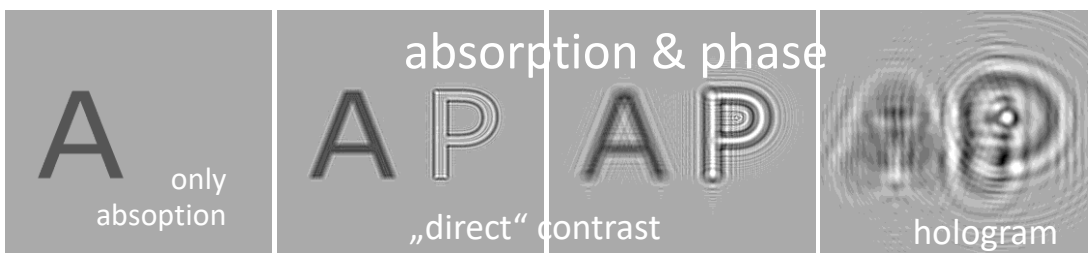


object with complex transmission function  $\tau(x,y)$

$$\psi_z = FT^{-1} [ \exp[iz\sqrt{k^2 - k_x^2 - k_y^2}] FT[\psi_0] ]$$



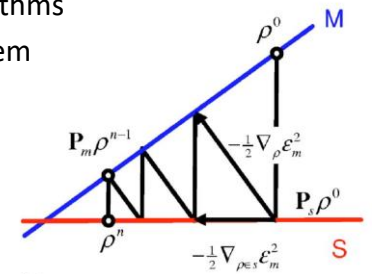
Absorption Phase



Fresnel number F

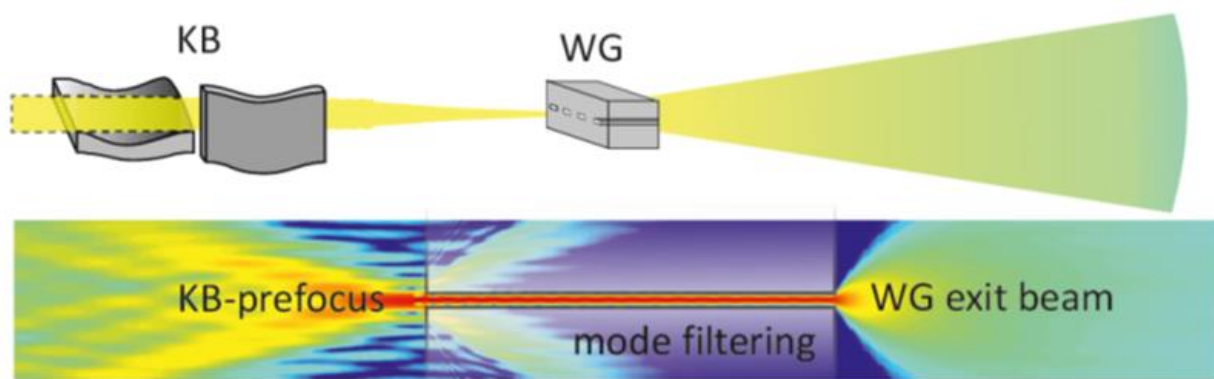
**XFEL: no motional blurring, sharp holograms, outrun radiation damage!**

iterative projection algorithms to solve the phase problem

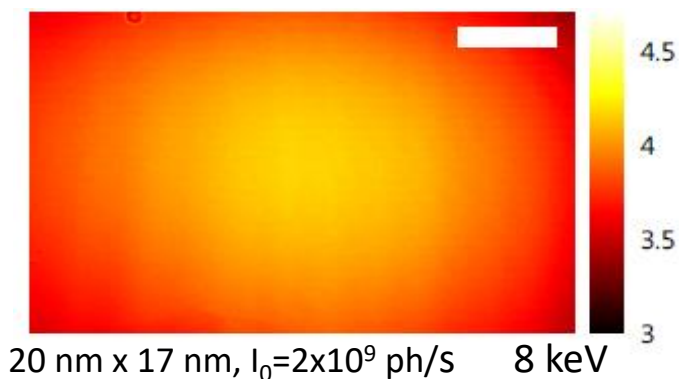




# The empty beam problem in holography



waveguide farfield



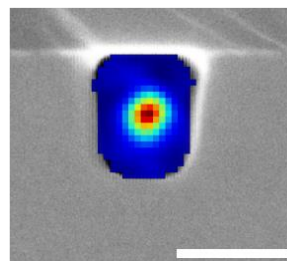
Simultaneous probe and object reconstruction for the near-field  
A.L. Robisch, K. Kröger, A. Rack, T.Salditt, N.J.Phys. 2015

Reconstruction of wave front and object for inline holography  
from a set of detection planes  
J.Hagemann, A.L.Robisch et al., Optics express 2014

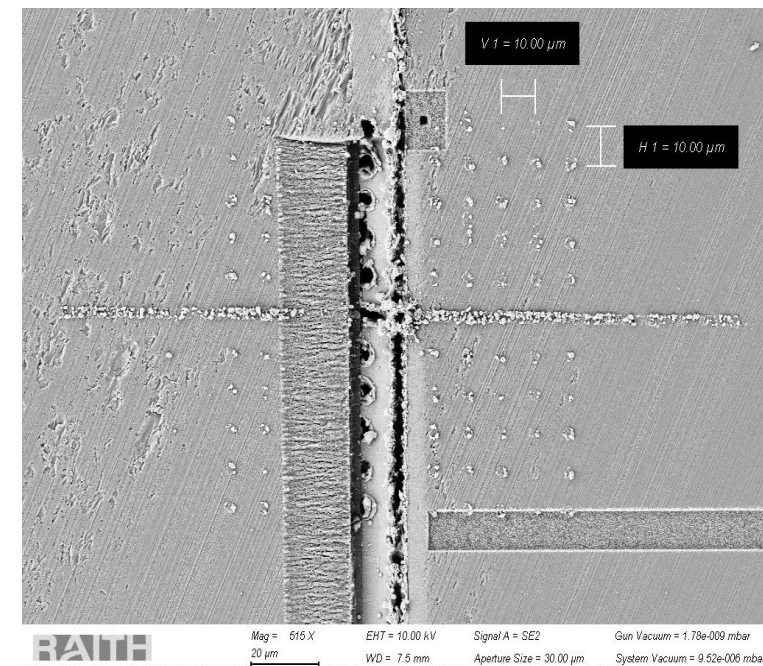
Validity of the empty-beam correction in near-field imaging  
C. Homann, T.Hohage, J. Hagemann, A.L. Robisch, T.Salditt  
Physical Review A 2014

Divide and update: towards single-shot object and probe retrieval for near-field holography  
J. Hagemann, and T. Salditt Opt.Expr. 2018

Holographic imaging with a hard x-ray nanoprobe: Ptychographic vs. conventional phase retrieval  
A.-L. Robisch et al., J. Wallentin, A. Pacureanu, P. Cloetens, and T. Salditt Opt.Lett. 2016

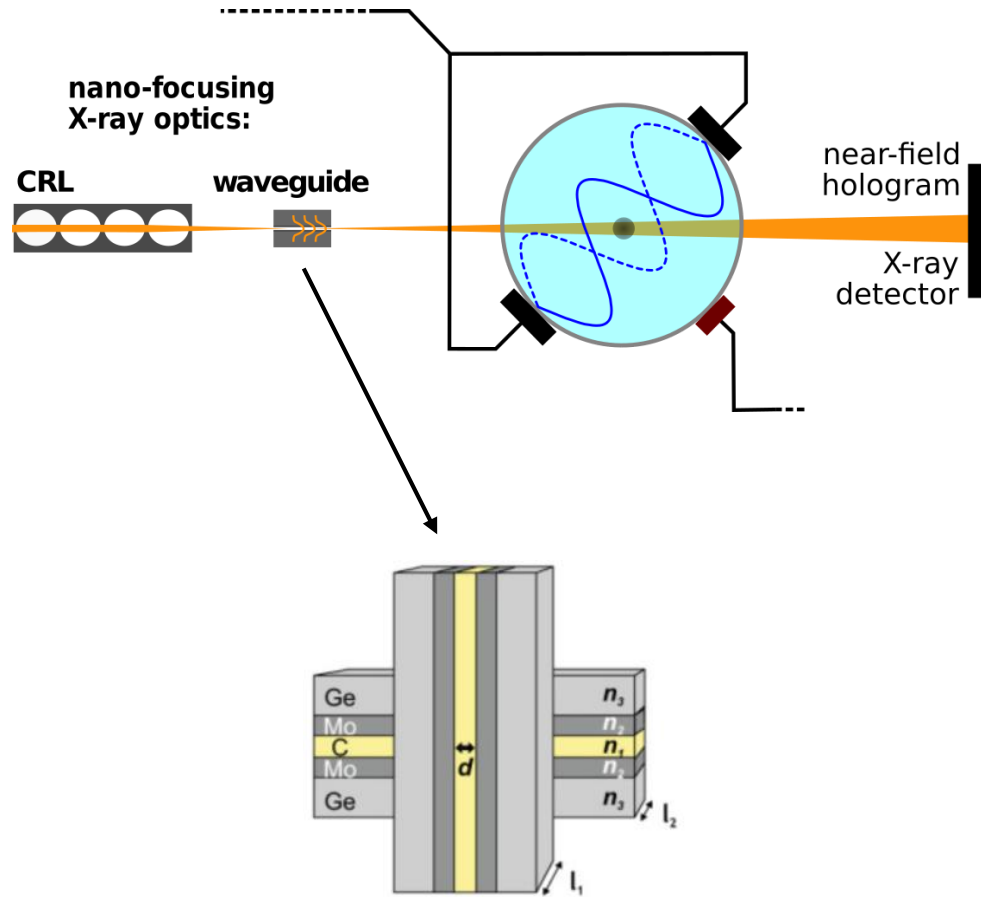


*waveguide optics  
to clean the probe !*



*in 10 Hz MID beam (after alignment) !*

# Waveguides at XFEL: first exposure

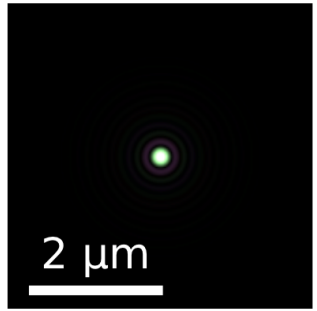
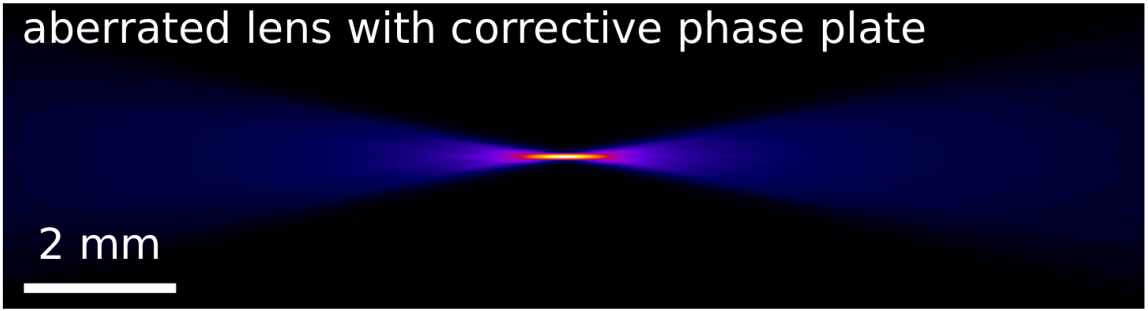
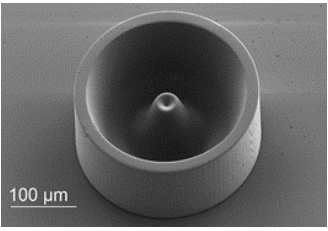
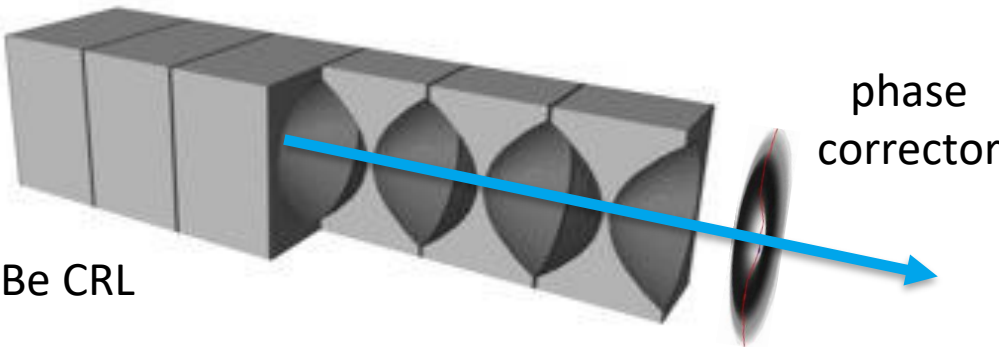
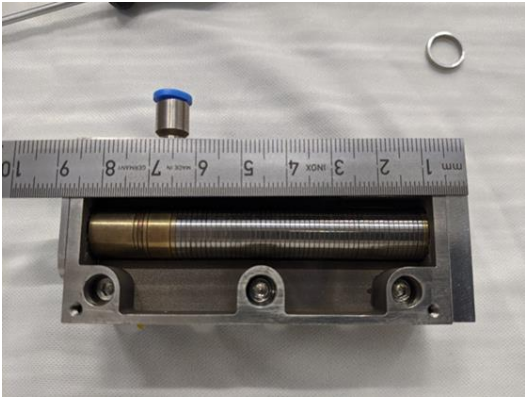


After alignment procedures



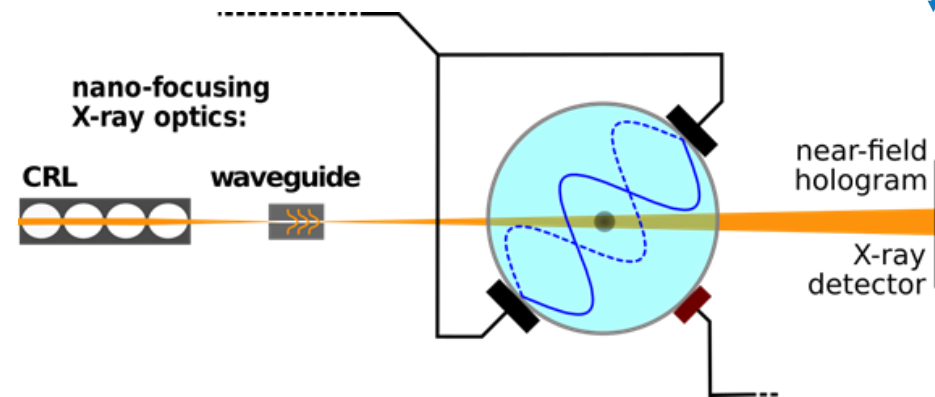
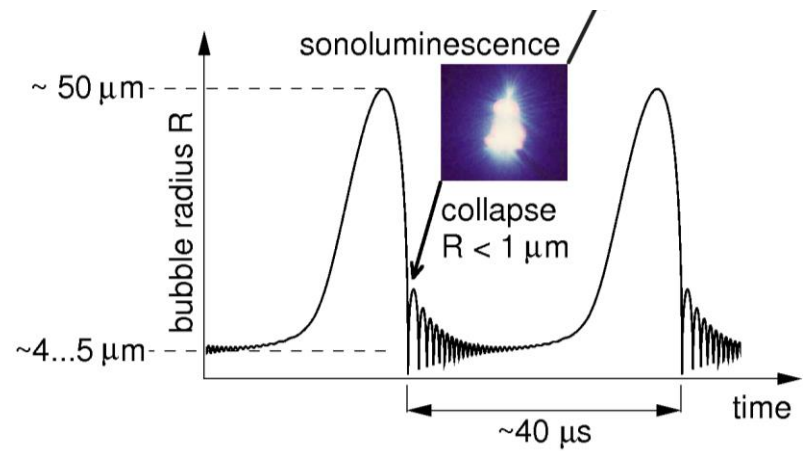
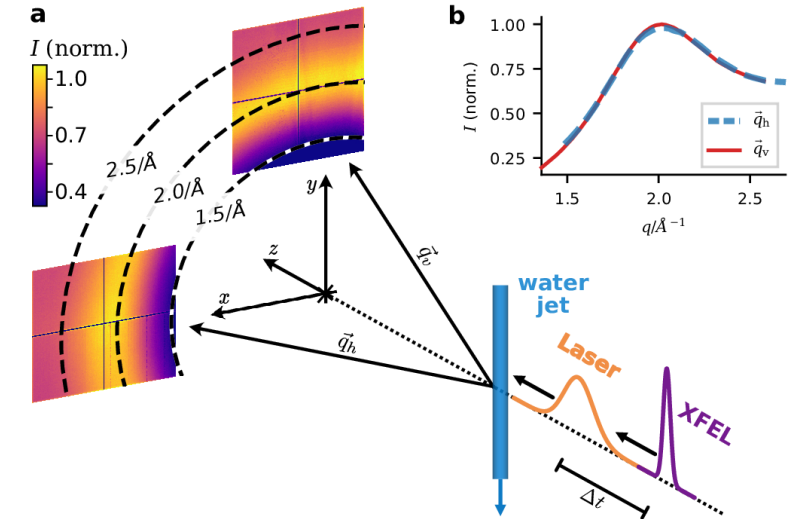
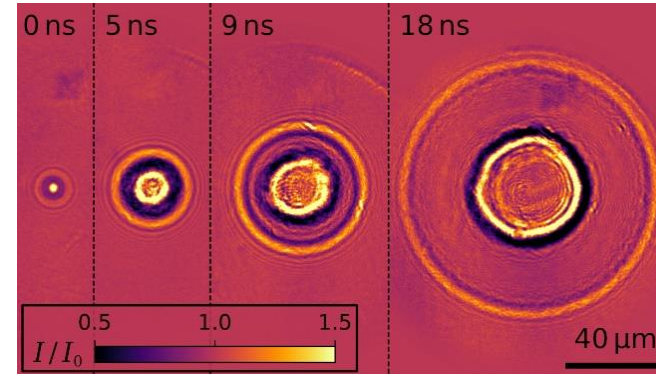
# CRL (Be) focusing to ~80nm

- stack of 50 Be lenses, 300  $\mu\text{m}$  aperture
- $f = 297 \text{ mm}$  @ 14 keV
- spot size ~80 nm
- printed polymer phase plate to correct aberrations



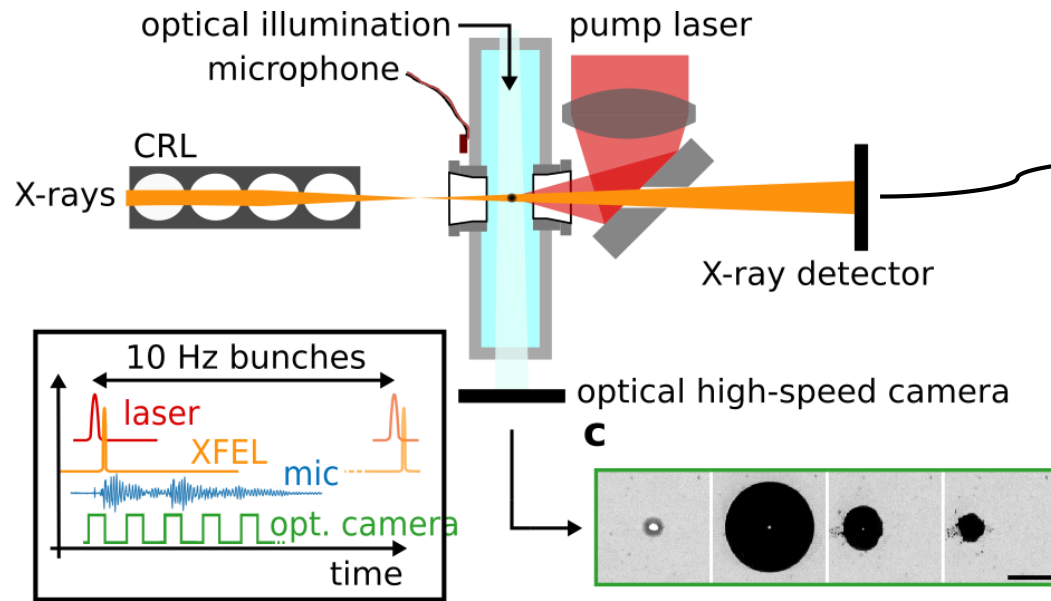
# Outline

- 1) Recap 2019 experiments – *holography*
- 2) *diffraction from a shockwave*
- 3) Femtosecond laser-induced breakdown
- 4) Bubble collapse

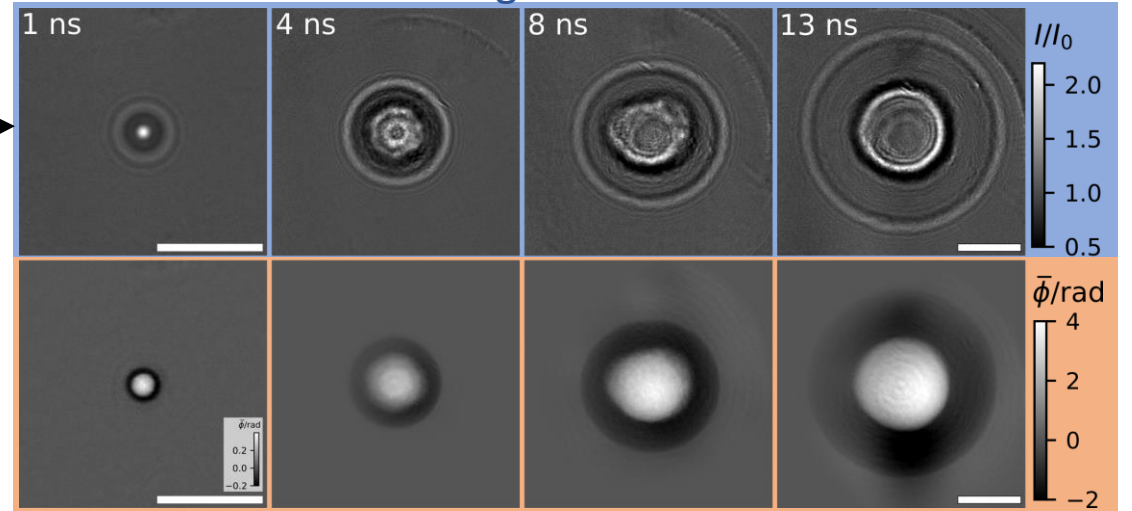




# 1. X-ray FEL imaging of nanosecond laser-induced cavitation (2019)



Flat-field corrected Holograms



AP phase reconstruction

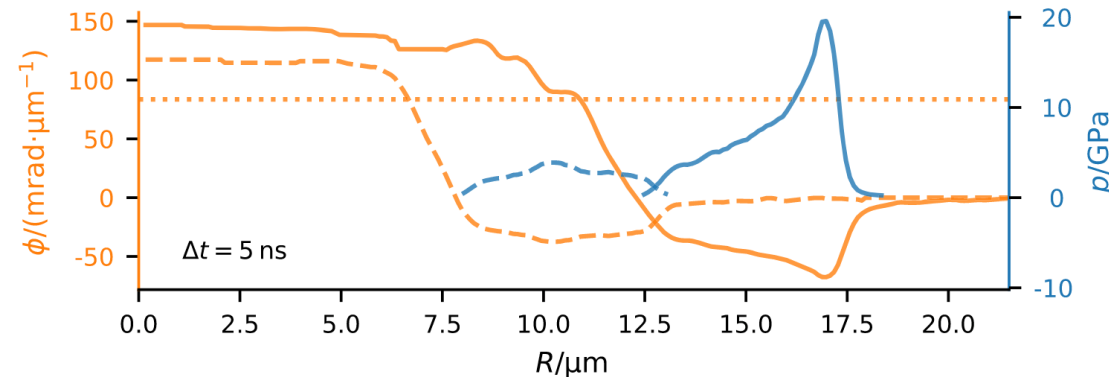
Mass density

$$\rho(R) = \rho_0 \left( 1 - \frac{\phi(R)}{k \delta} \right)$$

Tait EOS

$$\frac{p(R) + B}{p_\infty + B} = \left( \frac{\rho(R)}{\rho_0} \right)^n$$

13



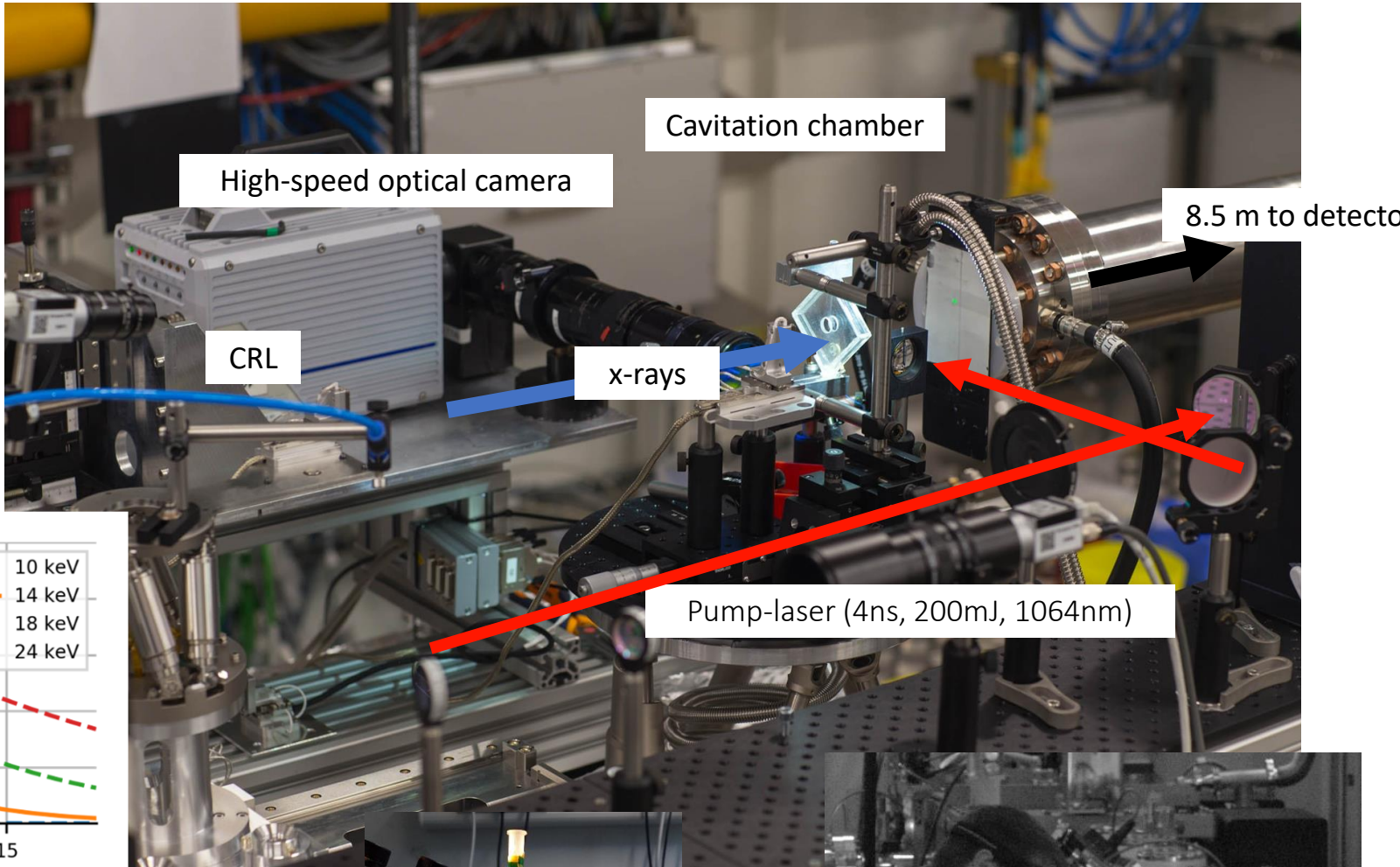
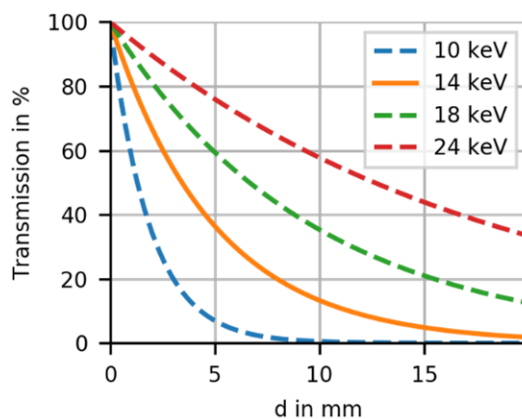
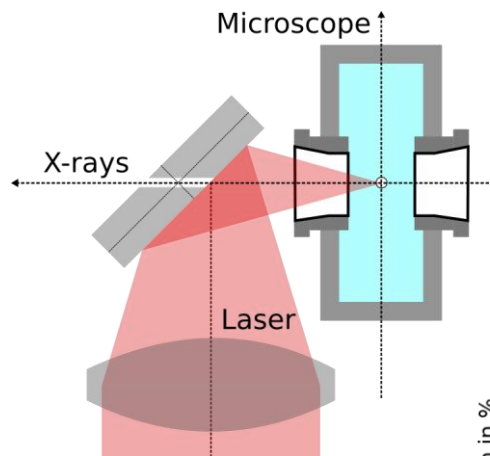
ARTICLE

<https://doi.org/10.1038/s41467-021-22664-1> OPEN

Pump-probe X-ray holographic imaging of laser-induced cavitation bubbles with femtosecond FEL pulses

M. Vassholz<sup>1</sup>, H. P. Hoeppe<sup>1</sup>, J. Hagemann<sup>2</sup>, J. M. Rosselló<sup>3</sup>, M. Osterhoff<sup>1</sup>, R. Mettin<sup>3</sup>, T. Kurz<sup>3</sup>, A. Schropp<sup>2</sup>, F. Seiboth<sup>2</sup>, C. G. Schroer<sup>2,4</sup>, M. Scholz<sup>5</sup>, J. Möller<sup>5</sup>, J. Hallmann<sup>5</sup>, U. Boesenberg<sup>5</sup>, C. Kim<sup>5</sup>, A. Zozulya<sup>5</sup>, W. Lu<sup>5</sup>, R. Shayduk<sup>5</sup>, R. Schaffer<sup>5</sup>, A. Madsen<sup>5</sup> & T. Salditt<sup>1,5\*</sup>

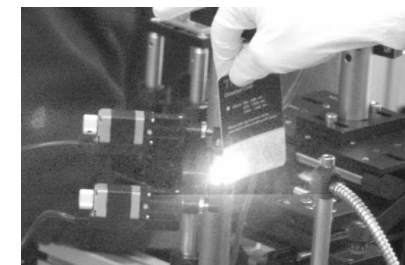
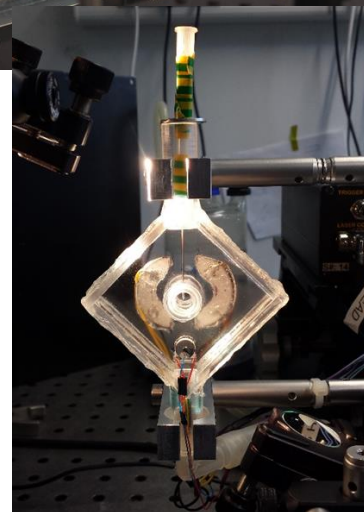
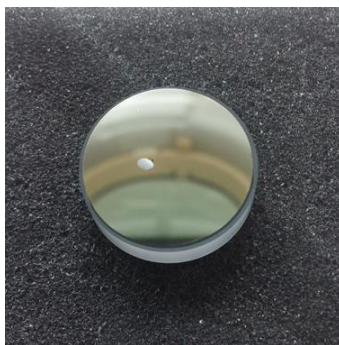
# Cavitation cuvette x-ray compatible...



- compatible with XFEL defocused beam
- compatible with IR laser
- compatible with speed optical camera

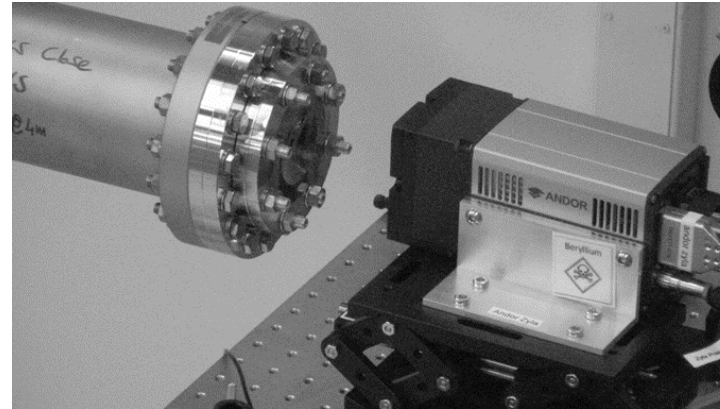
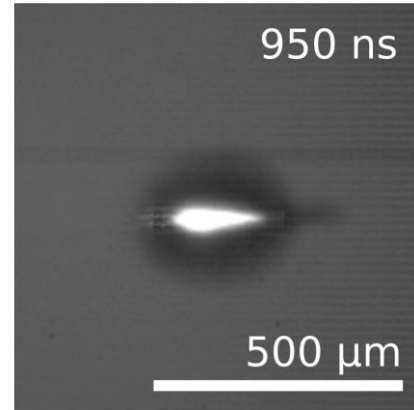
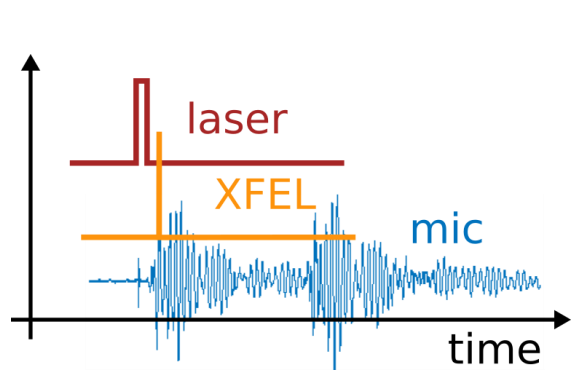
-> anti-parallel XFEL and IR-beams

Mirror with drilled hole



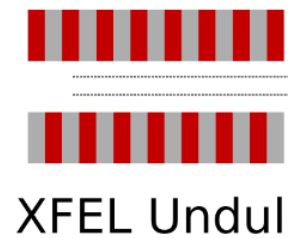
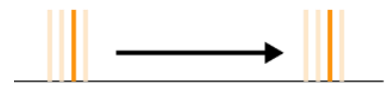
*IR- alignment*

# Settings at MID / exp. parameters



Andor Zyla 5.5 HF  
 20μm LuAG:Ce  
 px=6.5μm  
 z=8.859m

10 Hz bunches



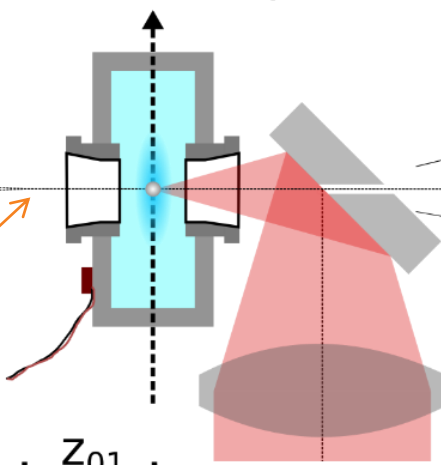
XFEL Undulator



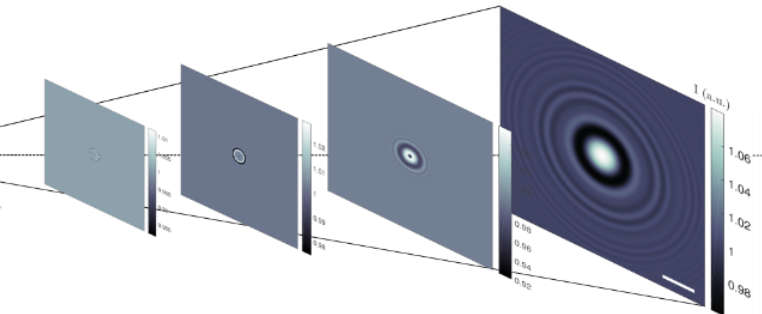
CRL

Microphone

Microscope



X-ray hologram



$px_{\text{eff}} = 100 \text{ nm}$

10 Hz  
 600 μJ / pulse  
 $3 \cdot 10^{11}$  ph / pulse  
 $\tau < 100\text{fs}$   
 E = 14keV (UAC)  
 E = 18keV (Oct.19)

$W_{0,x} = 100 \text{ nm, div} = 0.6 \text{ mrad}$

$M = 61 \quad px_{\text{eff}} = 107 \text{ nm}$

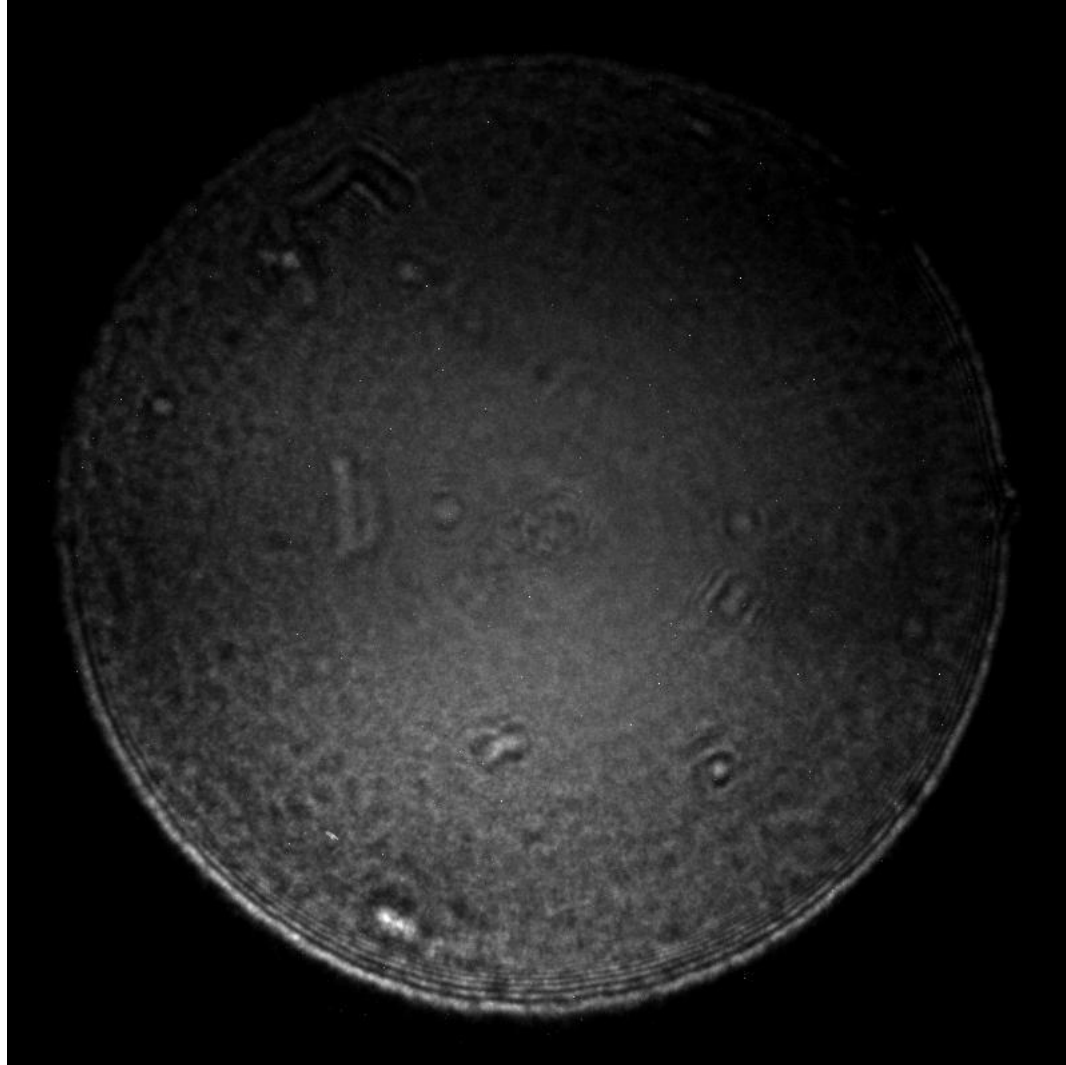


And this is how it looks – *meet your probe* !

*in terms of*

- *divergence,*
- *pointing stability*
- *signal*

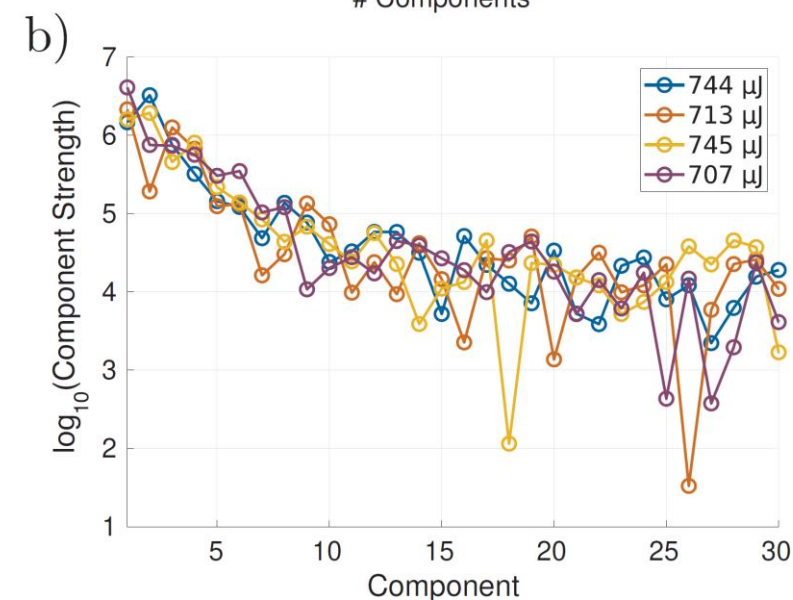
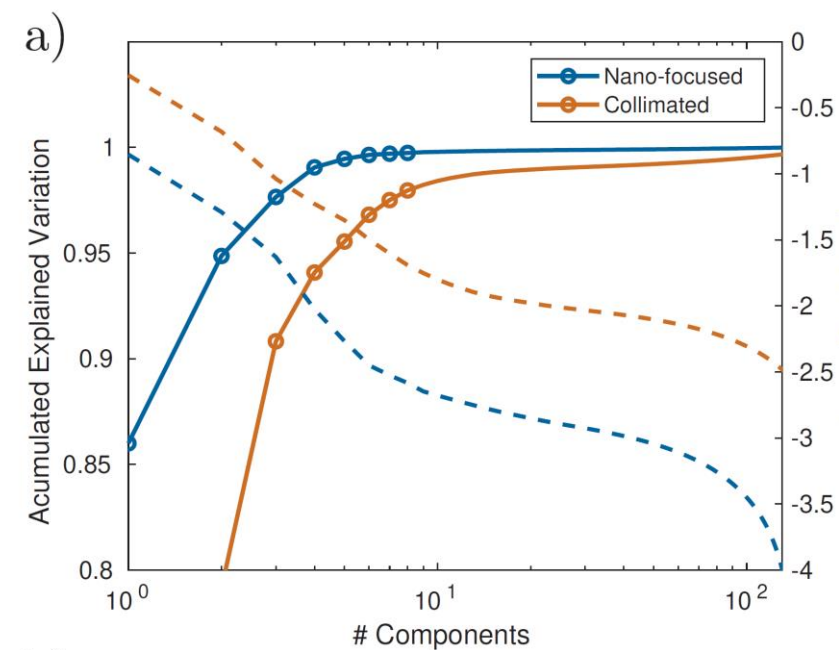
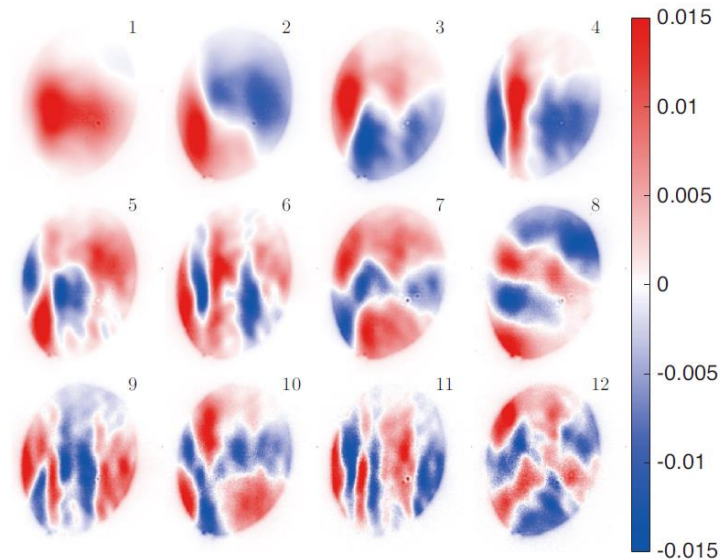
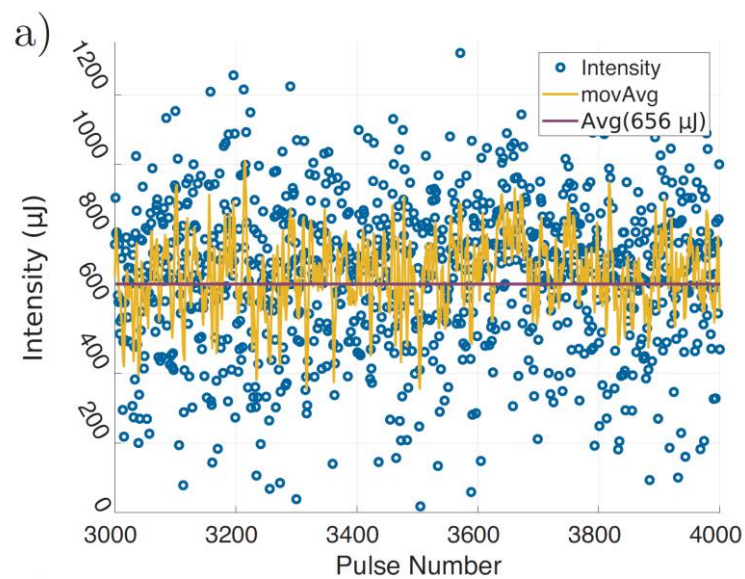
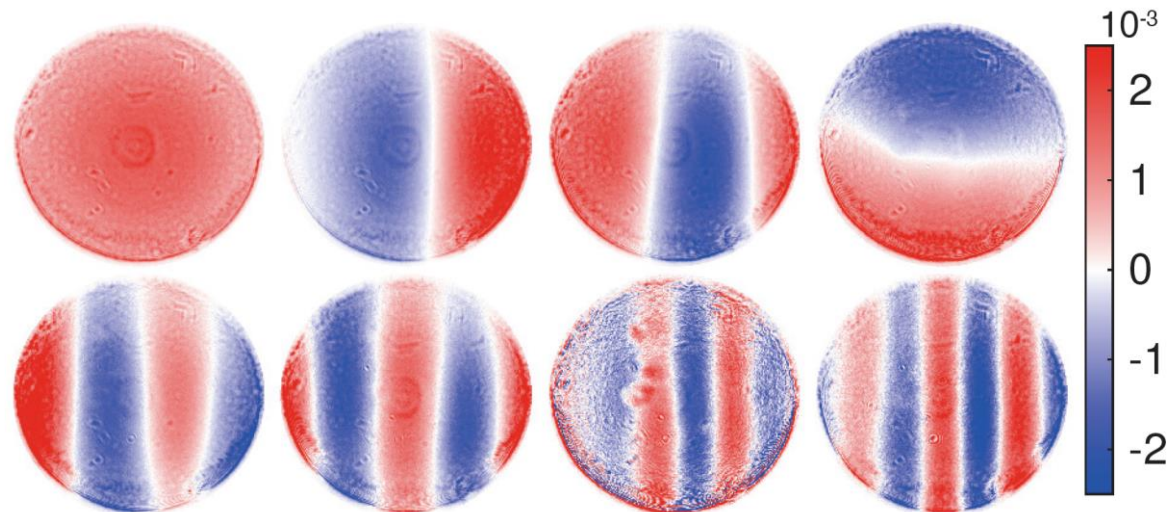
*it is all actually  
not too bad  
for a single pulse!*



*But how to  
perform the  
flat field correction?*



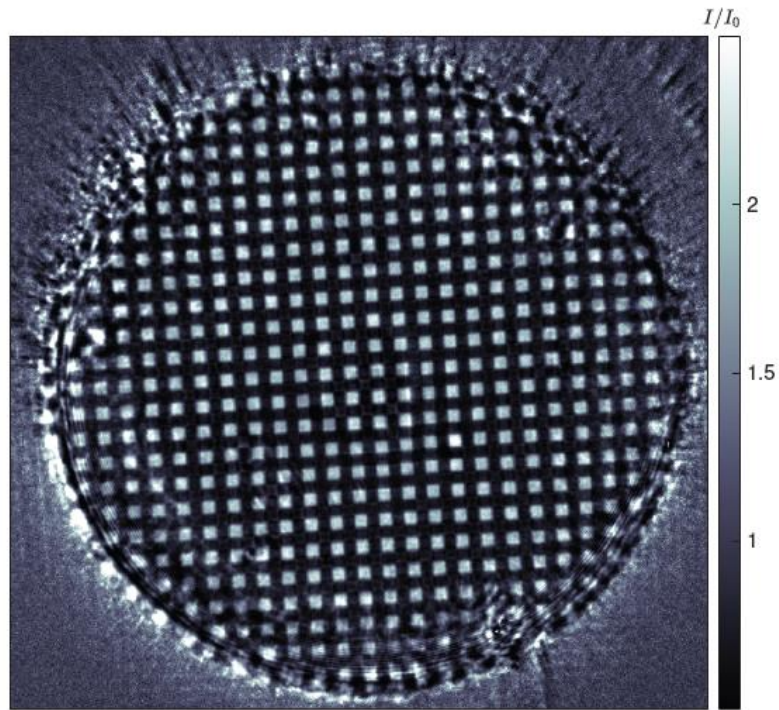
# Let's decompose (PCA analysis)





# Let's decompose (PCA analysis)

*now imaging works!*

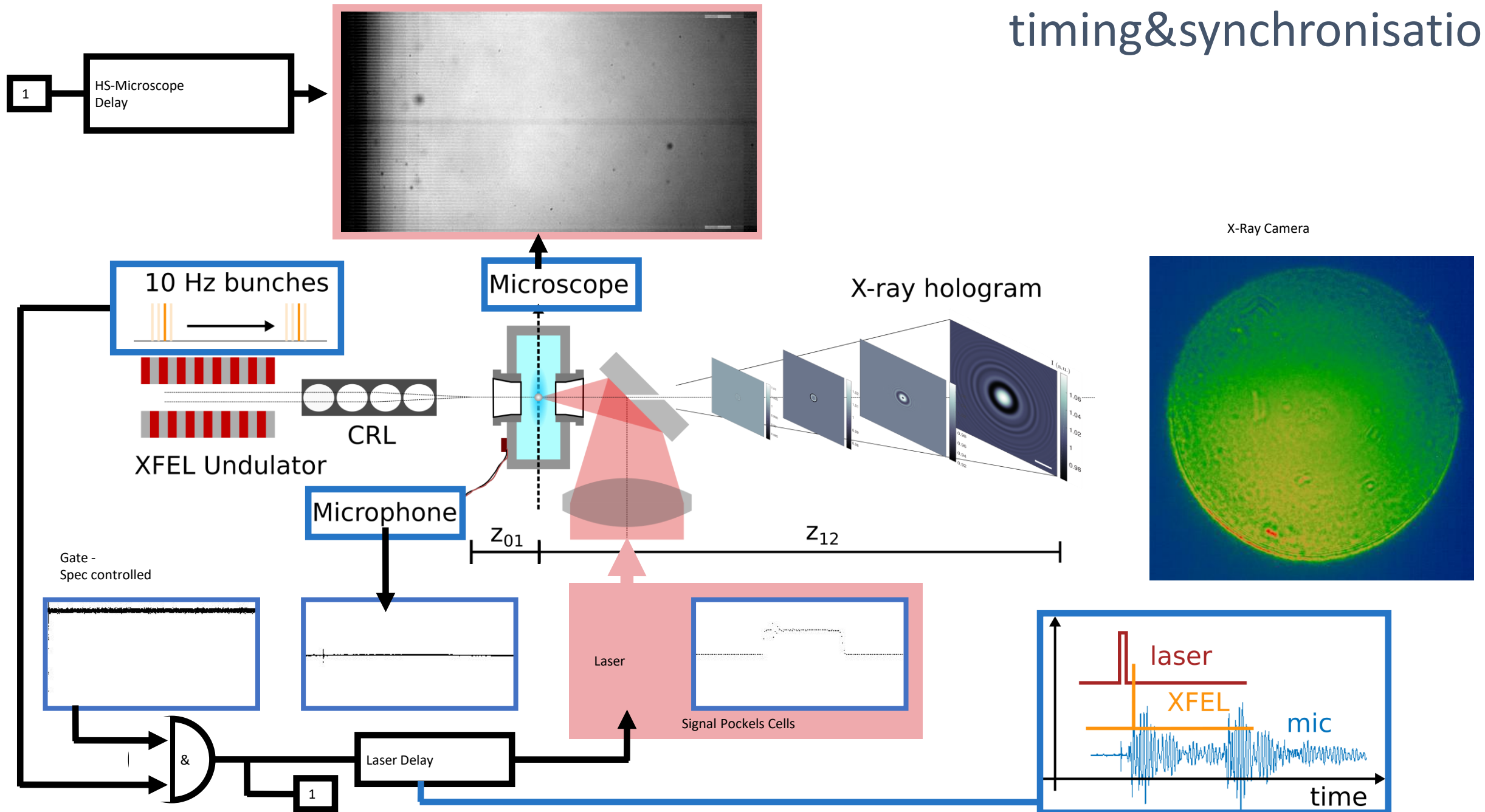


6 μmAu mesh



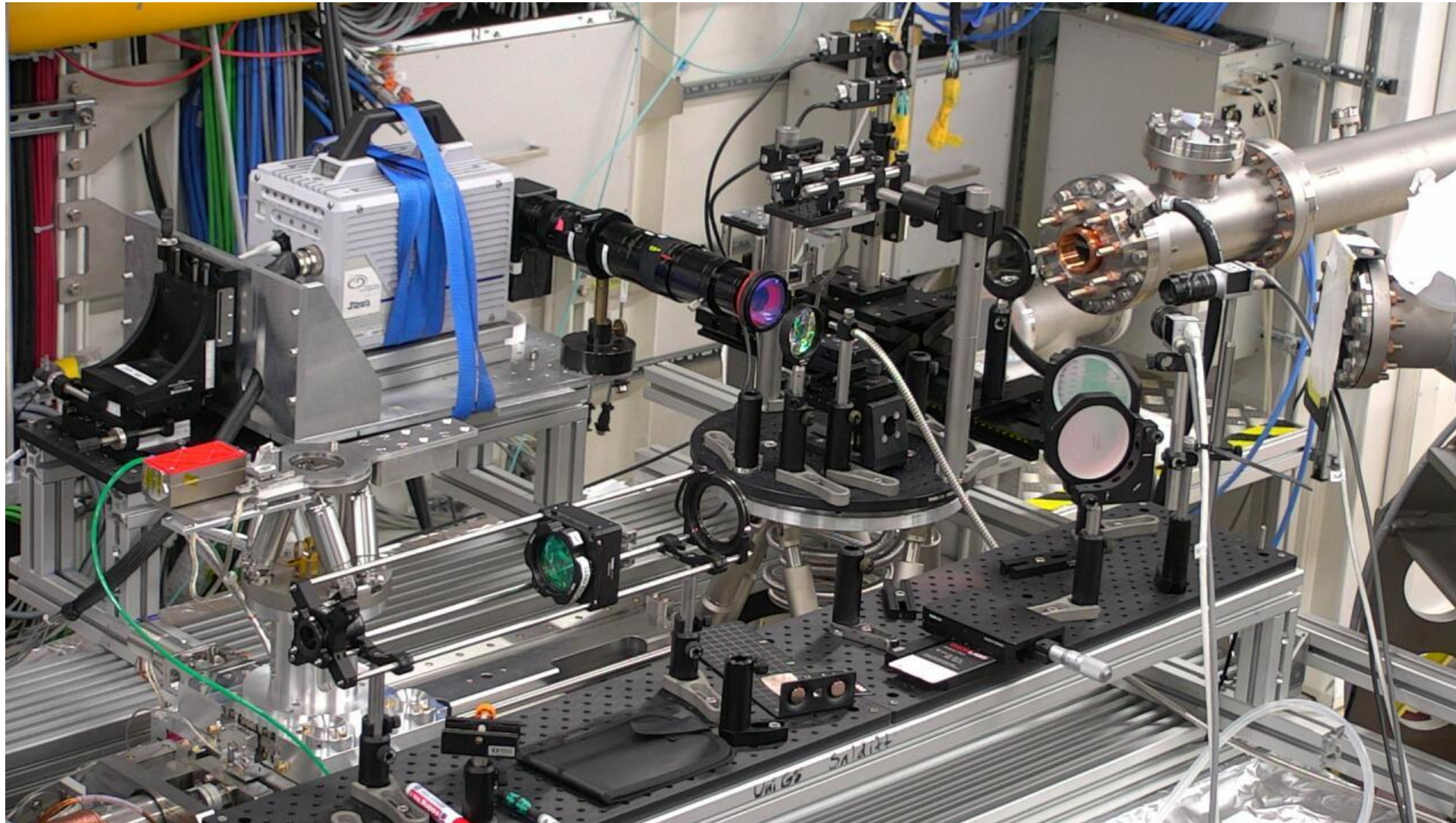
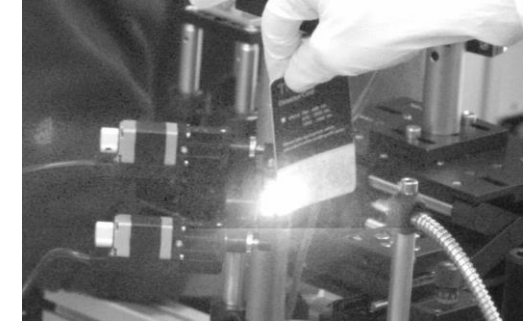
laminar water jet

# timing & synchronisation





A good timing scheme  
is not sufficient ...



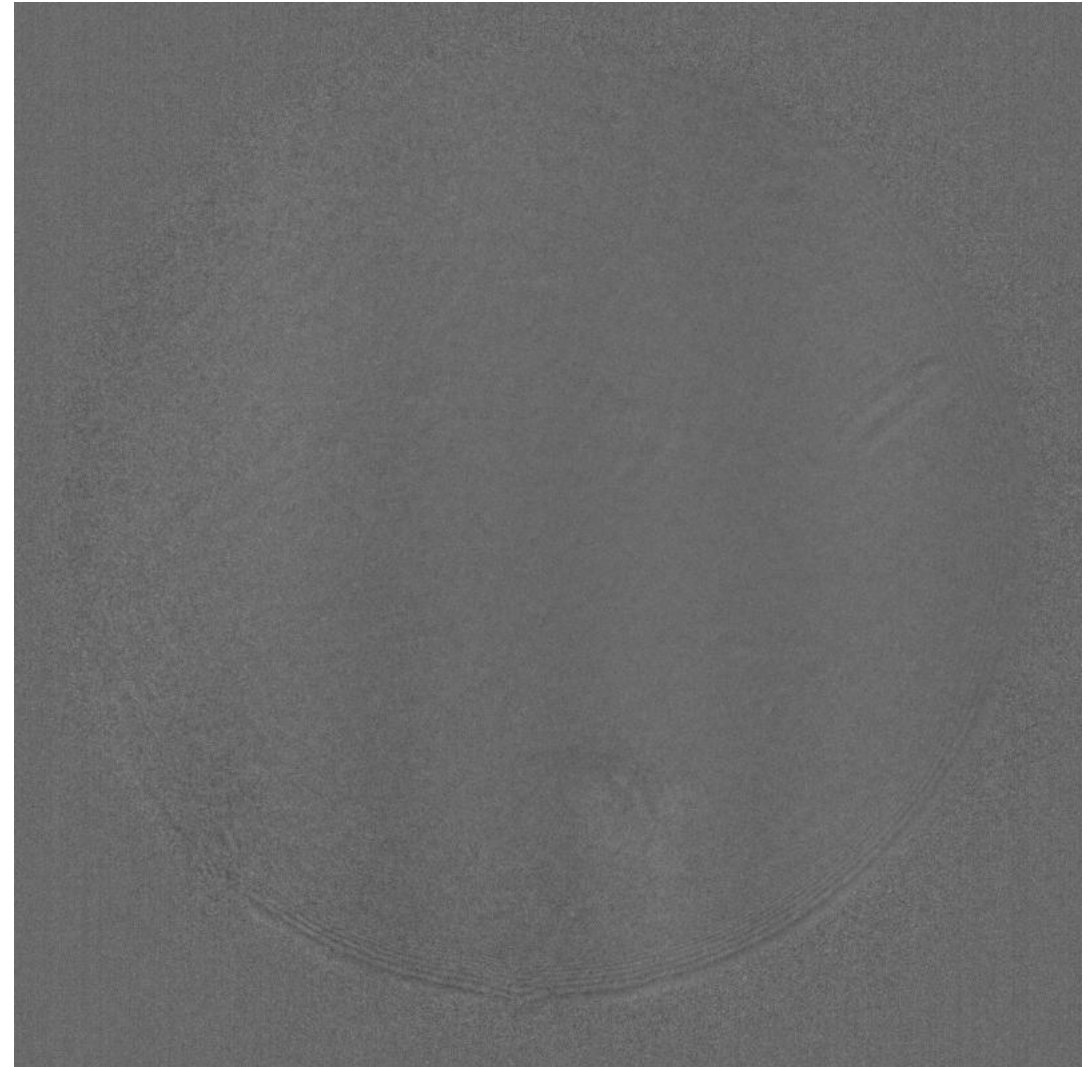
*IR- alignment*

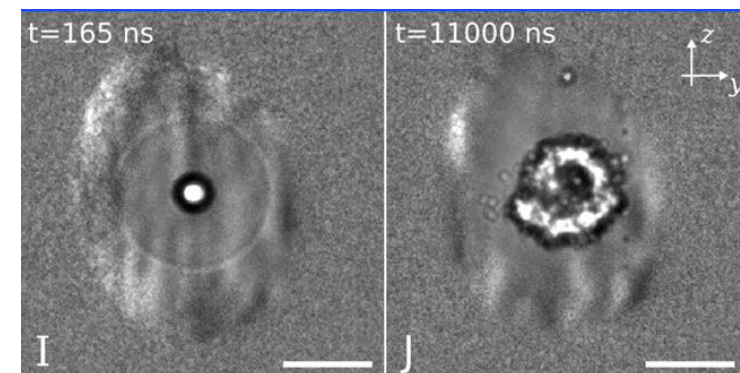
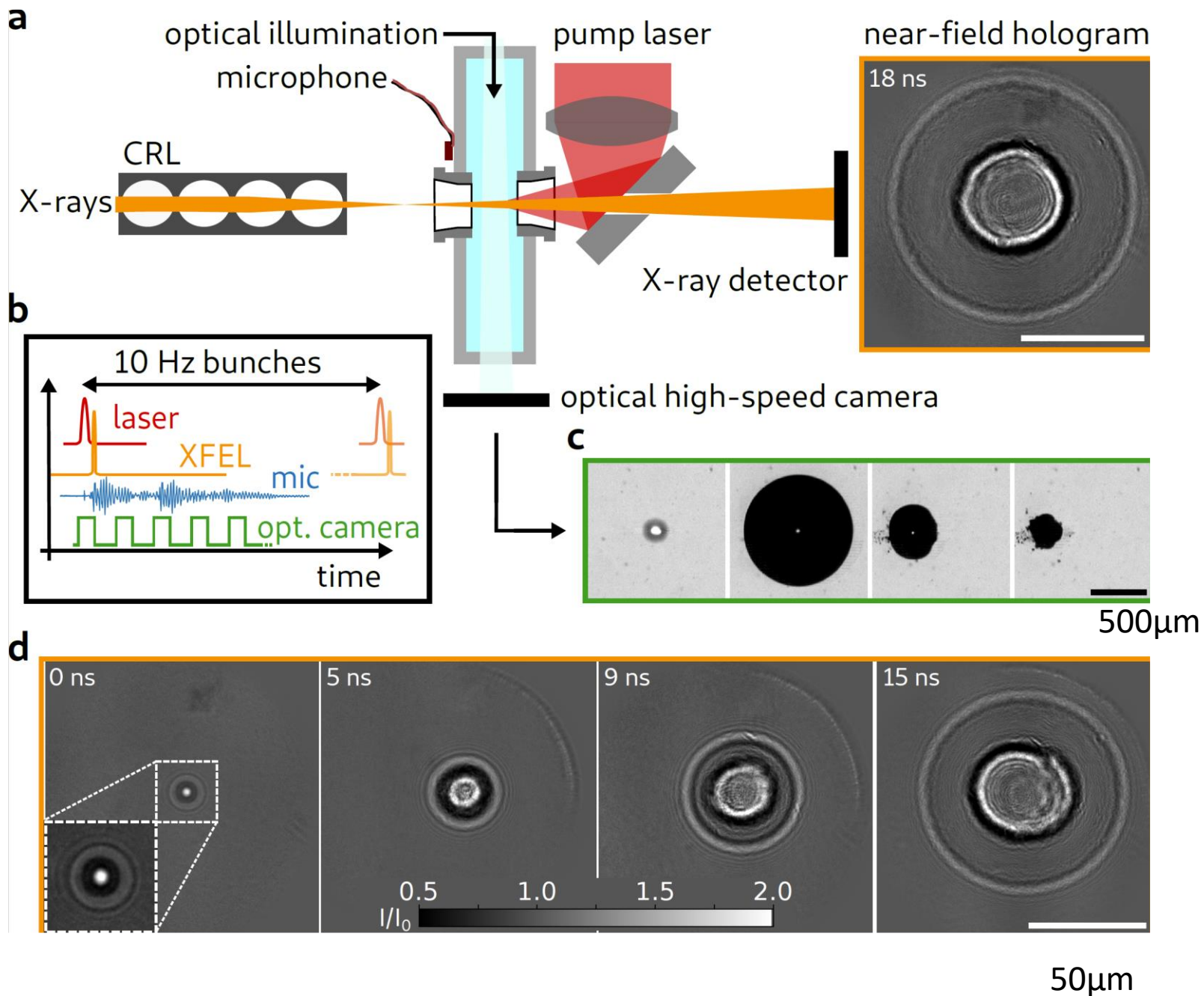
*you have  
to have  
spatial-  
temporal  
overlap !*

Malte Vassholz  
Hannes Hoeppe



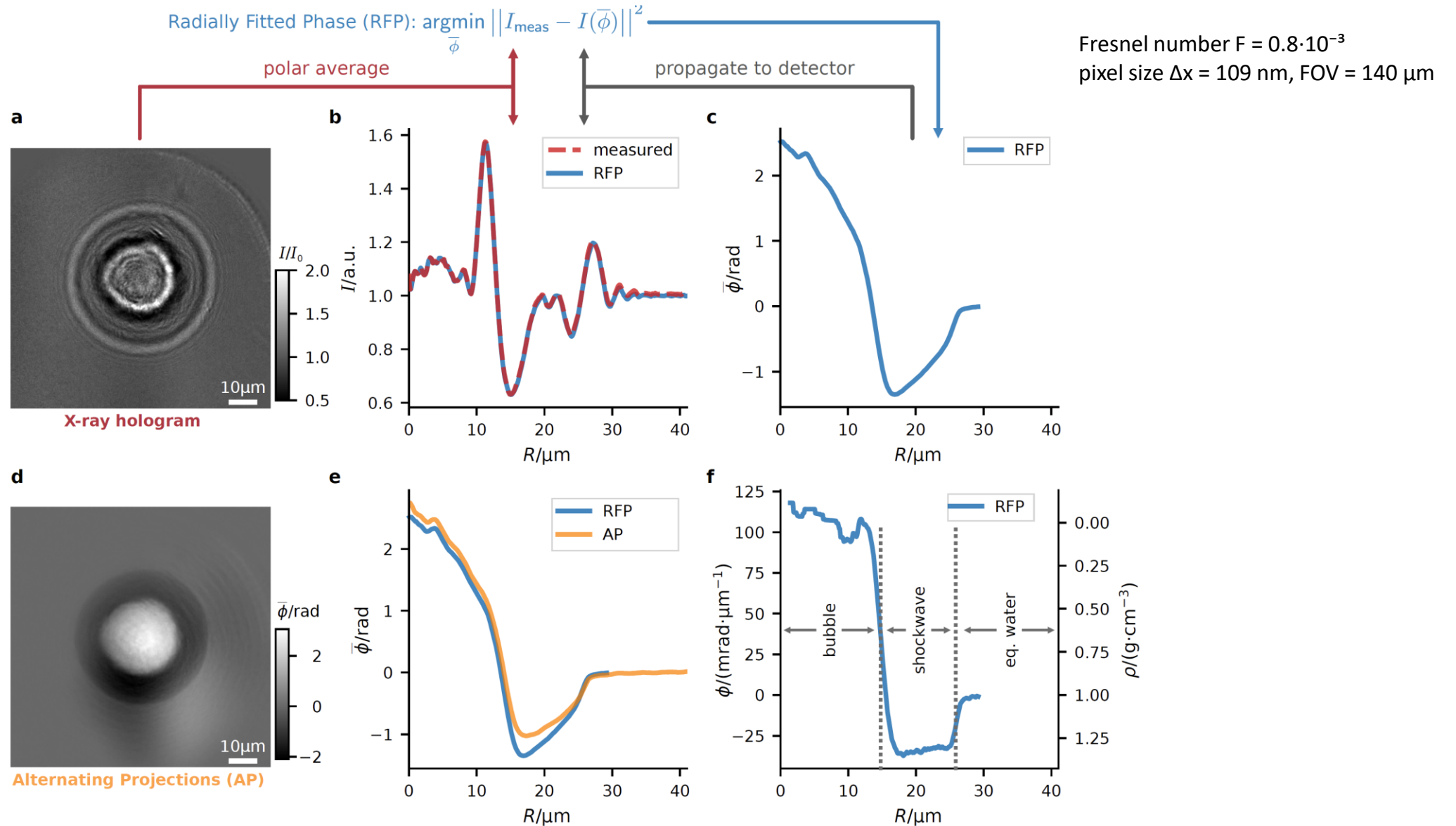
This is what we saw when we saw something (online analysis)





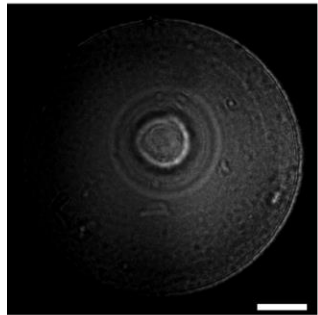
*But how to analyze all of this?*

# Phase retrieval

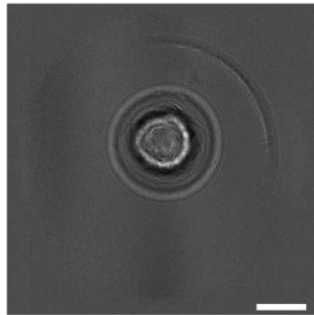




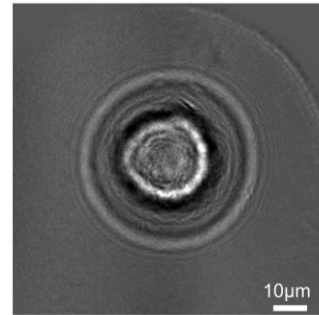
# Phase retrieval in radial coordinates



raw X-ray hologram



flat field corrected X-ray hologram (based on principal component analysis of a set of empty beams)

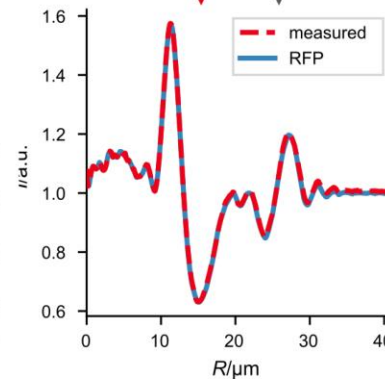


centered bubble X-ray hologram

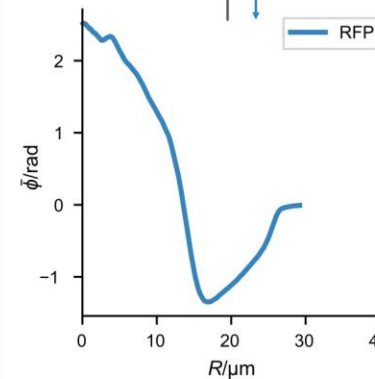
$$\text{Radially Fitted Phase (RFP): } \operatorname{argmin}_{\bar{\phi}} \|I_{\text{meas}} - I(\bar{\phi})\|^2$$

polar average

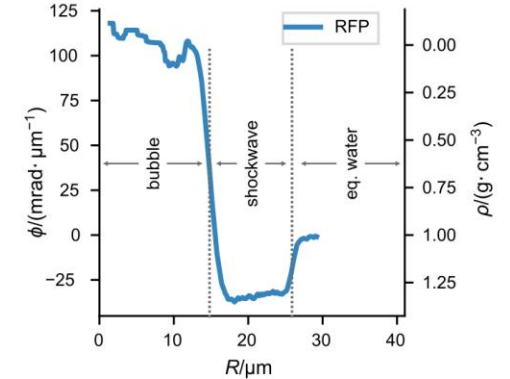
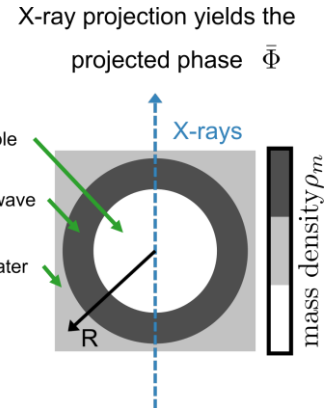
propagate to detector



angular averaged intensity of measurement and fit (detector plane)



projected Radially Fitted Phase (RFP) (sample plane)

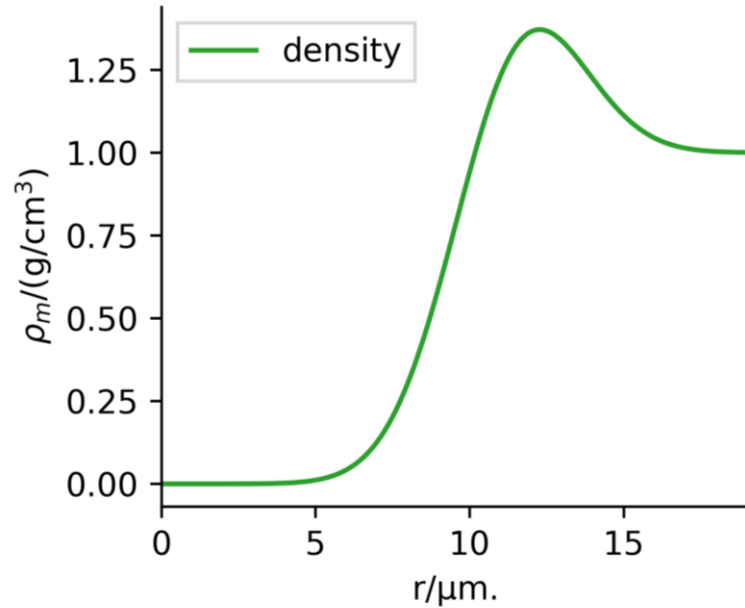


projection inversion of RFP, radial density distribution (sample plane)

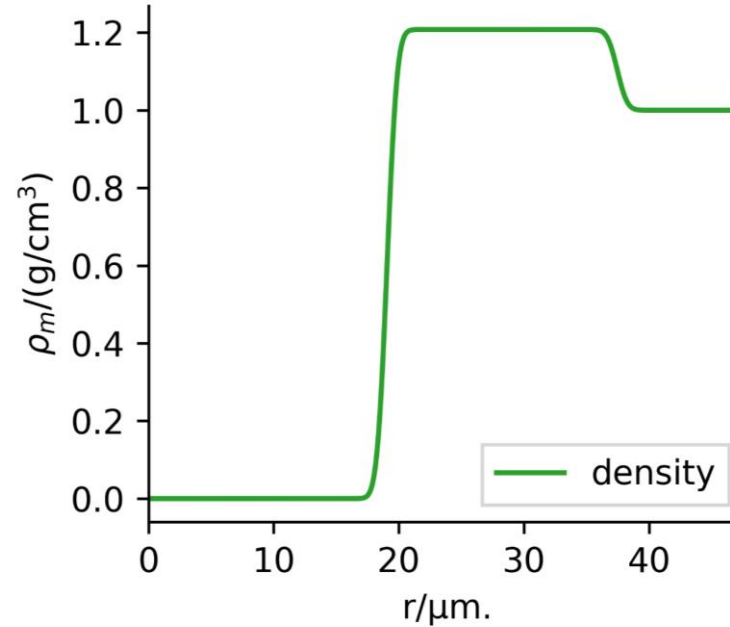
J. Hagemann et al., *Single-pulse phase-contrast imaging at free-electron lasers in the hard X-ray regime*.  
Journal of Synchrotron Radiation, 28(1):52–63, 2021.

M. Vassholz et al., *Pump-probe X-ray holographic imaging of laser-induced cavitation bubbles with femto-second FEL pulses*.  
Nature Communications, 12(1):3468, 2021.

$\tau=4ns$

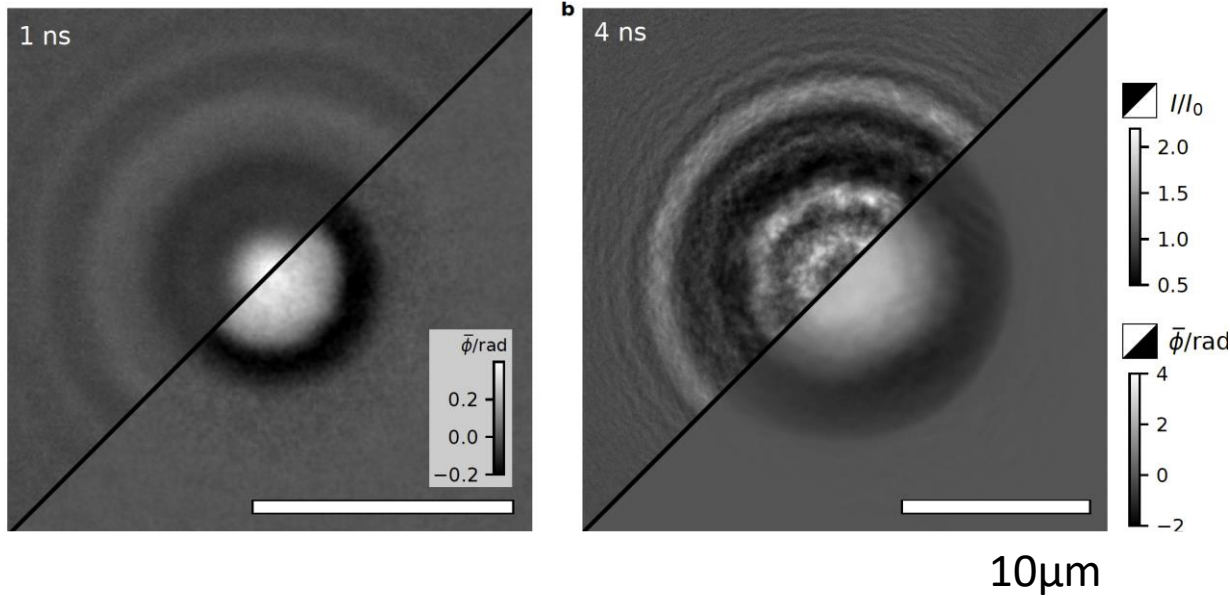


$\tau=13ns$



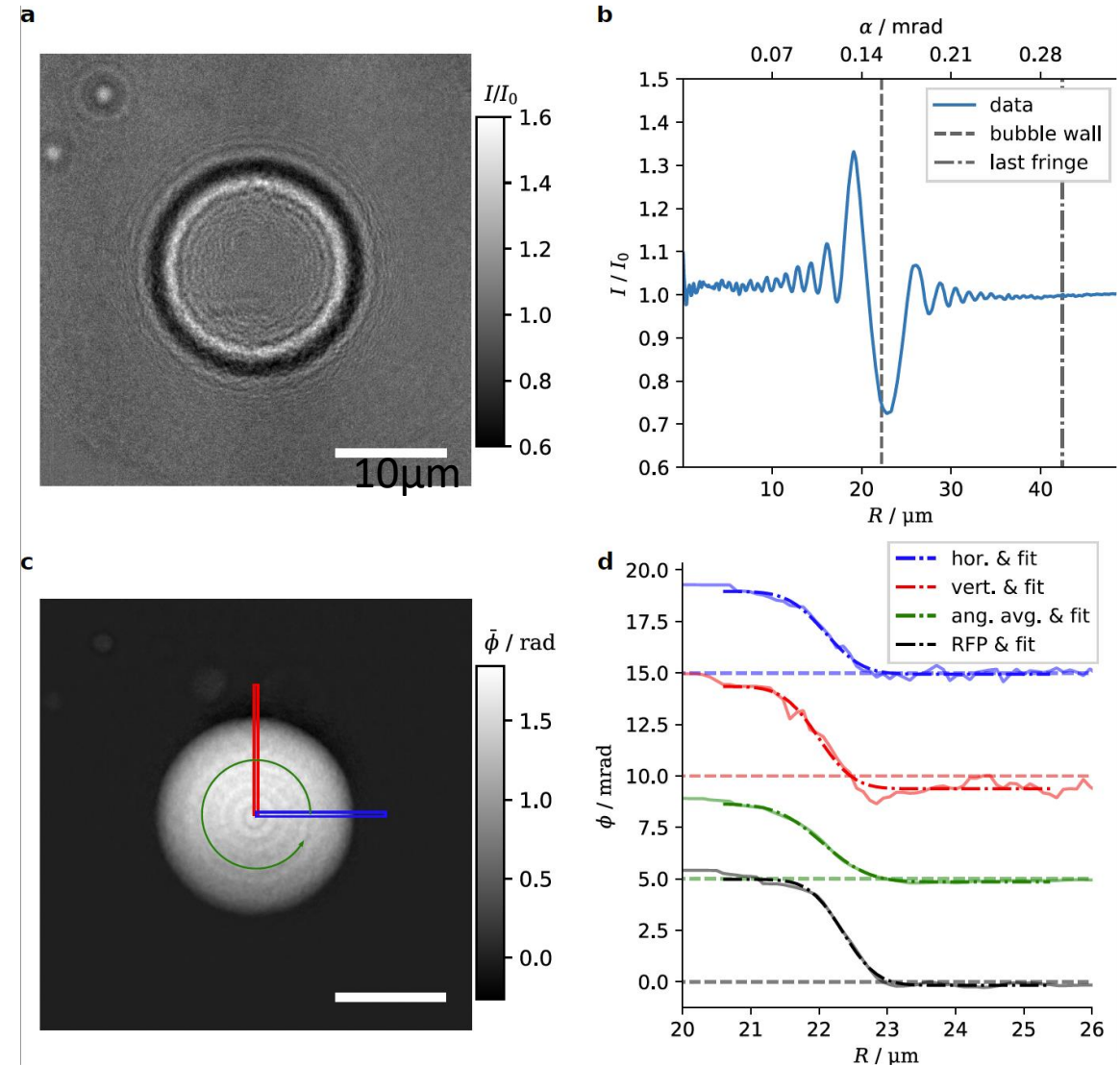
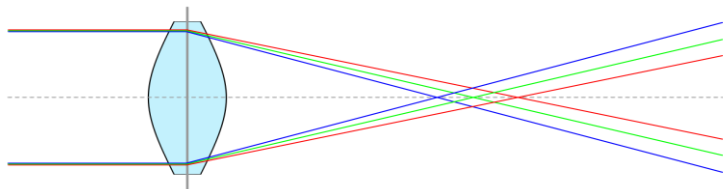
- *emergence of phase boundary / sharpening of the interface*
- *density of the shock wave -> equation of state*
- *Outlook: comparison with MD simulation*
- *Outlook: fs time scales / plasma dynamics / water structure in shock wave collapse of the bubble*

# Phase retrieval / Resolution



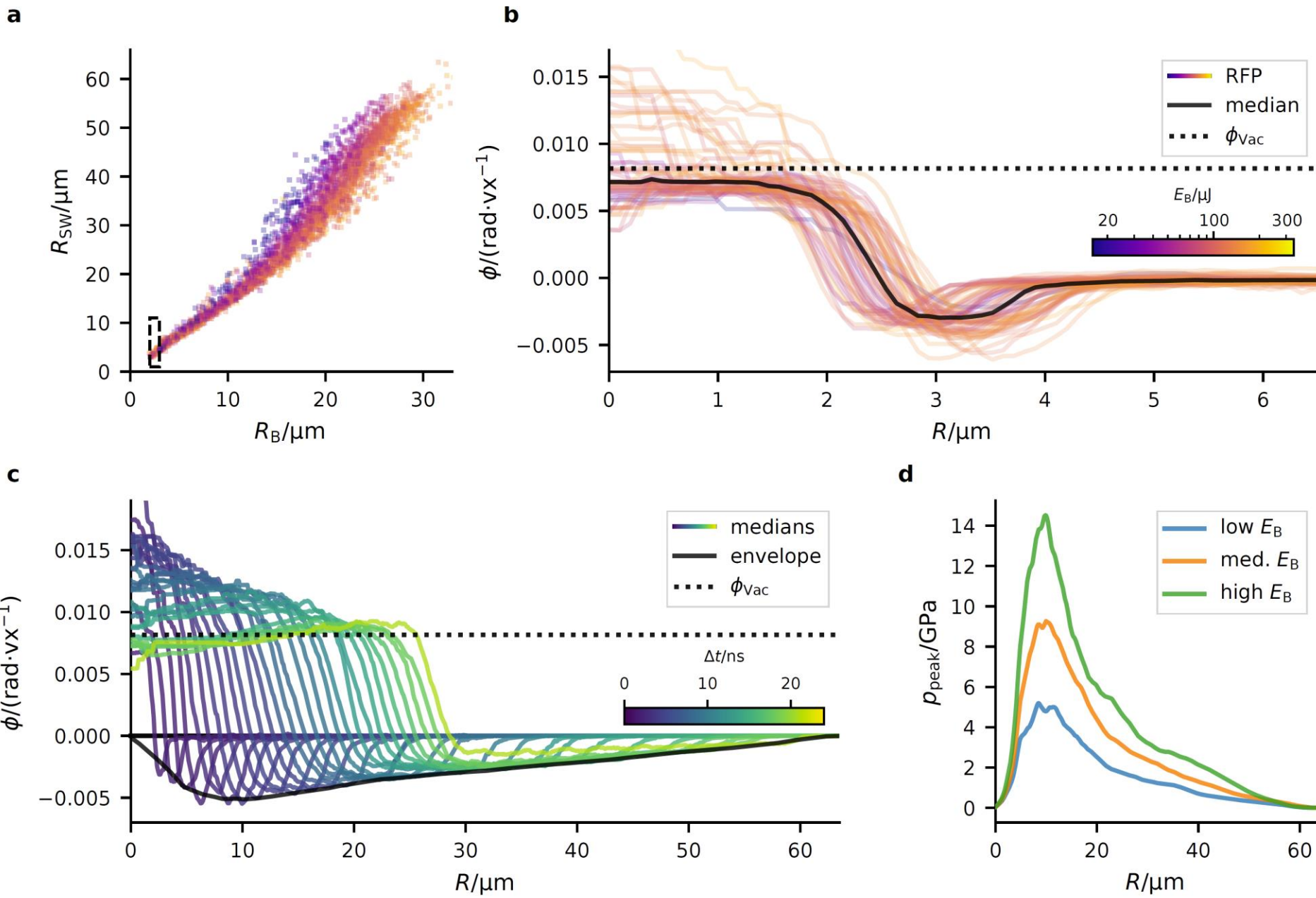
@ Fresnel number  $Fr = 0.8 \cdot 10^{-3}$  (with respect to the pixel size)  
 pixel size  $\Delta x = 109$  nm, FOV =  $140 \mu\text{m}$

*contrast sensitivity limited by wavefront stability!*



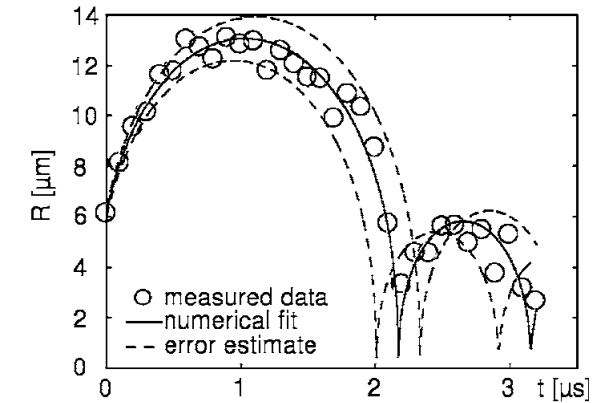
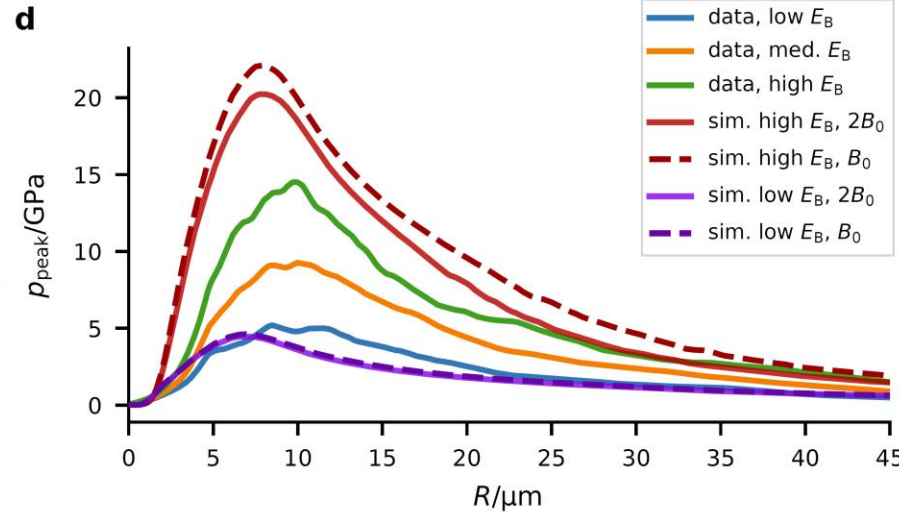
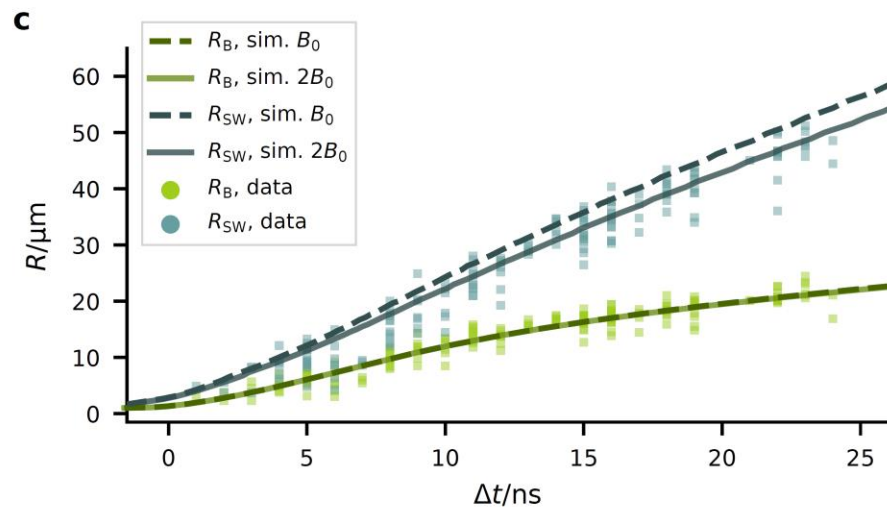
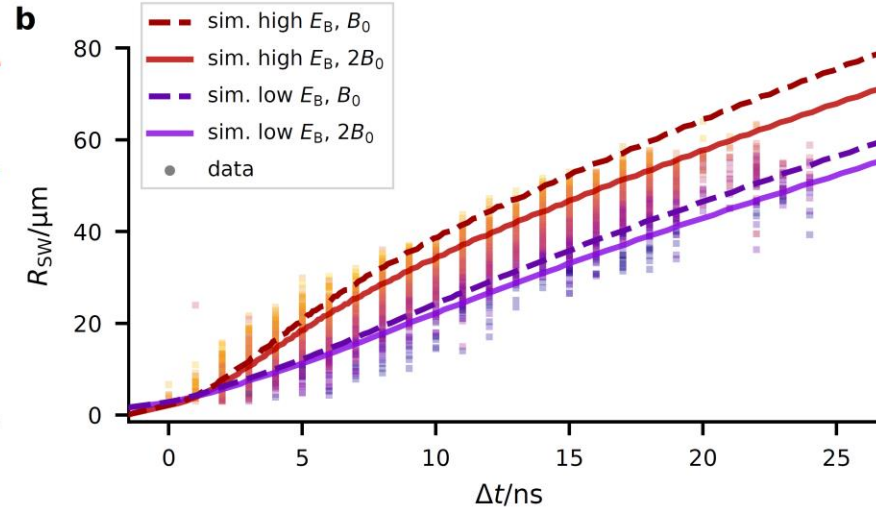
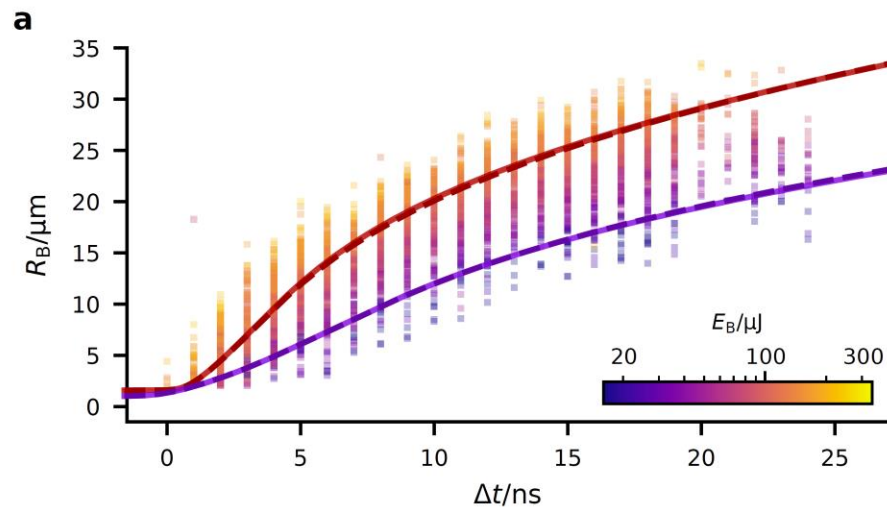
*resolution limited by dispersive optics !*





# Working out the entire ensemble / sorting for $E_B$

- maximum radius (photron)
- life time (microphone)
- bubble energy from life time and/or maximum radius

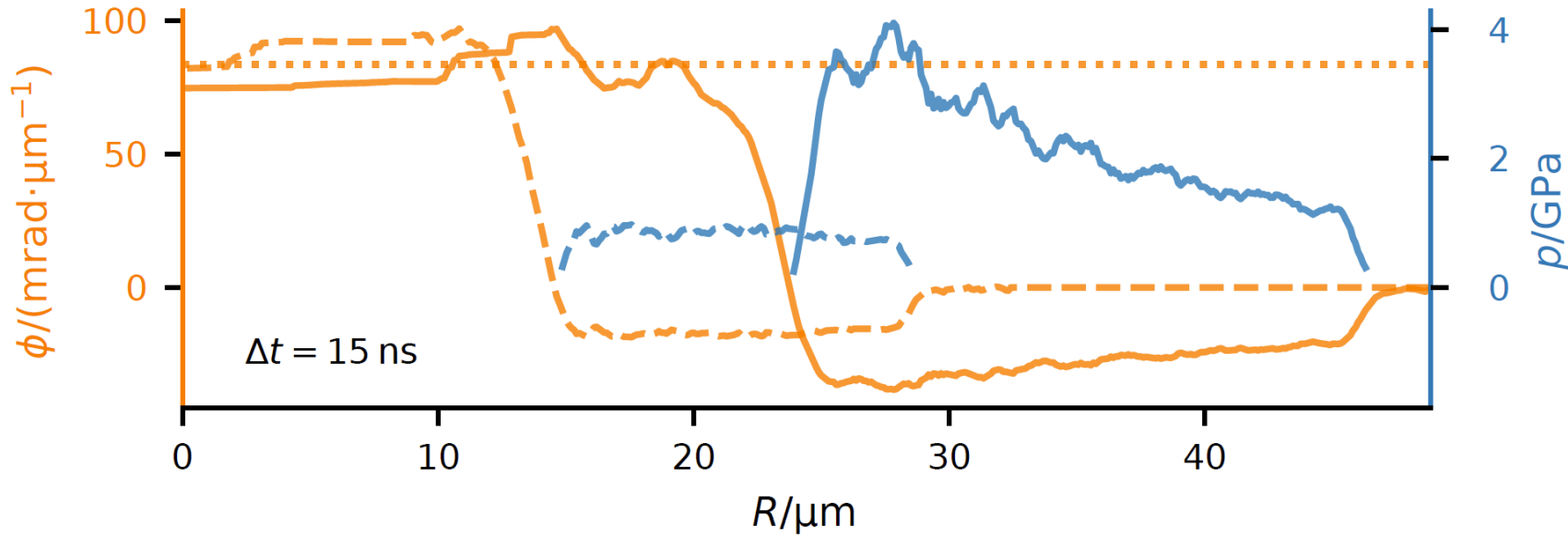


T. Kurz et al. Phys. Rev. E (2006)

*bubble energy determines maximum radius*

$$E_B = \frac{3\pi}{4} (p_0 - p_v) R_{max}^3$$

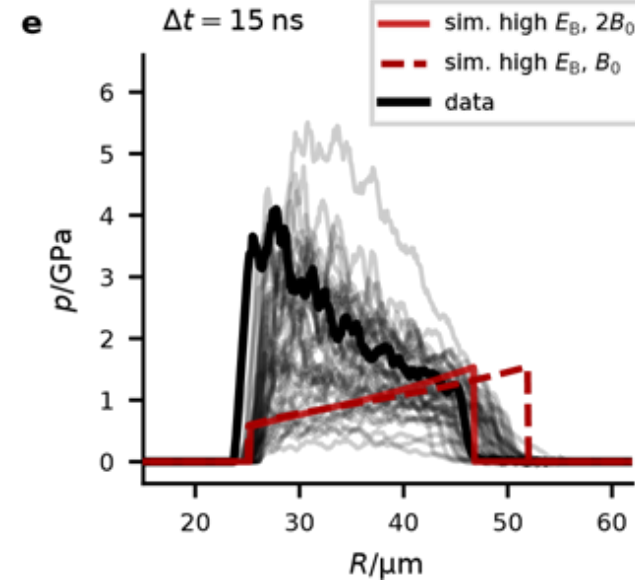
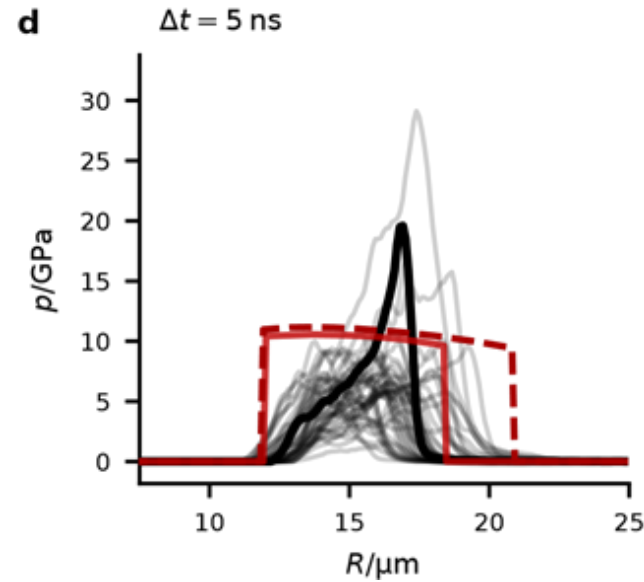
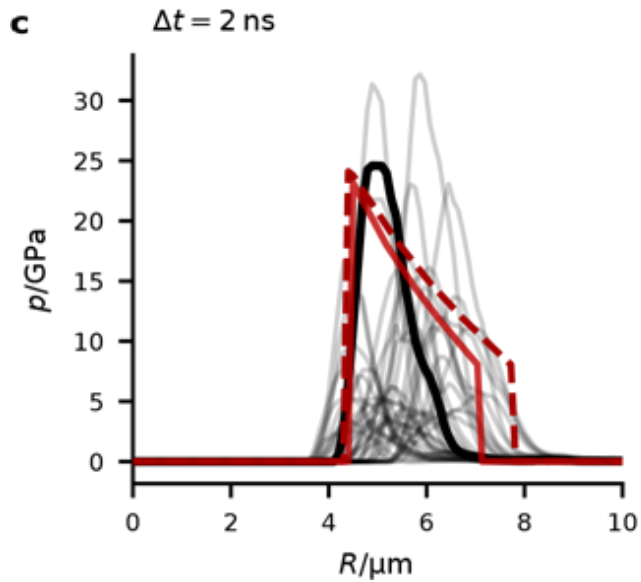
# Results: Pressure profile of shock wave



$$p - p_0 = B \left( \left( \frac{\rho}{\rho_0} \right)^m - 1 \right)$$

$$B = K/m \quad m = c_p/c_v \simeq 7$$

Tait eq.



Gilmore model

-> data puts current hydrodynamic models of shock wave into question !



# The Gilmore model for cavitation dynamics

$$R\ddot{R}\left(1 - \frac{\dot{R}}{C}\right) + \frac{3}{2}\dot{R}^2\left(1 - \frac{\dot{R}}{3C}\right) = H\left(1 + \frac{\dot{R}}{C}\right) + \frac{\dot{R}}{C}\left(1 - \frac{\dot{R}}{C}\right)\frac{dH}{dR}$$

2. step: shock wave propagation based of the **Kirkwood-Bethe Hypothesis** and method of characteristics

$G = r(h + u^2/2)$  invariant quantity

$$\dot{r} = u + c$$

$$\dot{u} = \frac{1}{c - u} \left( (u + c) \frac{G}{r^2} - \frac{2c^2 u}{r} \right)$$

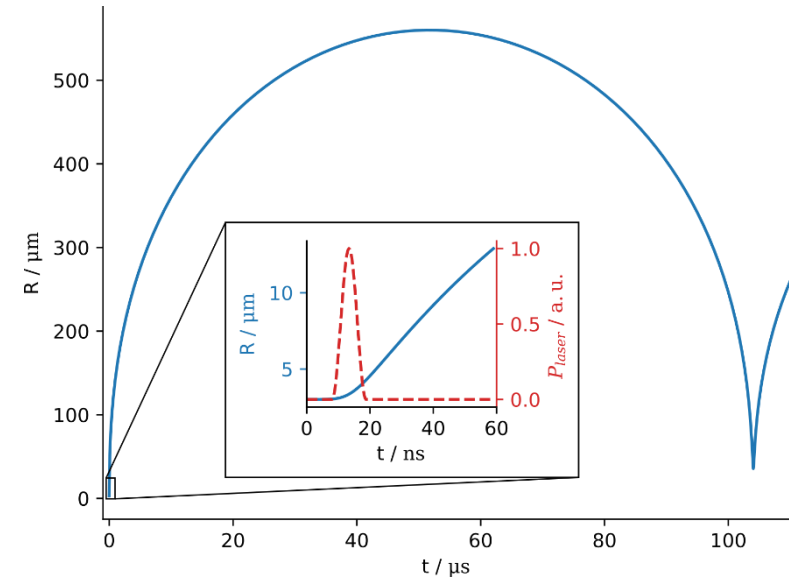
$$\dot{p} = \frac{\rho_0}{r(c - u)} \left( \frac{p + B}{p_0 + B} \right)^{\frac{1}{n}} \left( 2c^2 u^2 - \frac{c^2 + uc}{r} G \right)$$

The pressure profiles are cuts at constant time in the three-dimensional space of all characteristics.

$\rho$  water density  
 $n = 7 \hat{=}$  adiabatic index of water  
 $B = 314 \text{ MPa} \hat{=} \frac{\rho_0 c_0^2}{n}$   
 $\sigma$  surface tension  
 $\kappa$  adiabatic index of air  
 $\eta$  dynamic viscosity

$$p(\rho) = \left( \frac{\rho}{\rho_0} \right)^m (p_\infty + B) - B$$

Modified Tait equation of state



# The Gilmore model for cavitation dynamics

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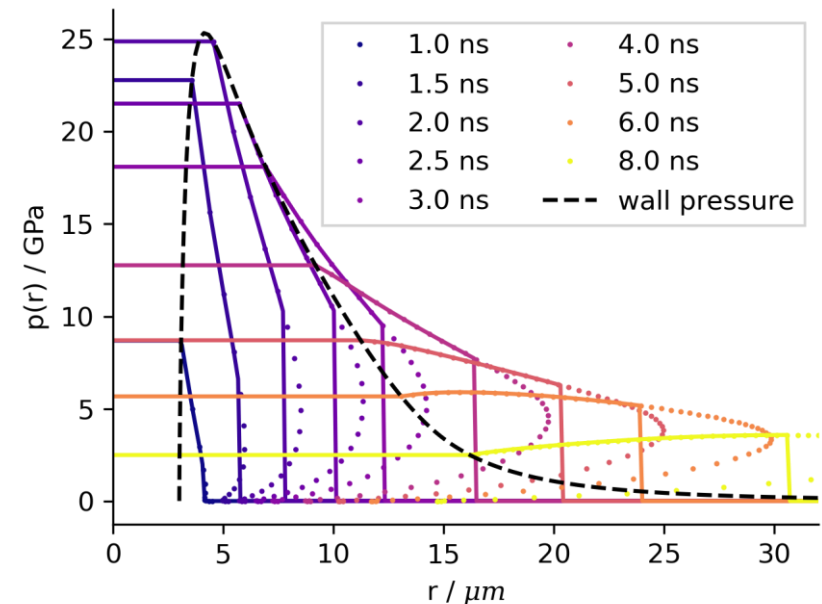
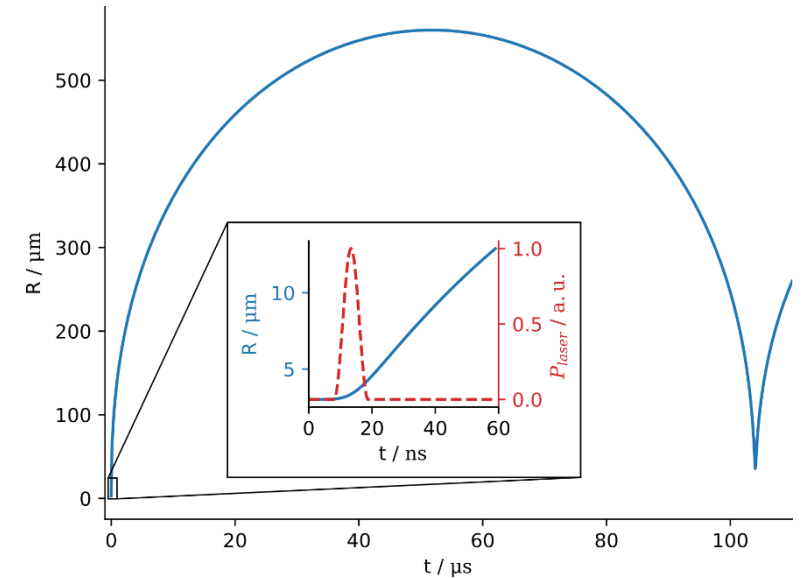
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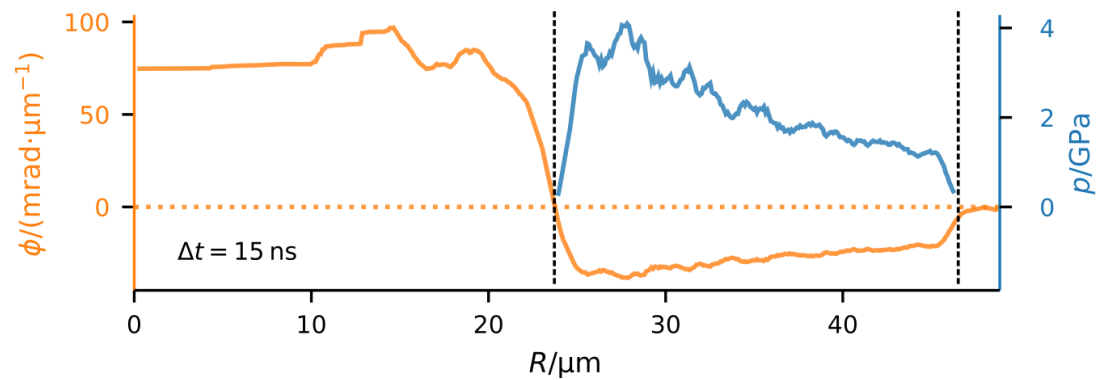
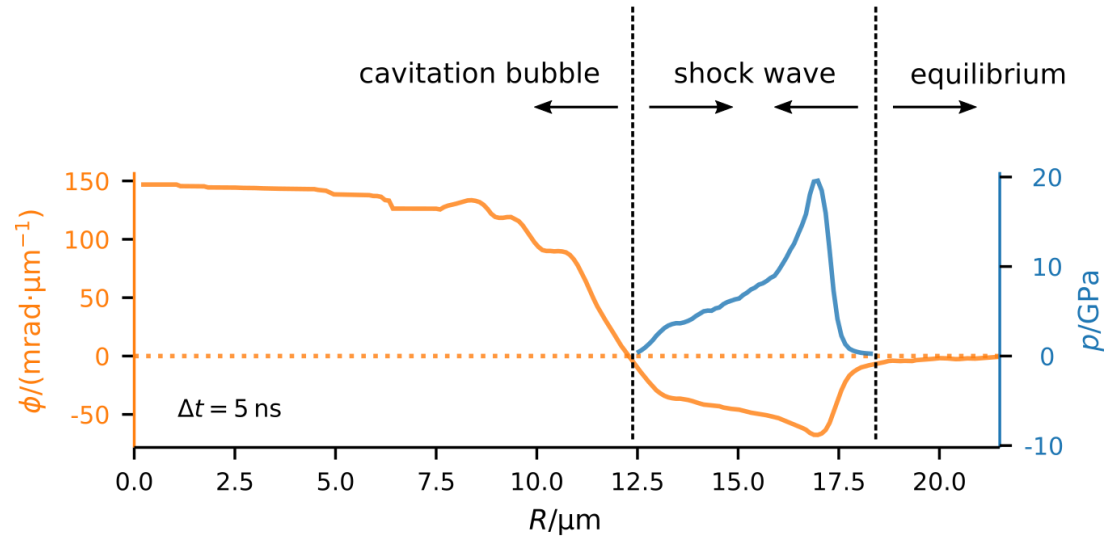
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Modified Tait equation of state



# 3d radial Phase, density & pressure



**mass density:**

$$\rho(R) = \rho_0 \left( 1 - \frac{\phi(R)}{k \delta} \right)$$

$k$  X-ray wave number

$\delta$  real part of the refractive index

**modified Tait Equation of state,**  
relates density to **pressure**:

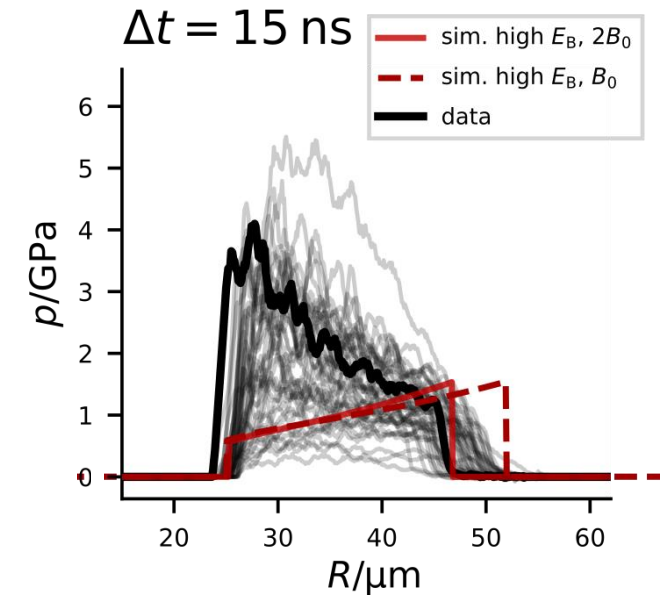
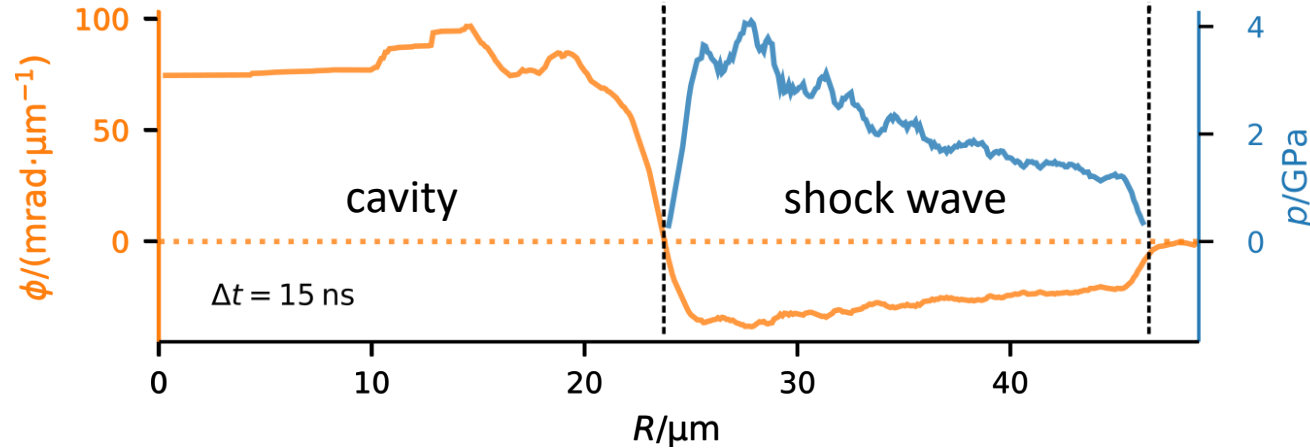
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$n = 7 \hat{=}$  adiabatic index of water

$$B = 314 \text{ MPa} \hat{=} \frac{\rho_0 c_0^2}{n}$$



# 3d radial Phase, density & pressure



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 $\delta$  real part of the refractive index

modified Tait Equation of state (EOS),  
relates density to **pressure**:

$$p(\rho) = \left( \frac{\rho}{\rho_0} \right)^n (p_\infty + B) - B$$

$n = 7 \hat{=}$  adiabatic index of water

$$B = 314 \text{ MPa} \hat{=} \frac{\rho_0 c_0^2}{n}$$

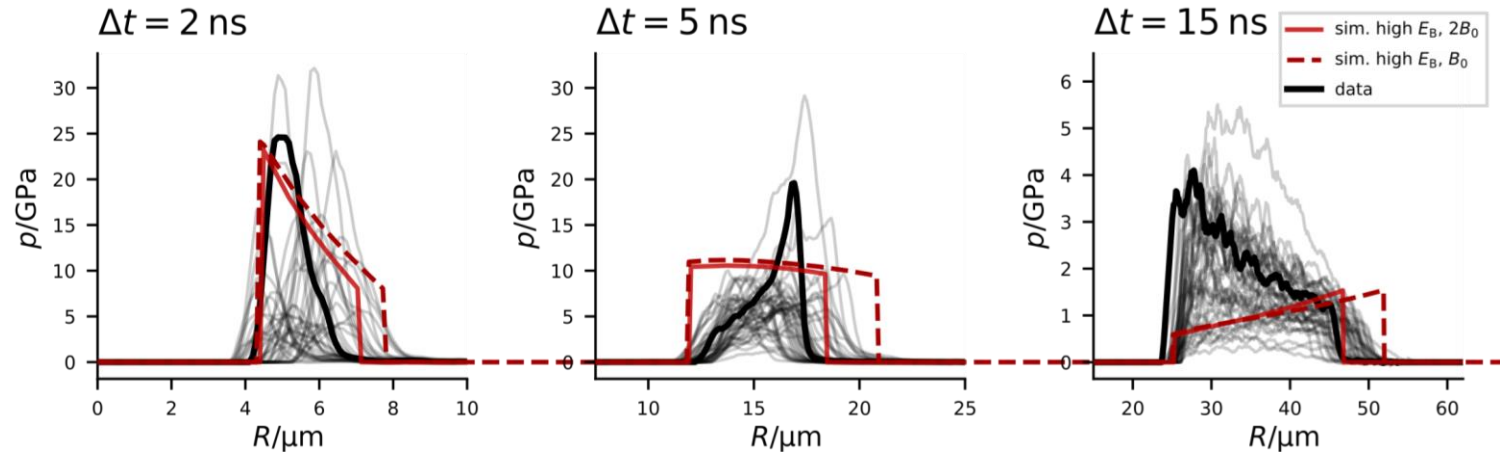
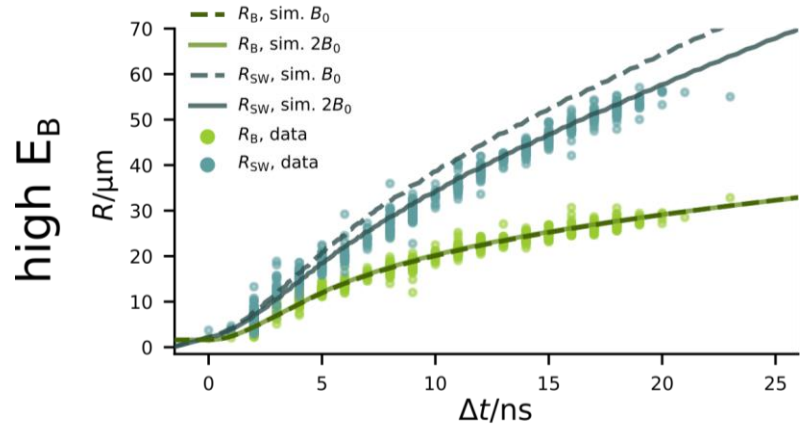
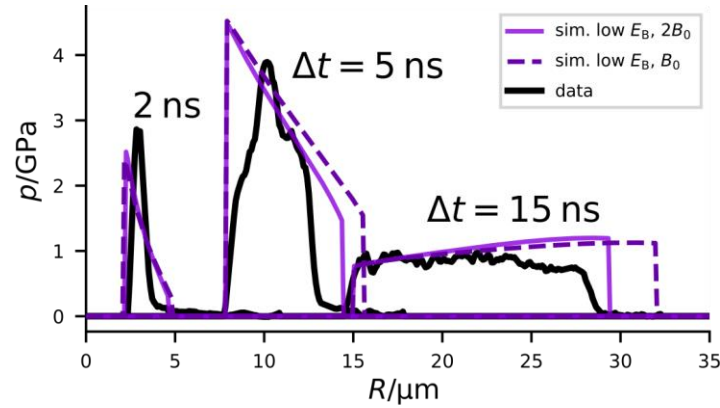
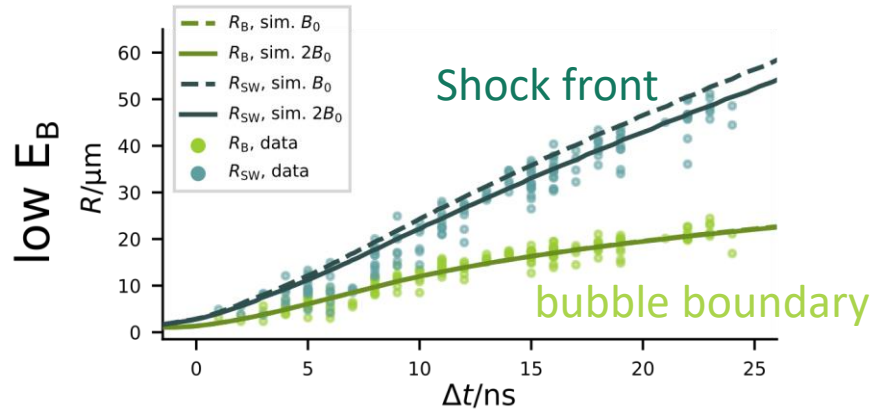
**Comparing with typical hydrodynamic models:**

- Gilmore Model for cavitation dynamics
- Kirkwood & Bethe-based shock propagation

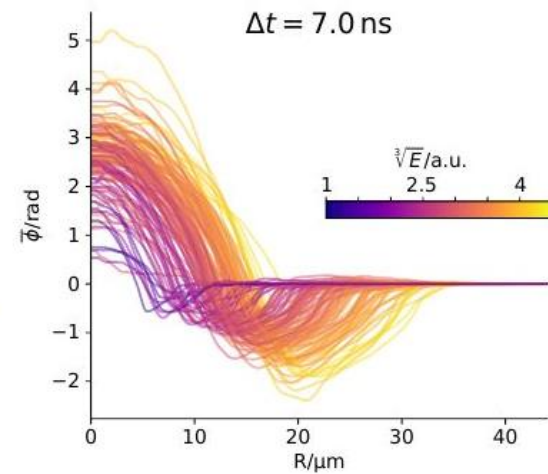
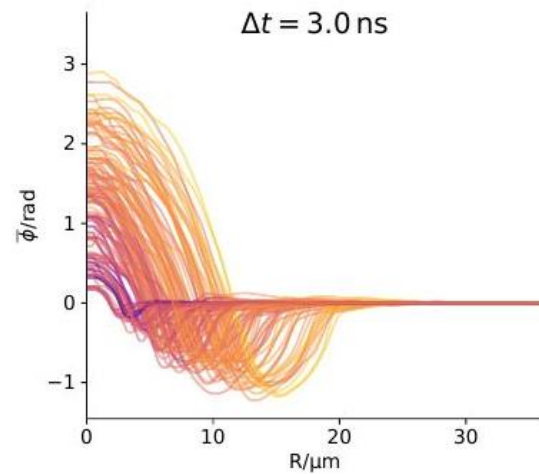
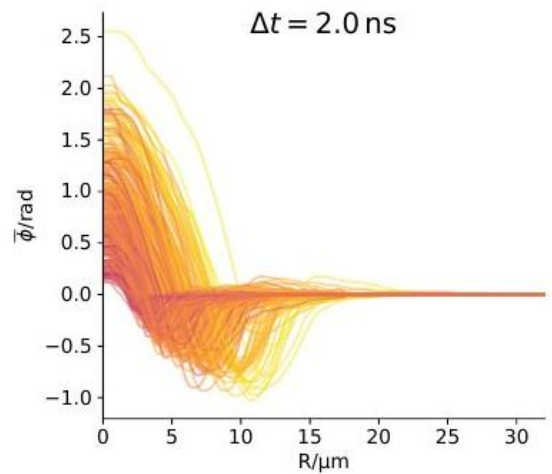
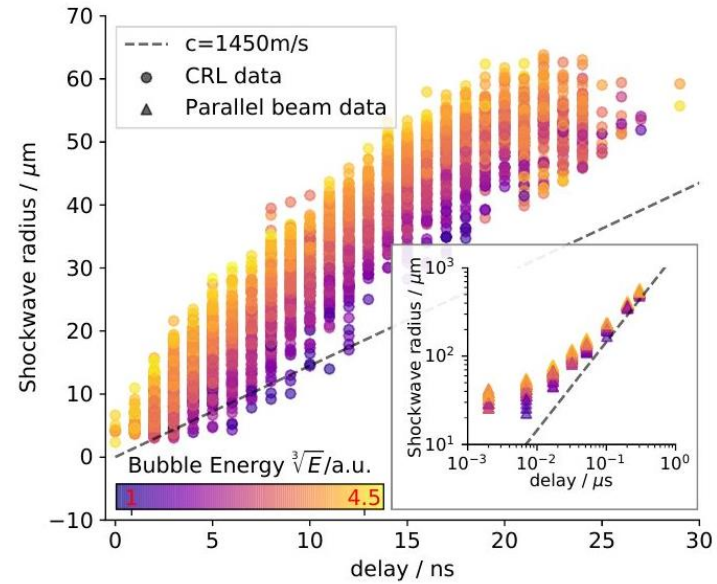
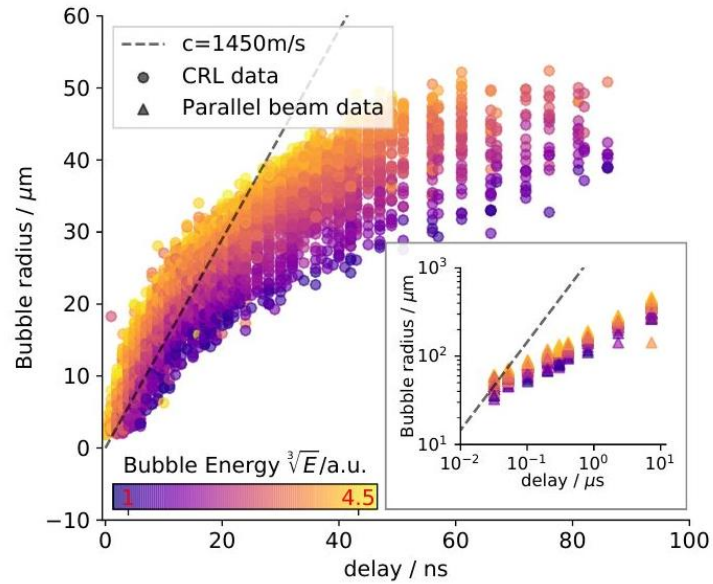
**Discrepancies for high-energy events:**

- Shape / slope
- peak pressures
- trajectory

# Shock wave structural dynamics, hydrodynamic simulations

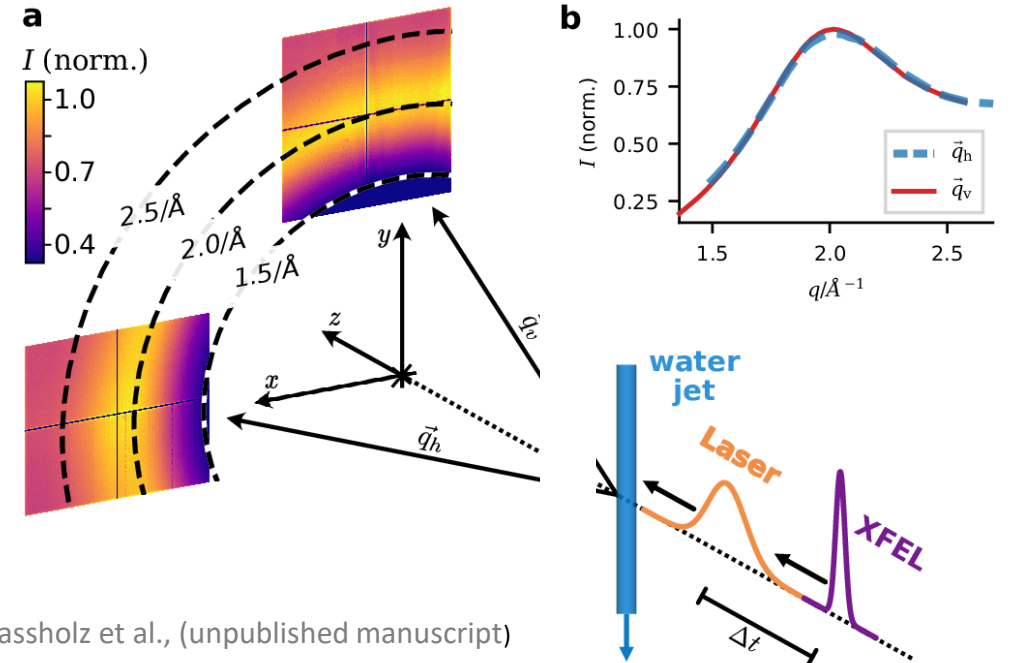
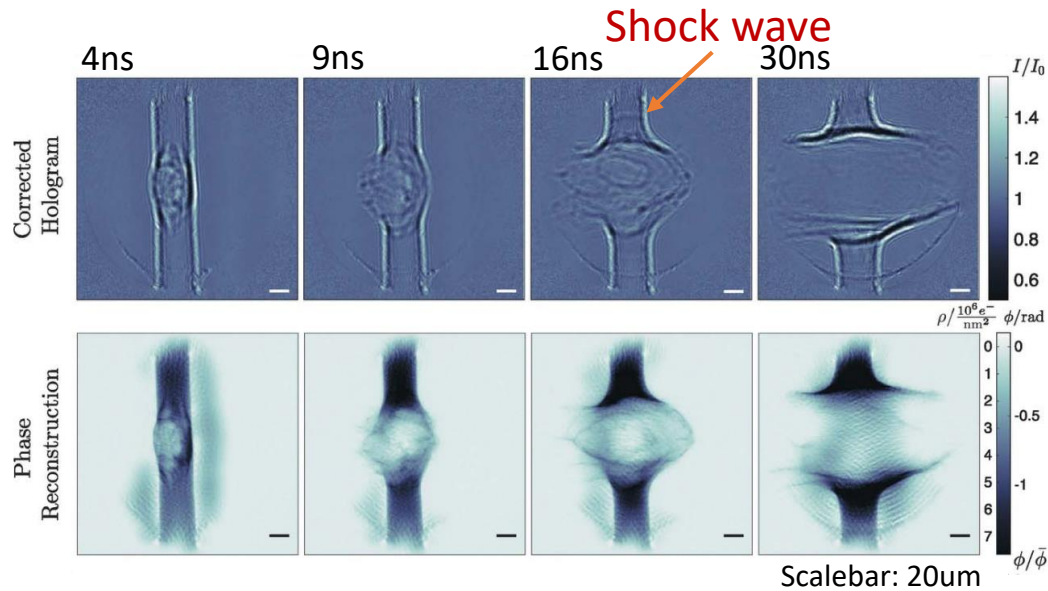
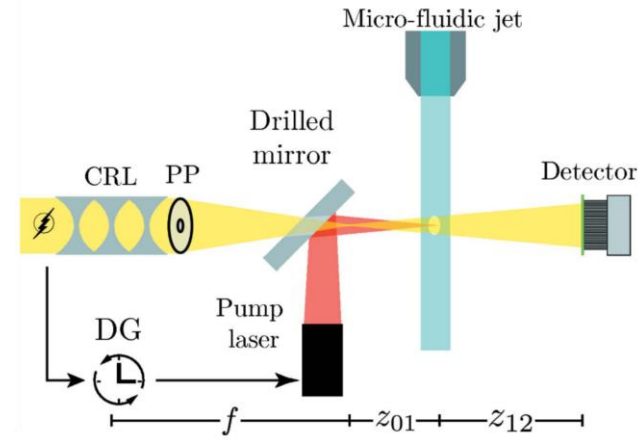
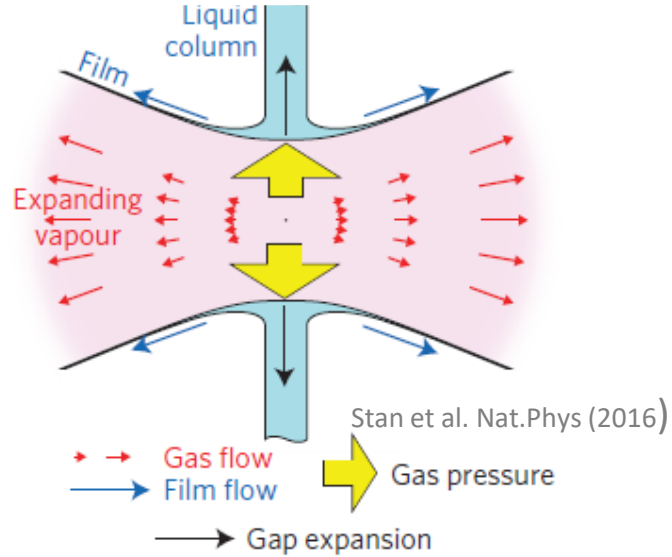


# Shock wave structural dynamics, hydrodynamic simulations

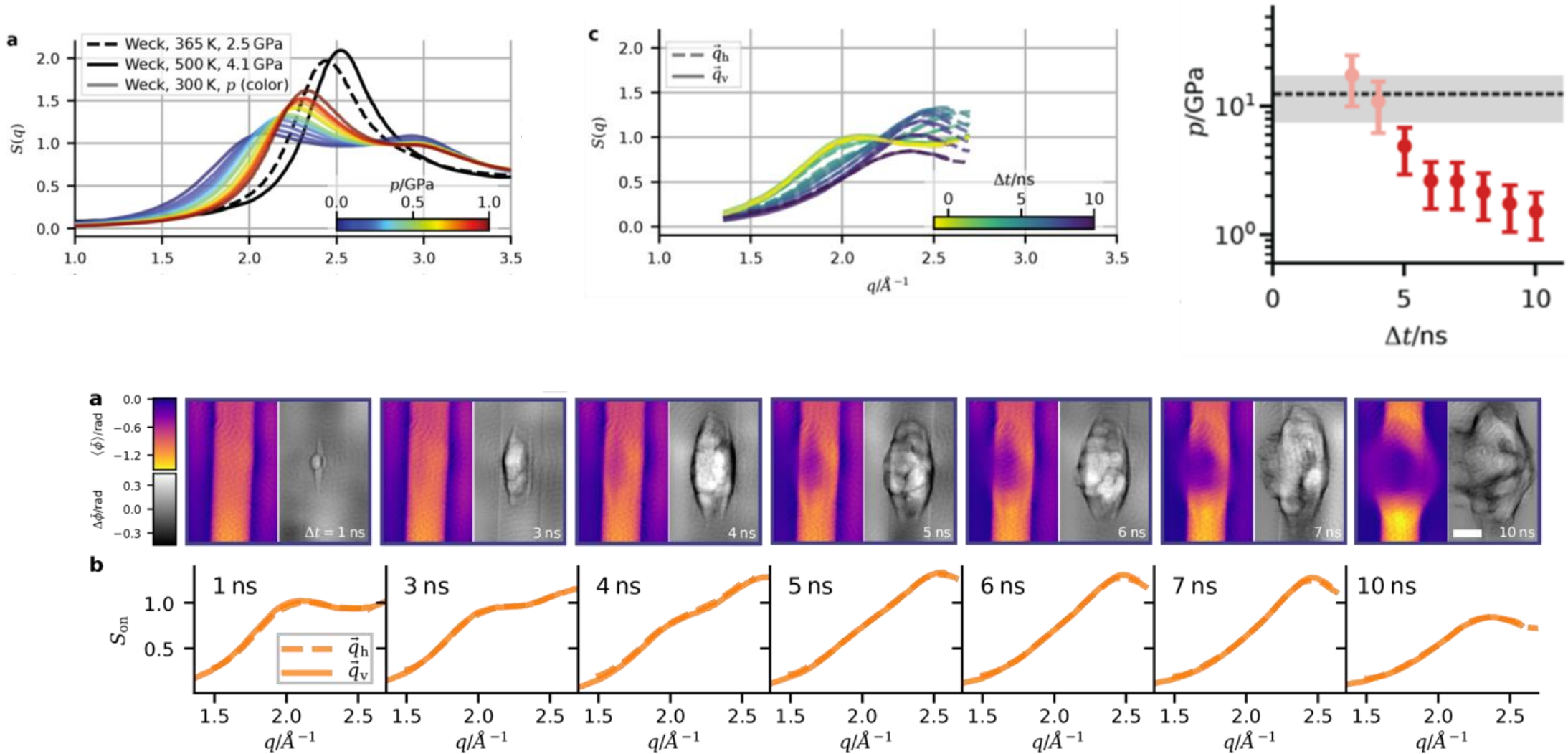




# 2. Cavitation in a liquid jet & molecular structure of water in the shockwave

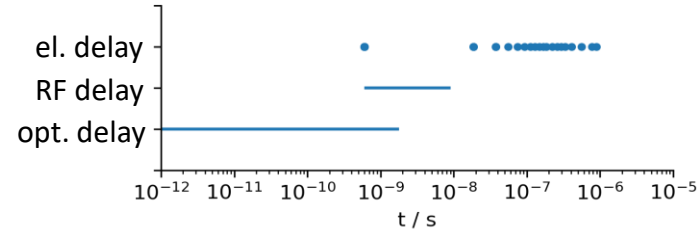
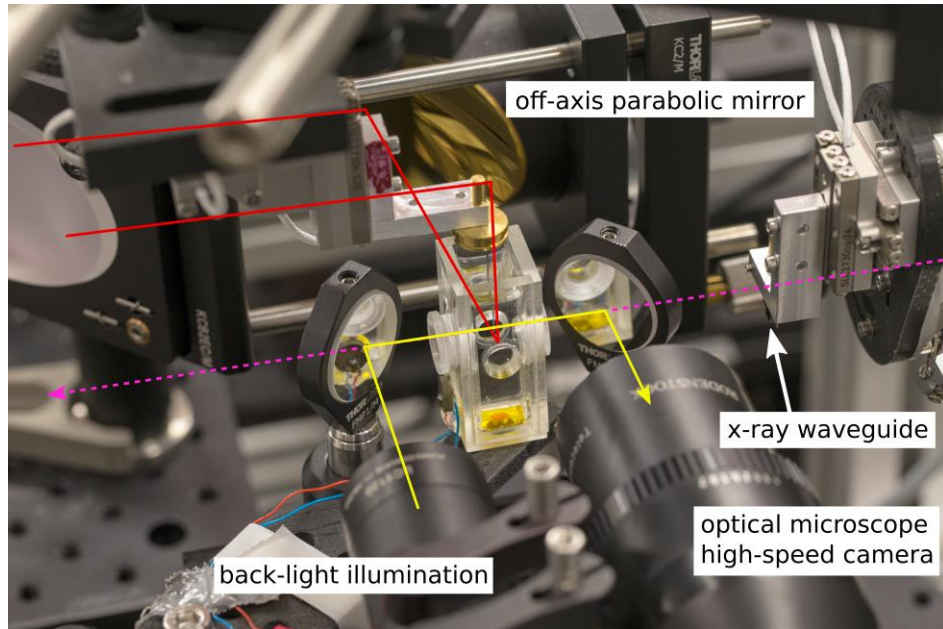


# Holography-assisted recording an interpretation of the diffraction signal

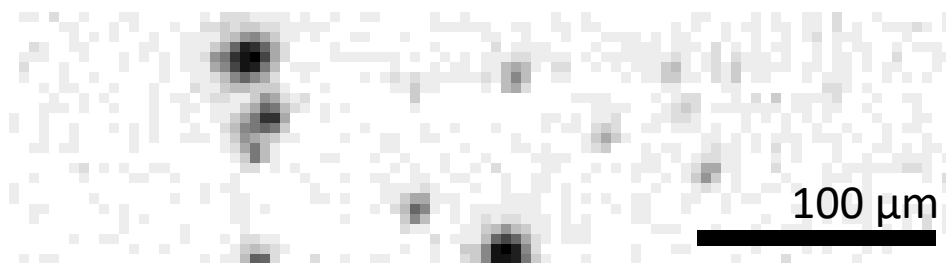




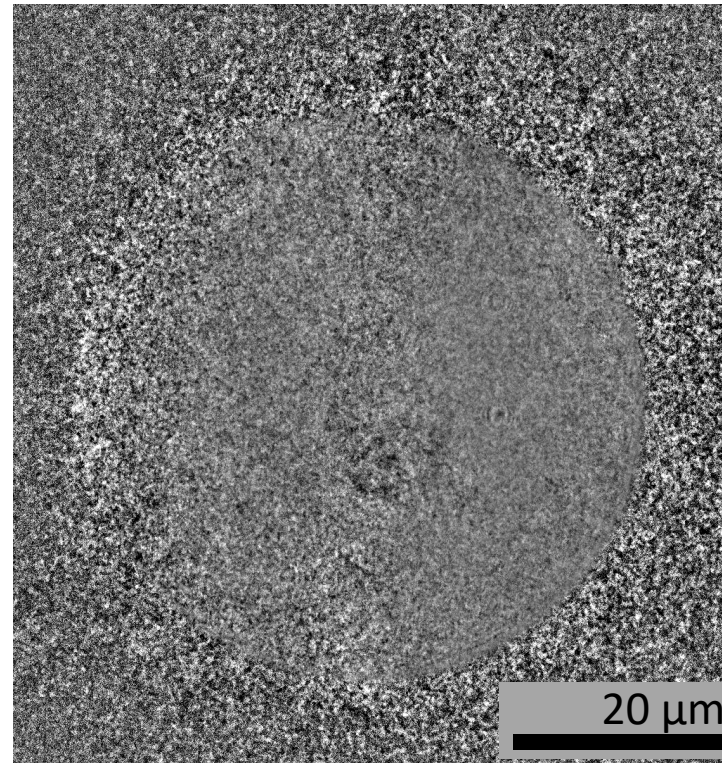
### 3. Femtosecond laser-induced cavitation (p2807 10/2021, MID)



- MID fs-laser timing options:**
- Electronic trigger (18 ns steps)
  - RF synchronization system (~ 1 ps steps)
  - Optical delay line (fs precision)



Optical high-speed video:  
160 ns shutter, 480.000 fps



**X-ray parameters:**

$E_{ph} = 18 \text{ keV}$   
 $\tau < 100 \text{ fs}$   
 $f_{rep} = 10 \text{ Hz}$   
 $\langle E_p \rangle = 1 \text{ mJ}$

**CRL Nanofocus:**

$M = 95.2$   
 $z_{01} = 102.5 \text{ mm}$   
 $z_{12} = 9756 \text{ mm}$   
 $p_{eff} = 68.23 \text{ nm}$

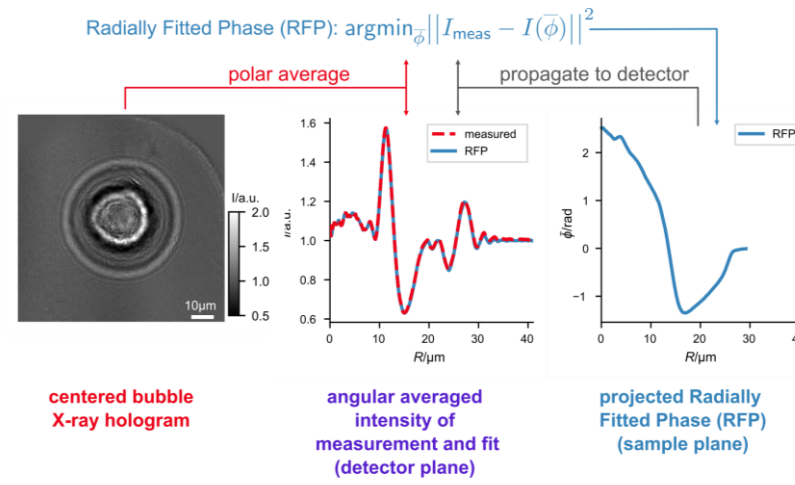
**IR Pump laser:**

$\lambda = 800 \text{ nm}$   
 $\tau \approx 60 \text{ fs}$   
 $f_{rep} = 10 \text{ Hz}$   
 $\langle E_p \rangle = 3 \mu\text{J} \dots 120 \mu\text{J}$

Electronic delay: 1200 ns ... 1 ns



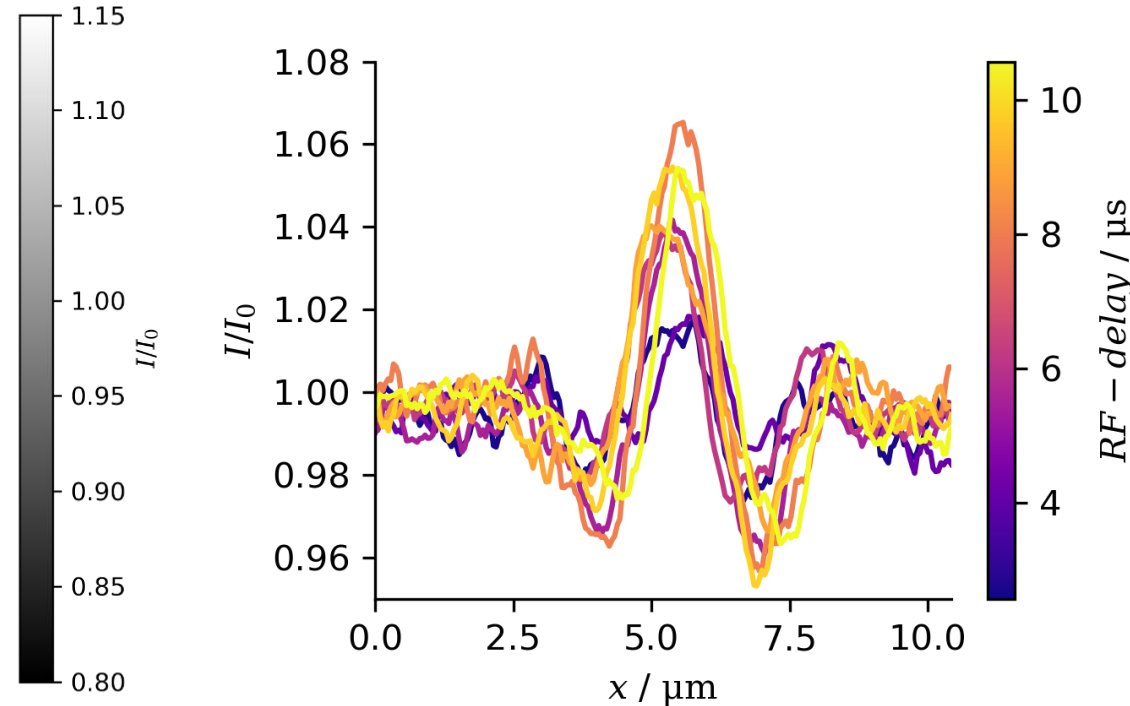
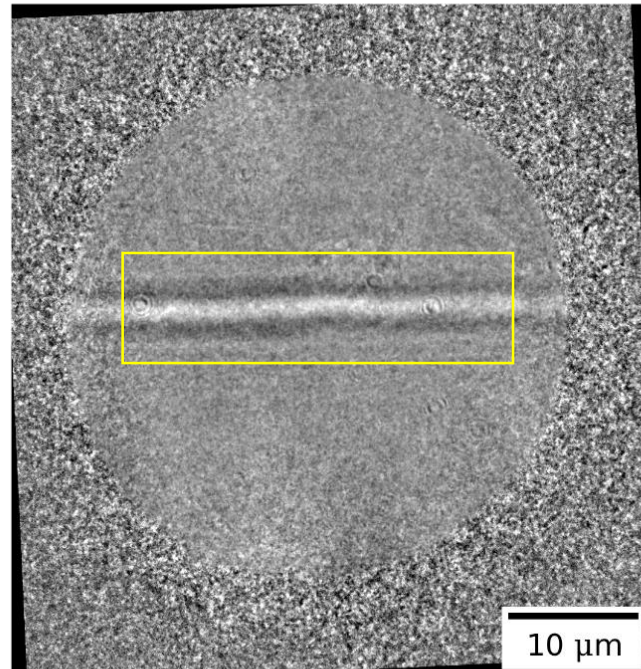
# Analysis (ongoing)



## Quantitative phase reconstruction:

- Alternating projections (AP) (2d)
- adapt rationally fitted phase (RFP) for cylindrical symmetry

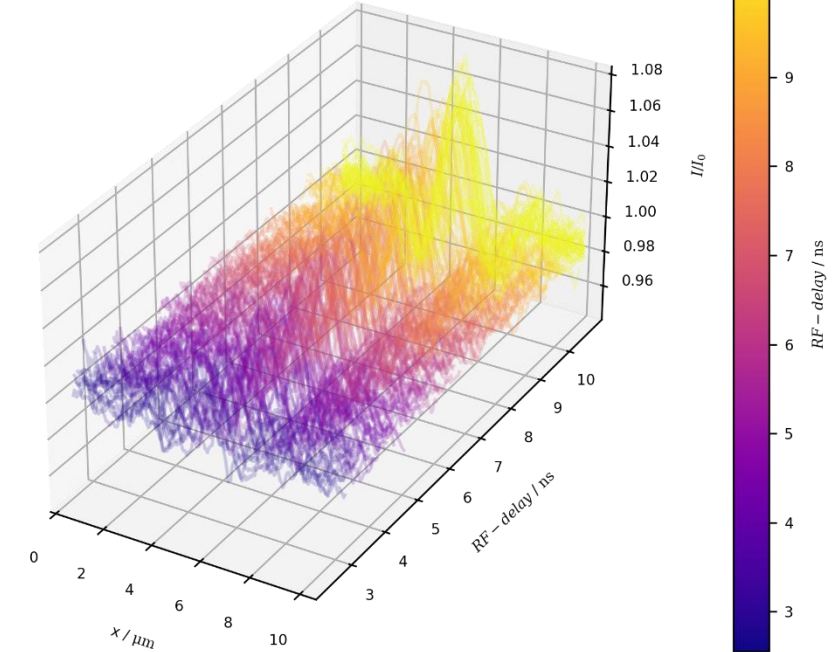
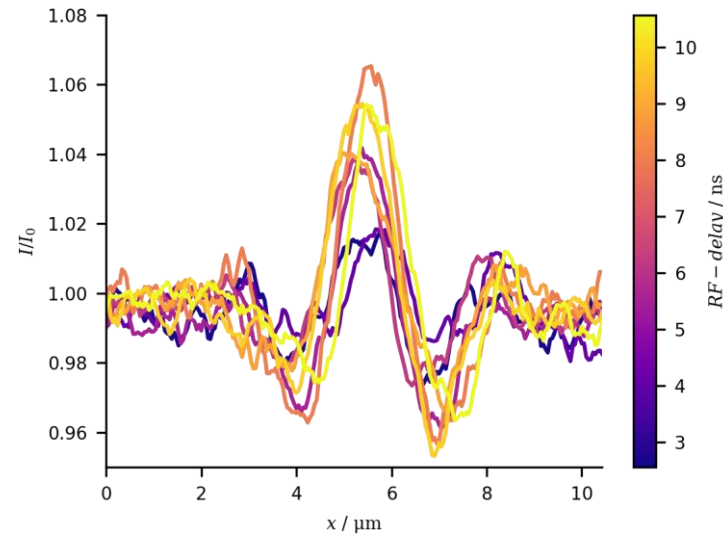
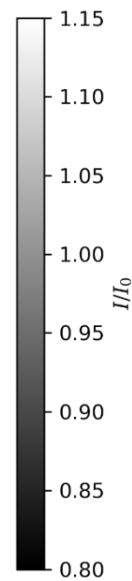
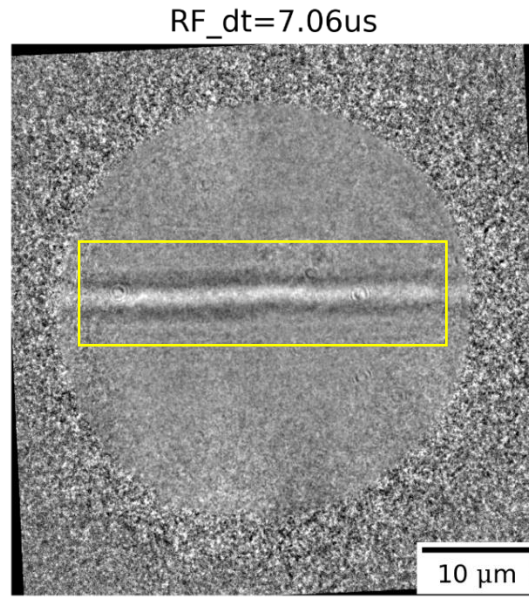
RF\_dt=7.06us



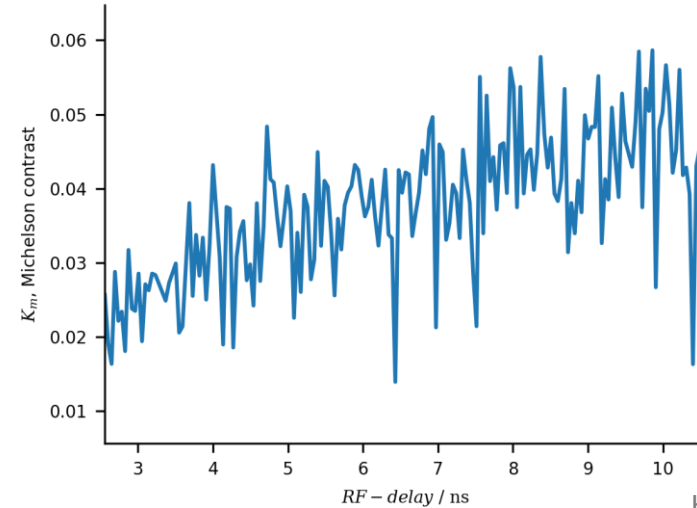
## Investigation of:

- optical breakdown
- filamentation
- plasma to vapour transition
- birth of cavitation bubble
- plasma and hydrodynamic simulations...

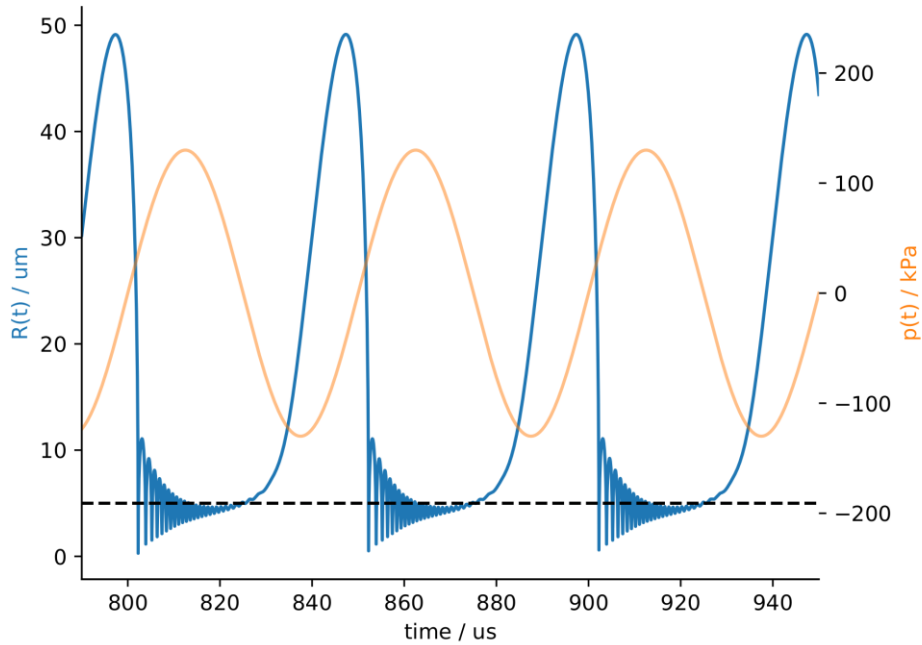
# plasma to bubble transition



- **$\mu\text{s}$  to ns dynamics:** (slow) bubble growth
- Shock wave emission?
- **ns & ps dynamics:** contrast increase (plasma cooling, recombination & transition to vapour cavity)
- -> laser surgery ! study of cavitation in tissues



# 3. Acoustic cavitation and trapping of a bubble



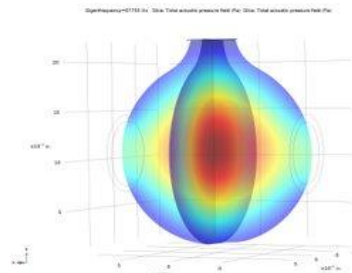
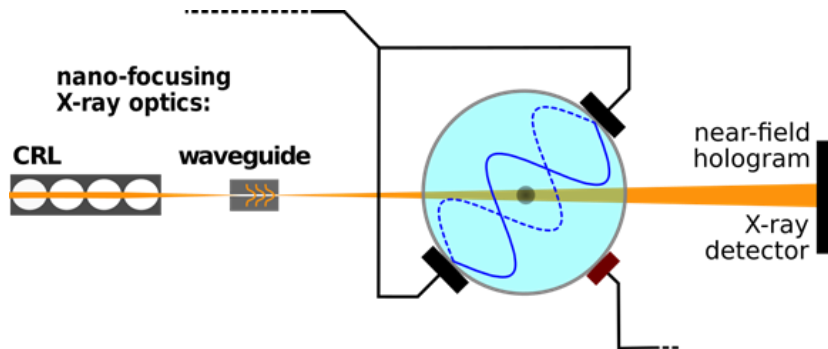
$$R\ddot{R} + \frac{2}{3}\dot{R}^2 = \frac{1}{\rho} \left( p_i - p_{stat} - \frac{2\sigma}{R} - \frac{4\eta}{R}\dot{R} \right)$$

### Main requirements for stable trapping:

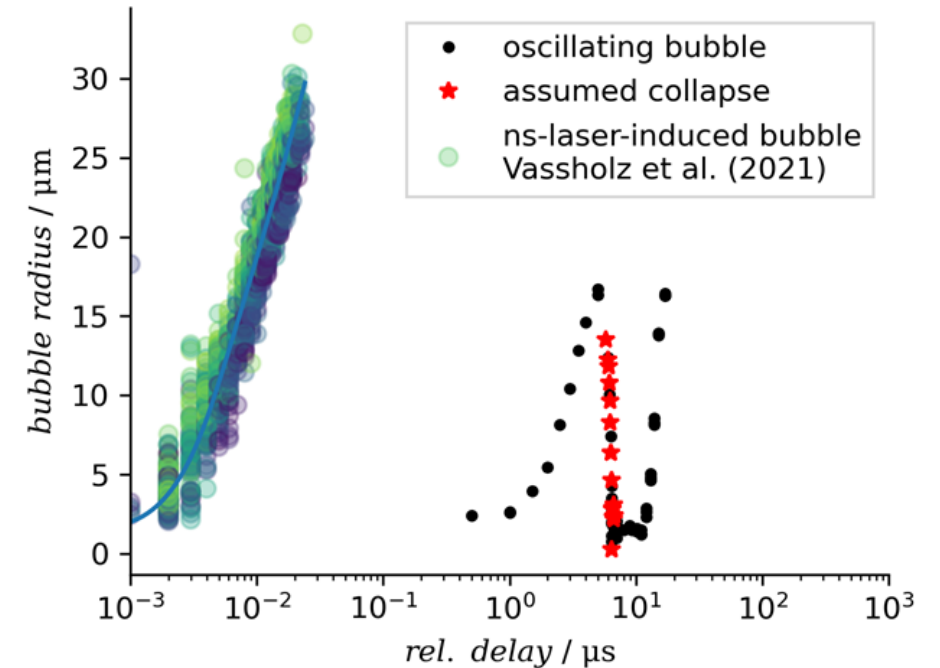
- positional stability  $\leftrightarrow$  Bjernkes force
- Spherical stability  $\leftrightarrow$  surface modes
- Diffusional stability  $\leftrightarrow$  rectified diffusion

$$F_B(\mathbf{x}) = -\langle V(t) \nabla p_{ac}(\mathbf{x}, t) \rangle_{\tau}$$

$$p_{ac}(\mathbf{x}, t) = p_a(\mathbf{x}) \sin(\omega_a t).$$



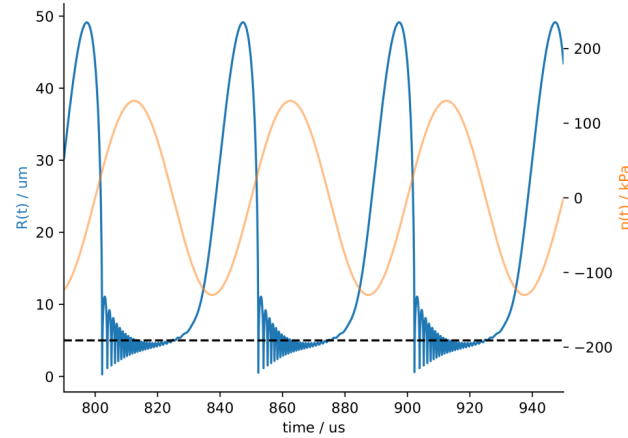
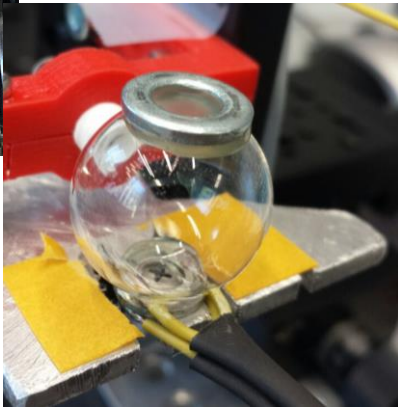
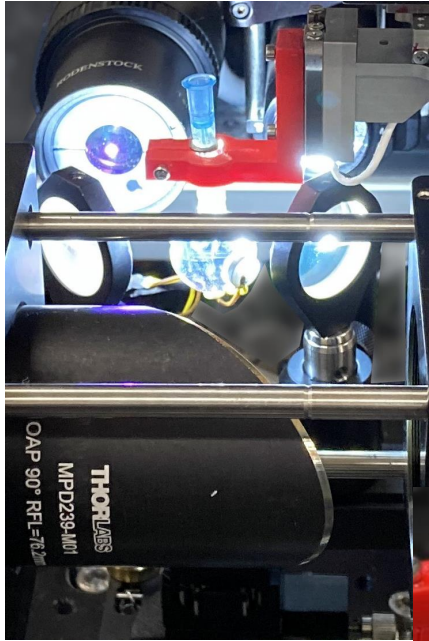
ultrasonic standing wave field



- oscillating bubble
- ★ assumed collapse
- ns-laser-induced bubble Vassholz et al. (2021)

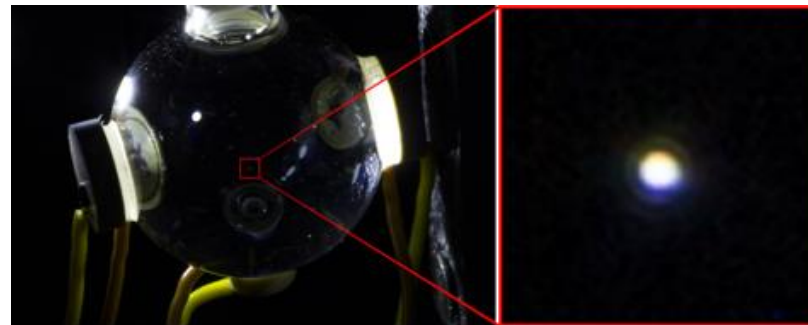
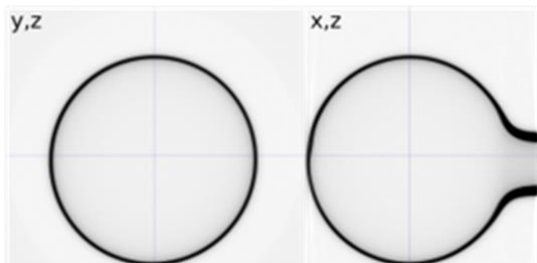


# Imaging the bubble collapse – acoustic trapping & SBSL

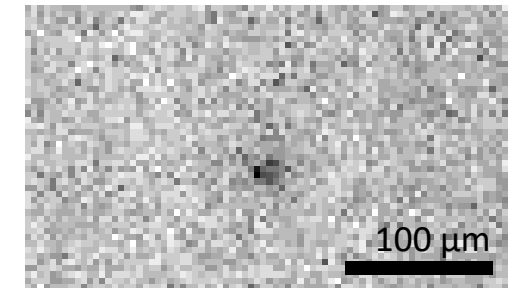


## The non-linear bubble oscillator:

- **Expansion** to maximum radius, e.g.  $\sim 50\mu\text{m}$
- **Collapse:** to extremely compressed bubble
  - $T \approx 4.000 - 10.000 \text{ K}$
  - Shock wave emission,  $\approx 90\%$  energy loss
  - Compression to almost liquid-like densities
  - Chemical dissociation reactions
  - **sonoluminescence, thermal bremsstrahlung & radiative recombination?**
- after-bounces and repeated expansion



resonance chamber:  $d=19 \text{ mm}$  cuvette with a trapped bubble at  $f=88 \text{ kHz}$

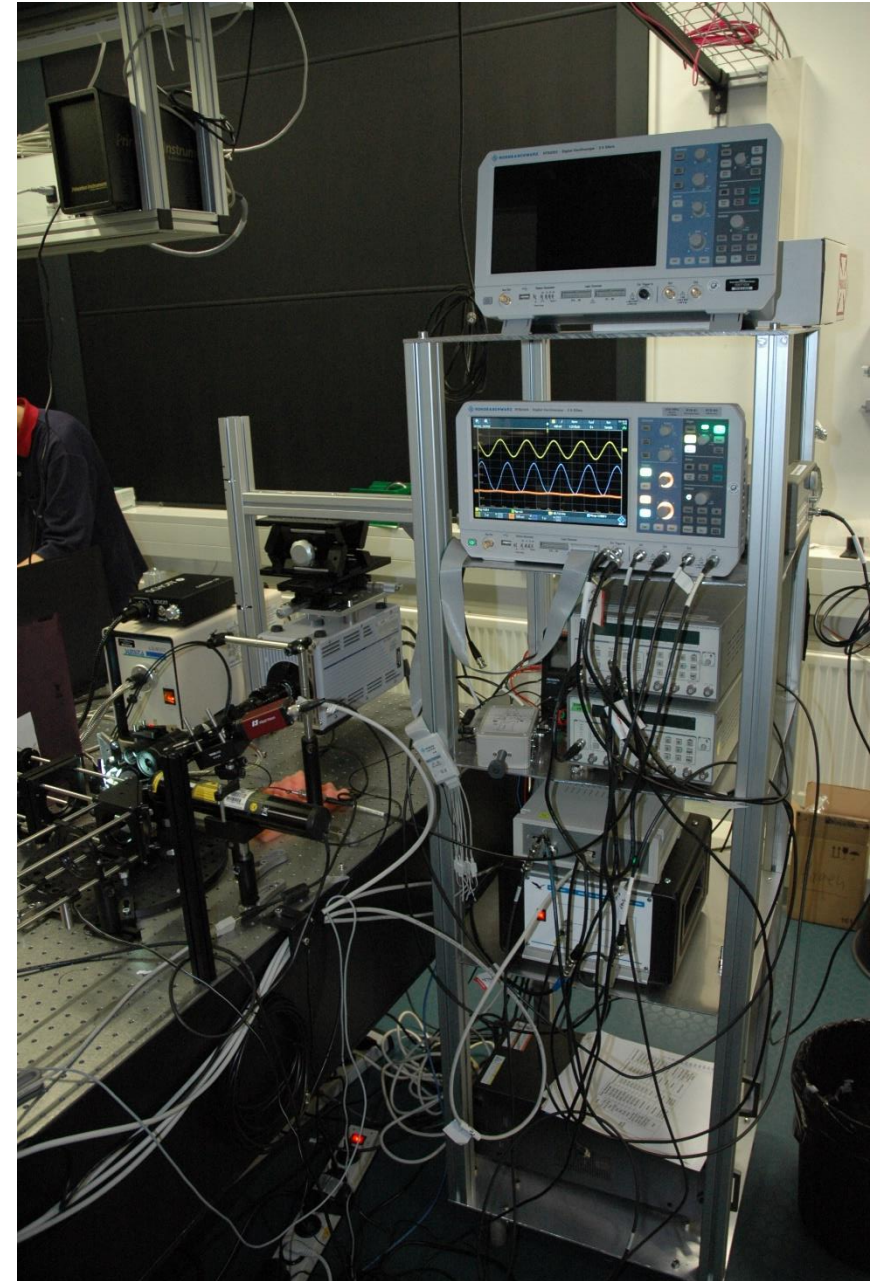
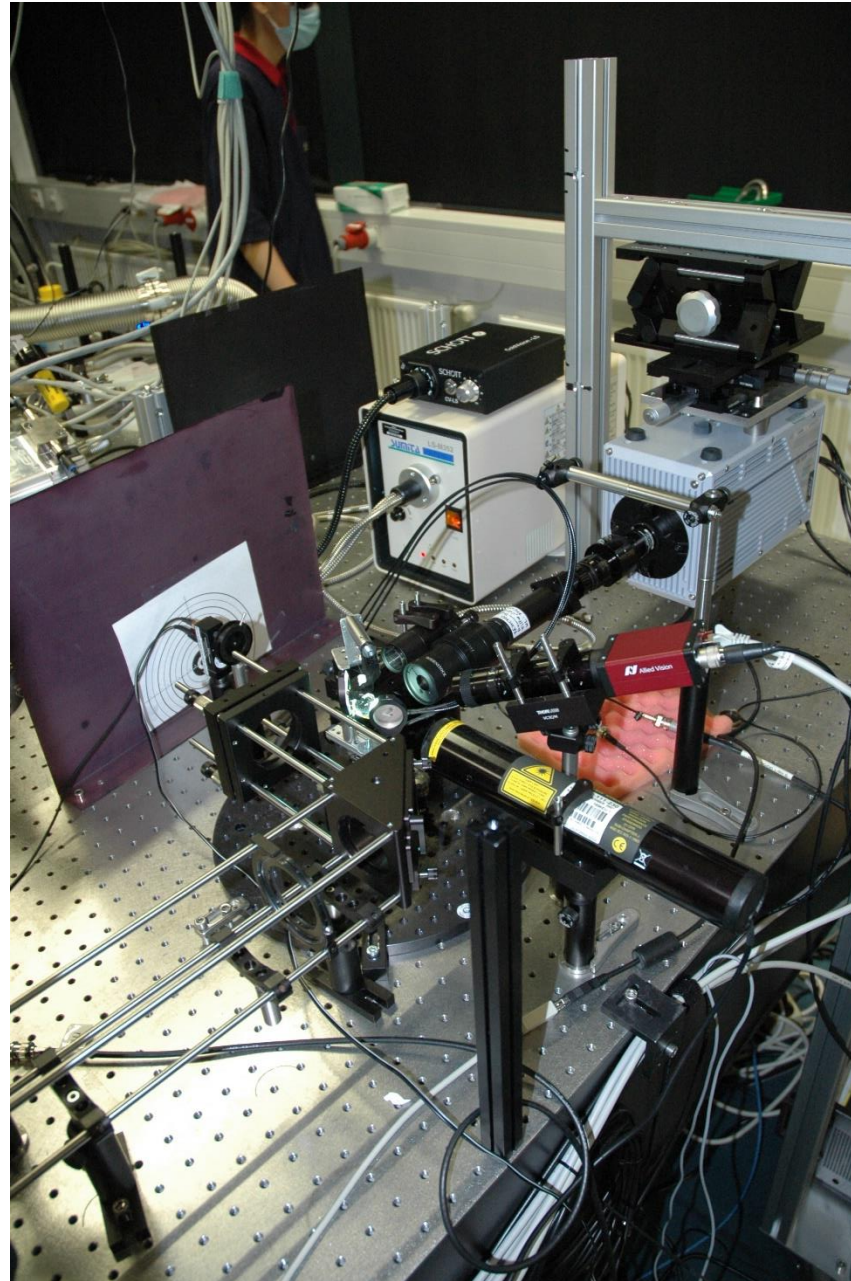


160 ns shutter, 480.000 fps  
 $\sim 88 \text{ kHz}$  ultrasonic driving

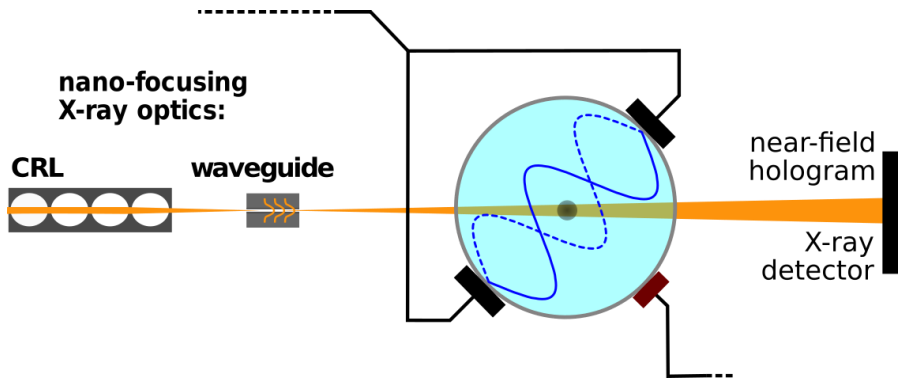


# In-house setup

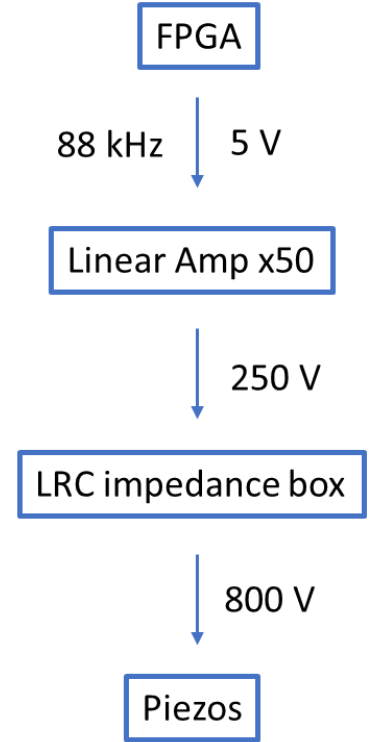
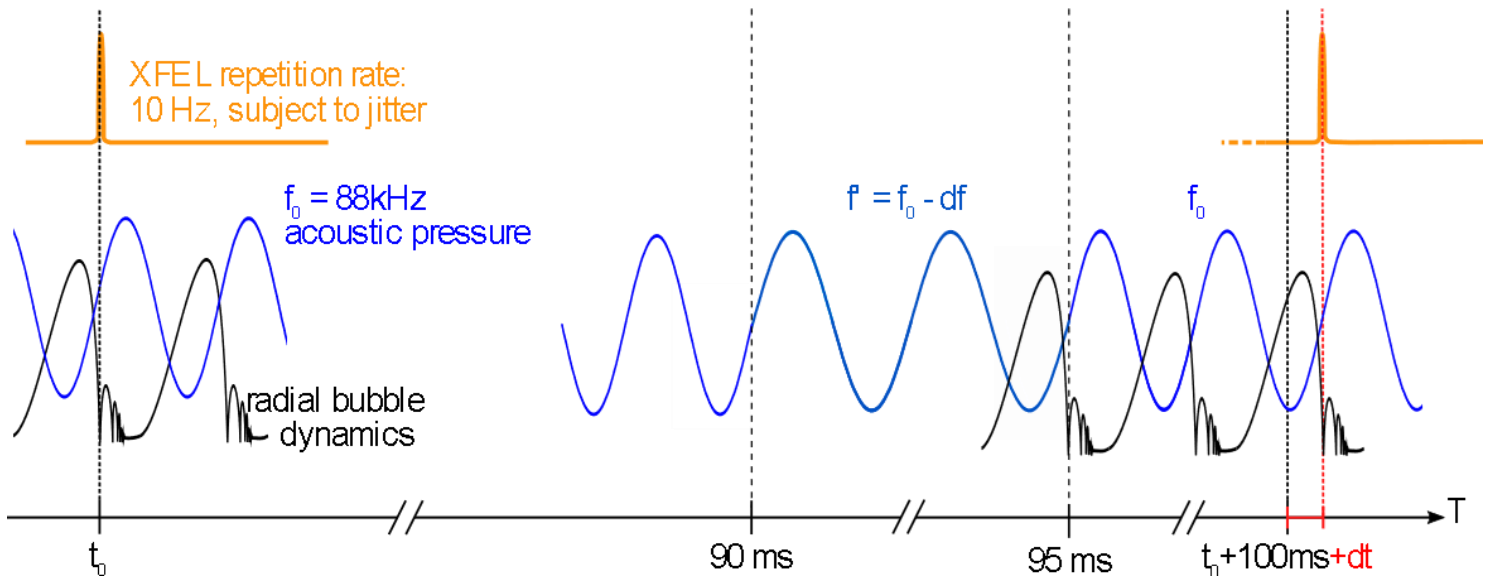
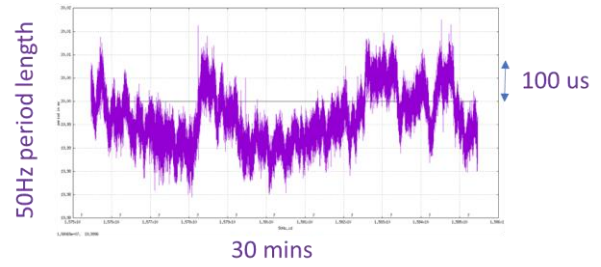
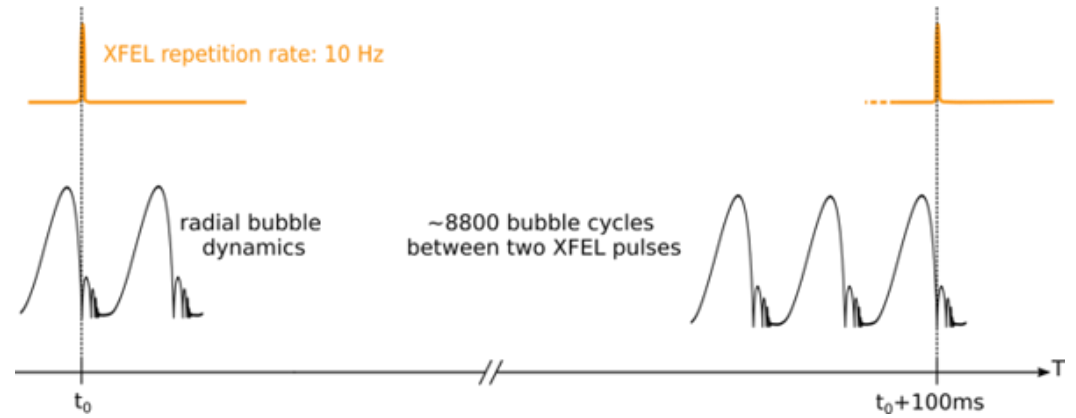
PXS lab:  
TiSa fs laser (Coherent)  
Acoustics & timing



# Acoustic synchronization & timing

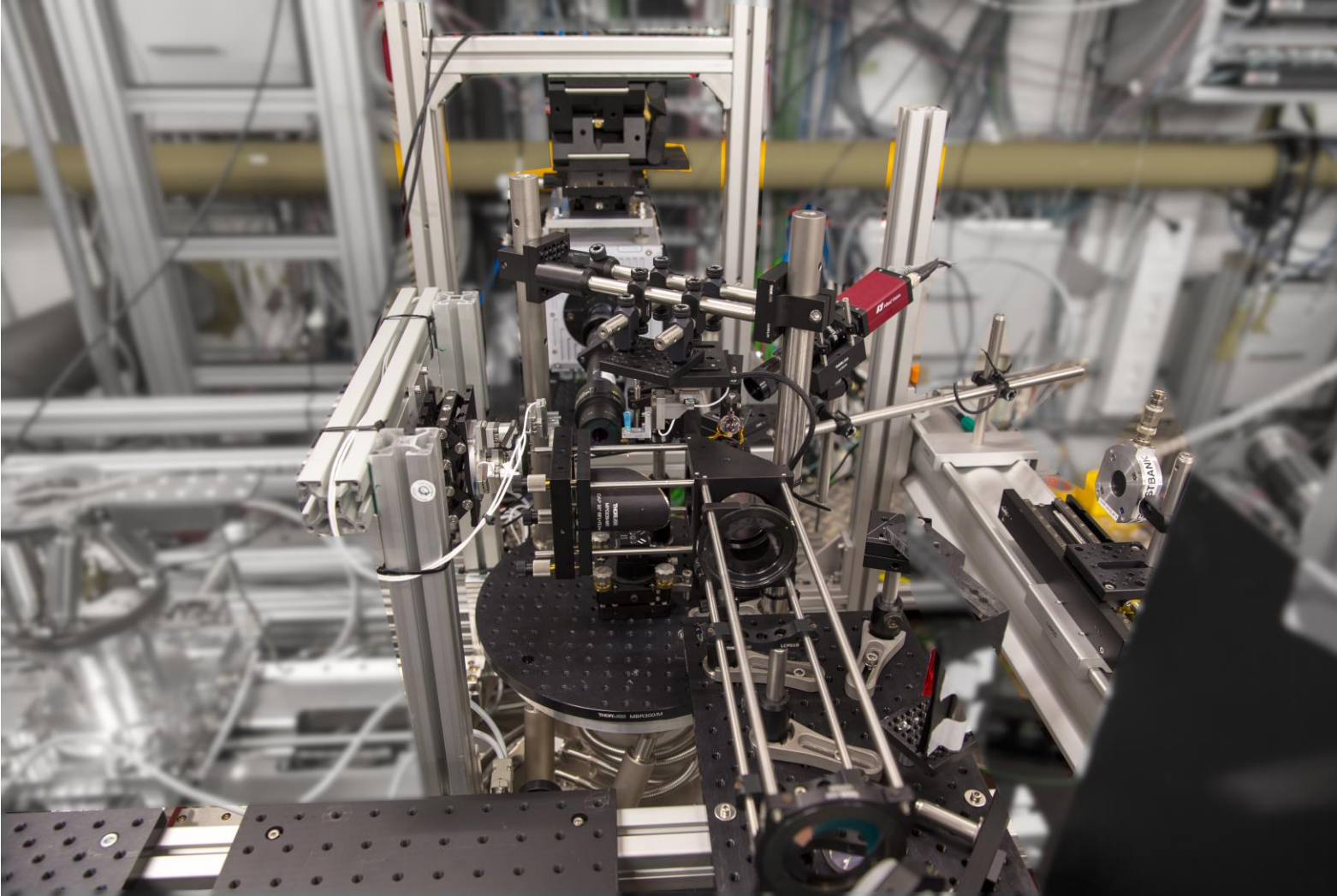


challenge: bunchclock synchr. to the mains: *jitter!*





# XFEL beamtime p2807 10/21: Experimental parameters at MID



## **X-ray parameters:**

$E_{ph} = 18 \text{ keV}$

$\tau < 100 \text{ fs}$

$f_{rep} = 10 \text{ Hz}$

$\langle E_p \rangle = 1 \text{ mJ}$

## **CRL Nanofocus:**

$M = 95.2$

$z_{01} = 102.5 \text{ mm}$

$z_{12} = 9756 \text{ mm}$

$\rho_{eff} = 68.23 \text{ nm}$

## **IR Pump laser:**

$\lambda = 800 \text{ nm}$

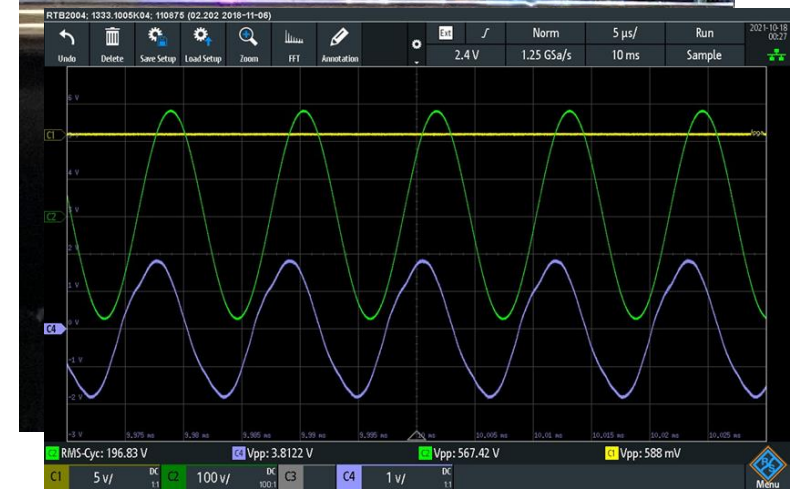
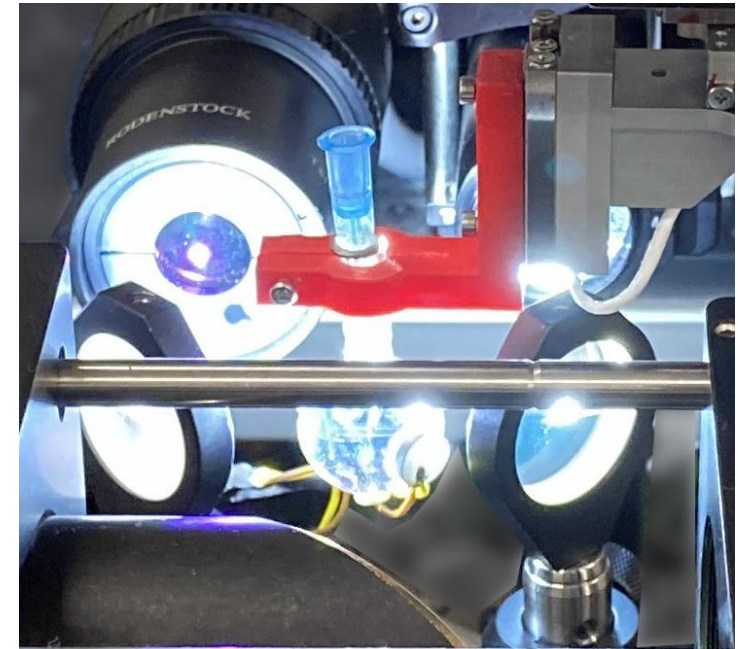
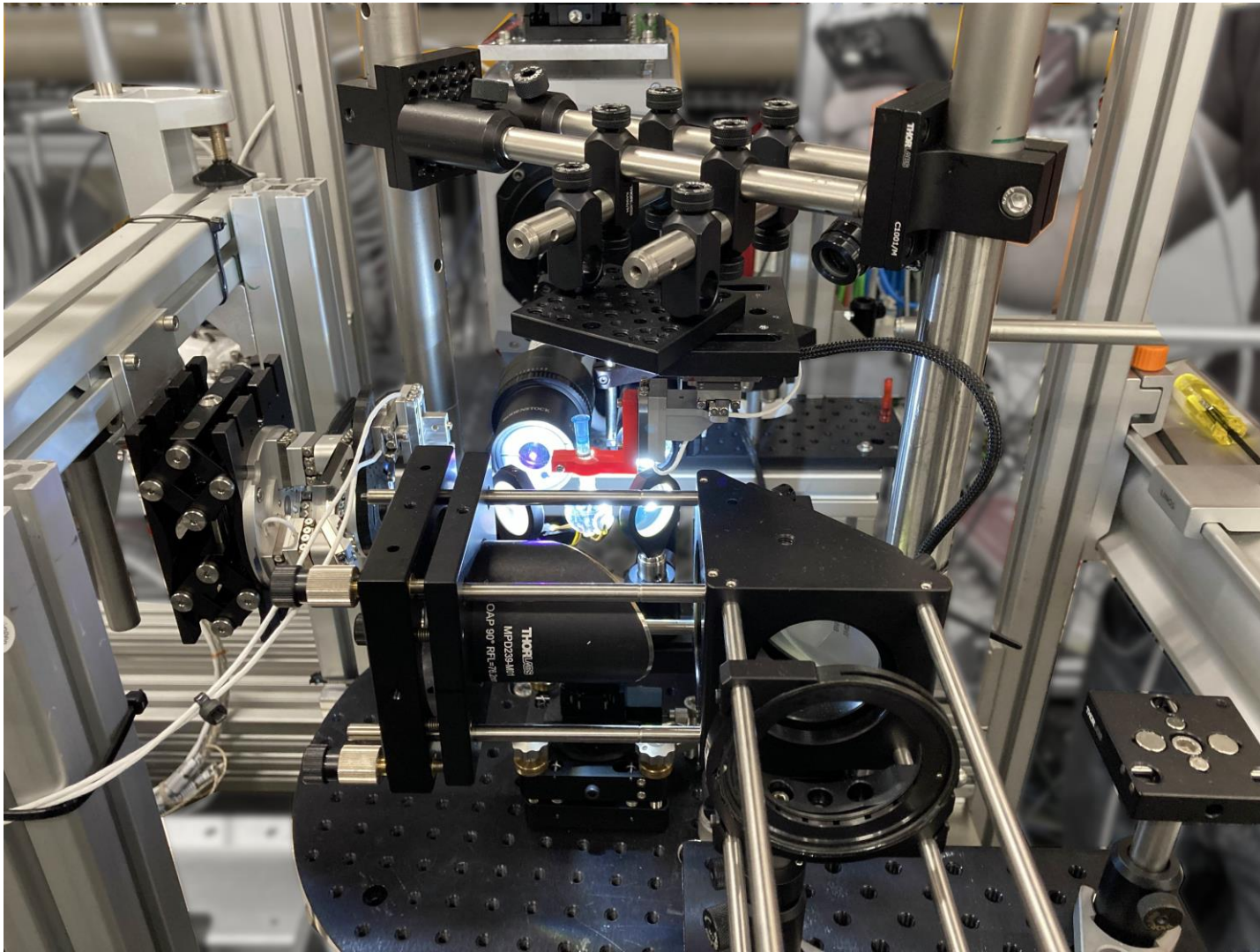
$\tau \approx 60 \text{ fs}$

$f_{rep} = 10 \text{ Hz}$

$\langle E_p \rangle = 3 \mu\text{J} \dots 120 \mu\text{J}$



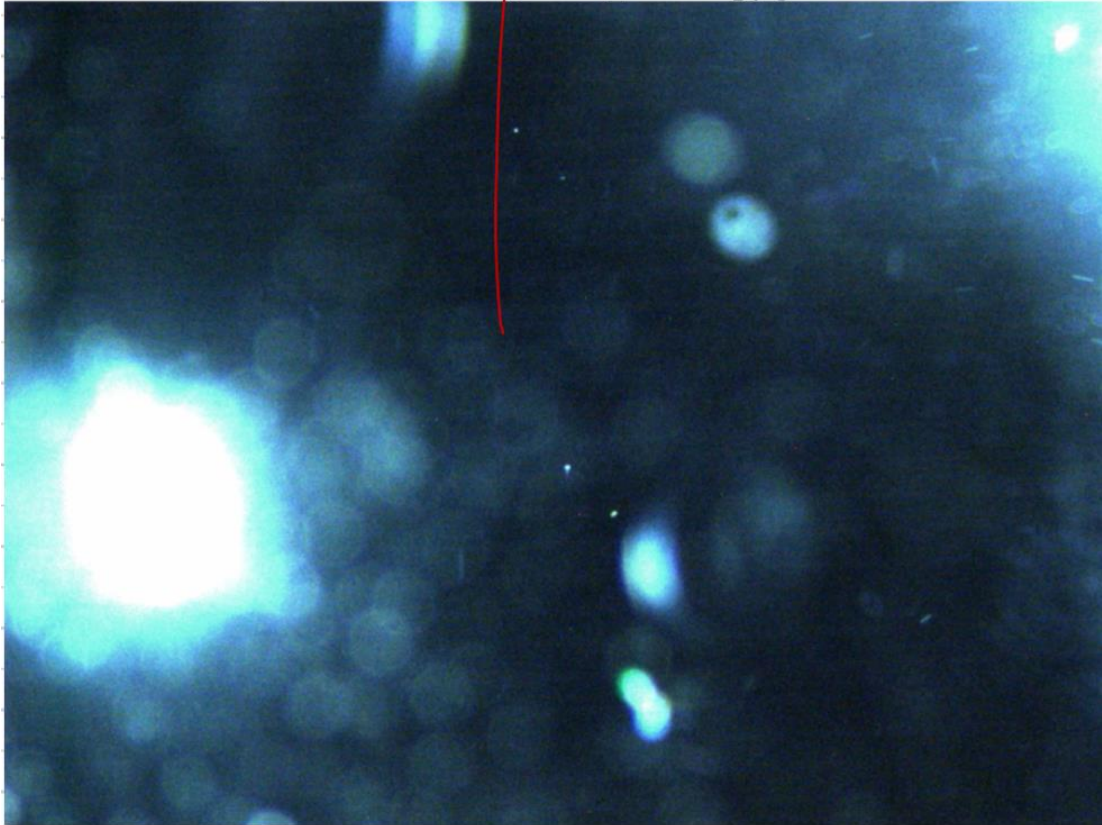
# Experimental Setup for acoustic trapping installed at MID





# Live observation of luminescence

camera: cavi, file: init\_cavi\_0000.jpg



Sun Oct 17 23:14:21 2021

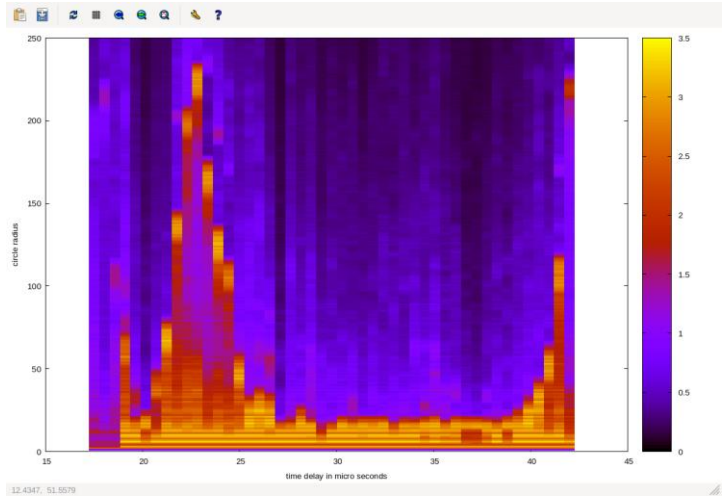
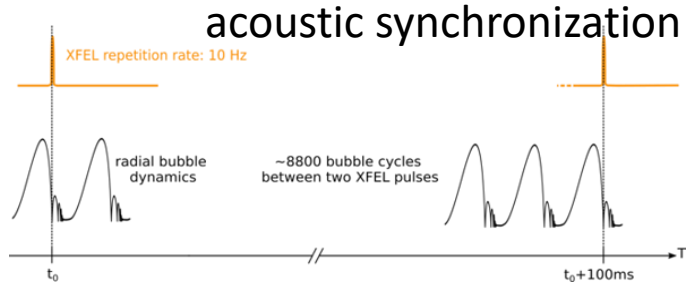
camera: cavi, file: init\_cavi\_0000.jpg



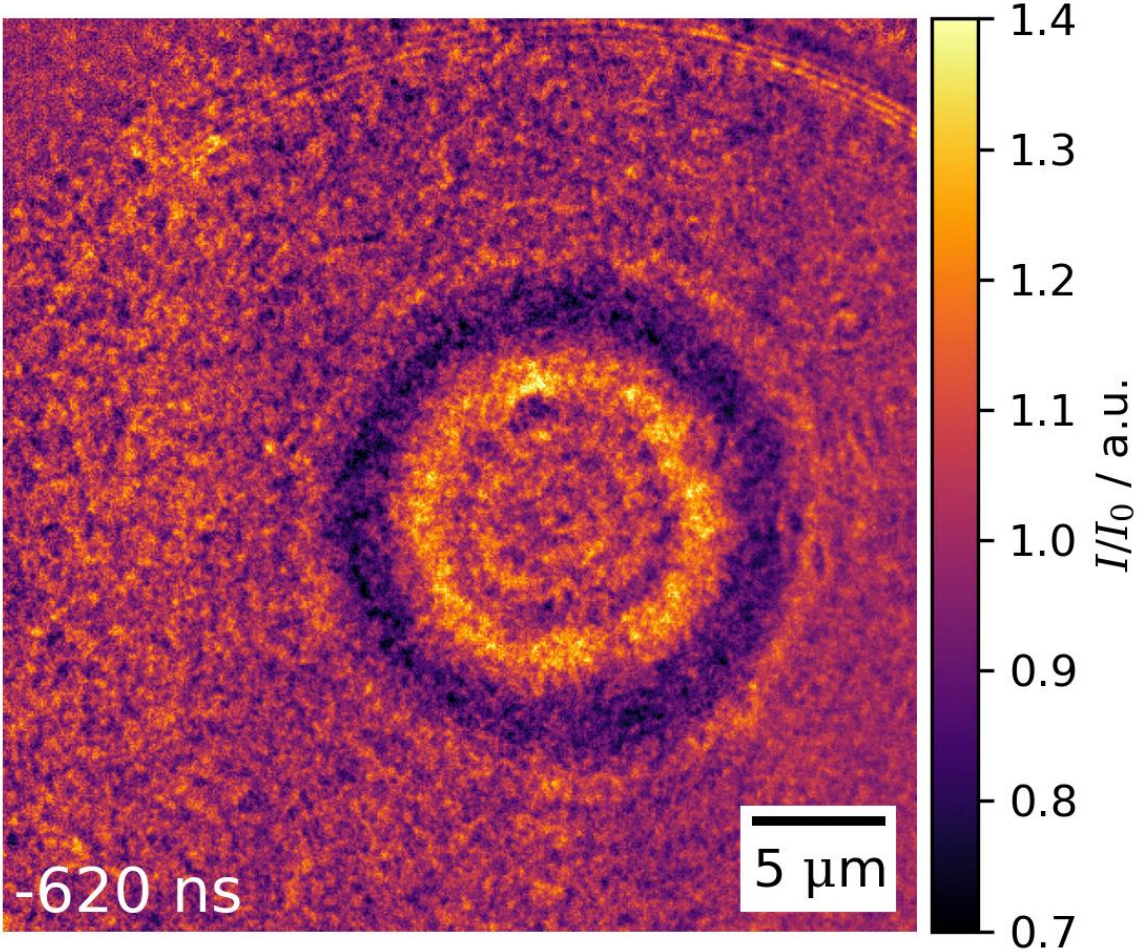
Sun Oct 17 23:06:33 2021



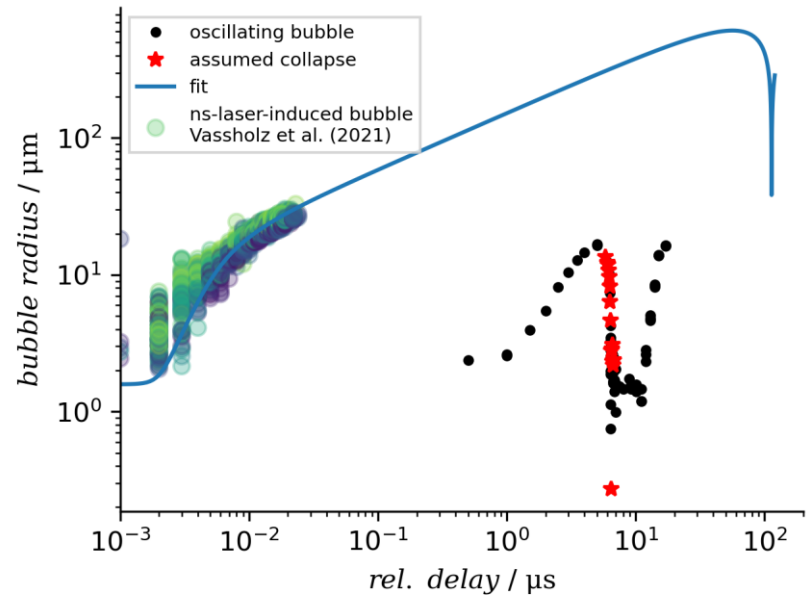
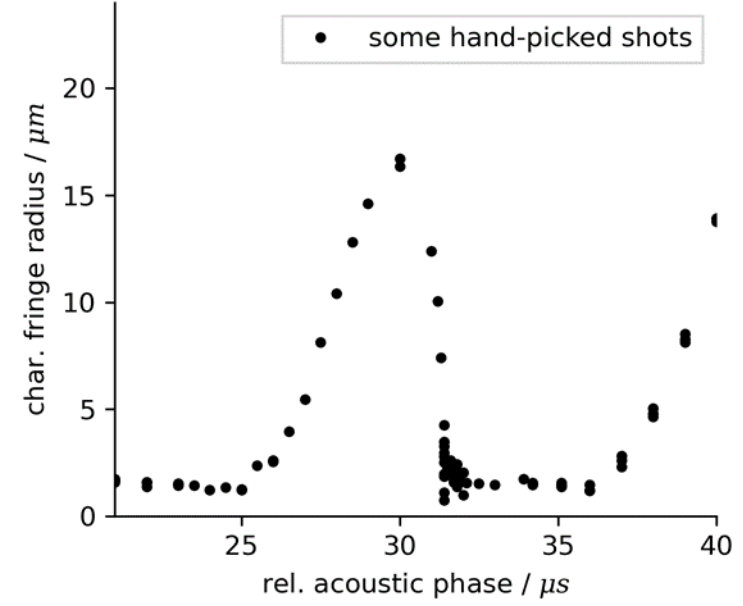
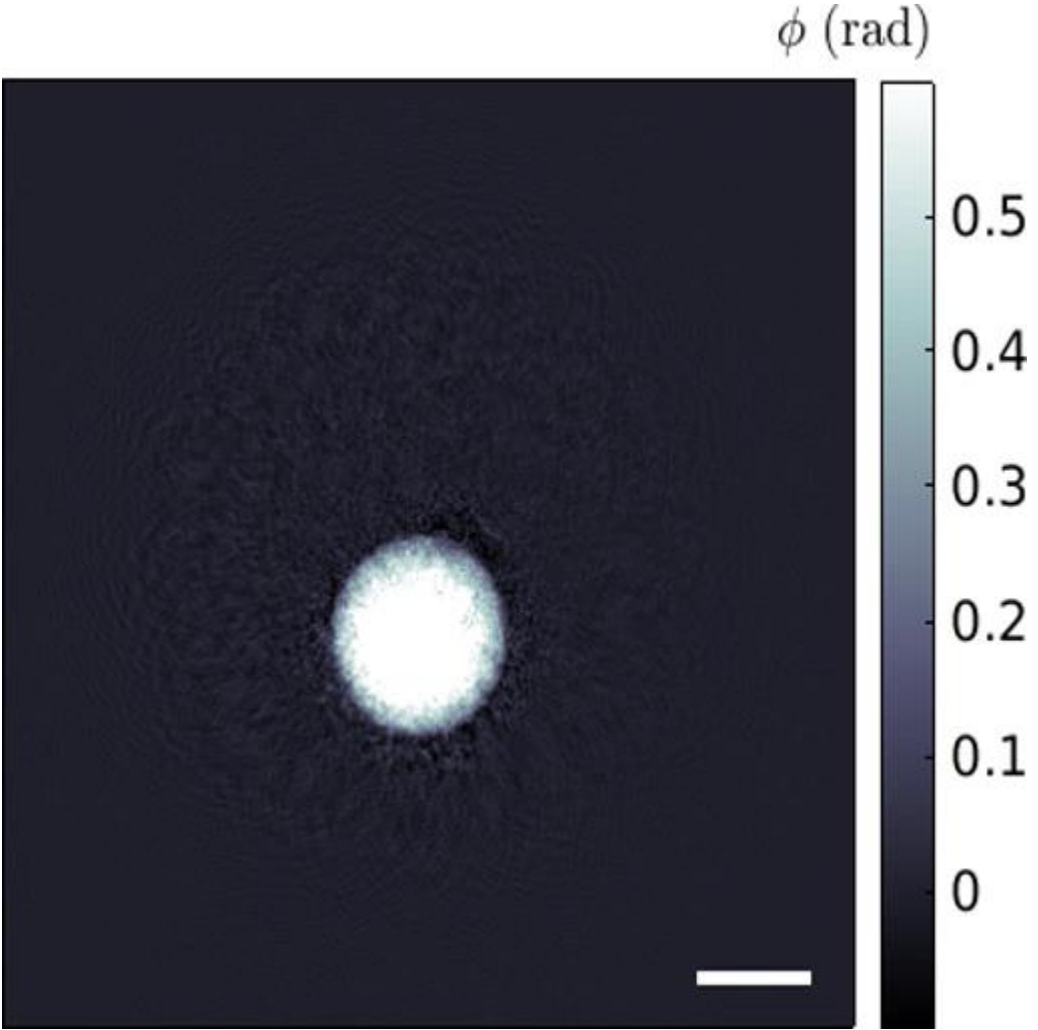
# First results: sampling of the collapse



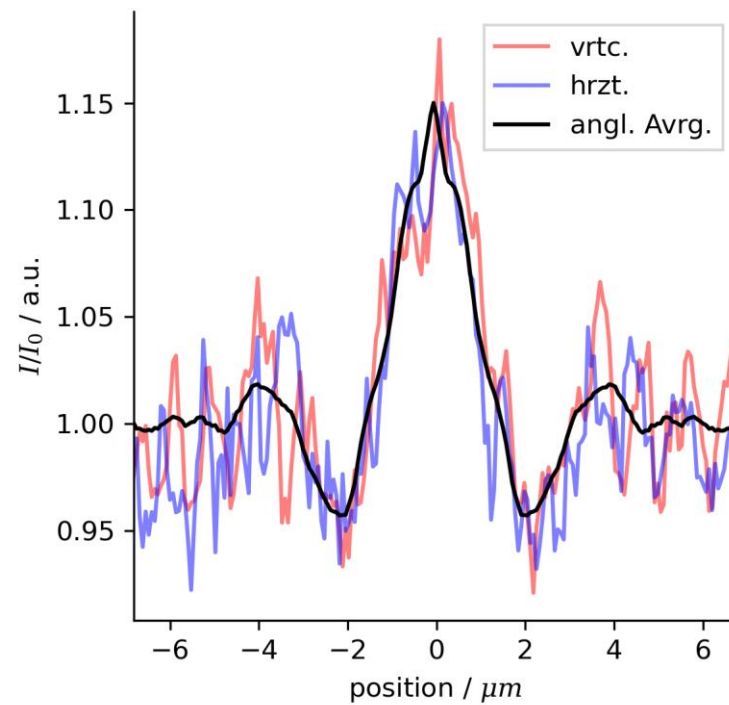
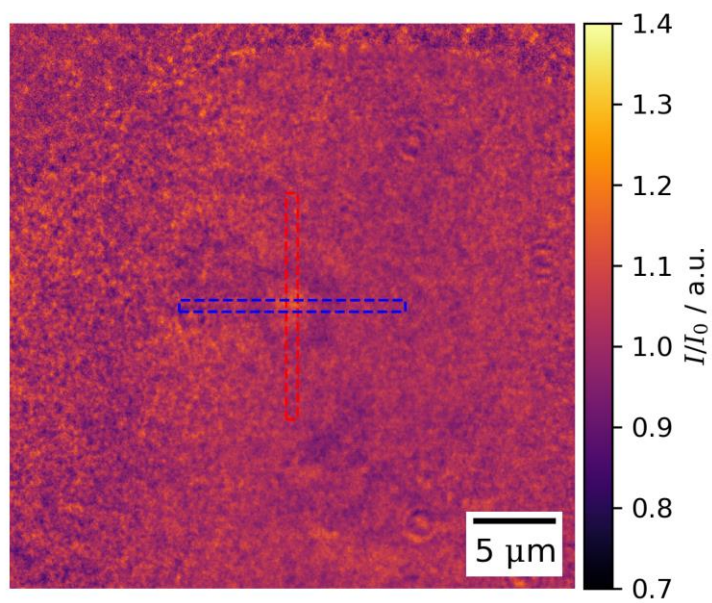
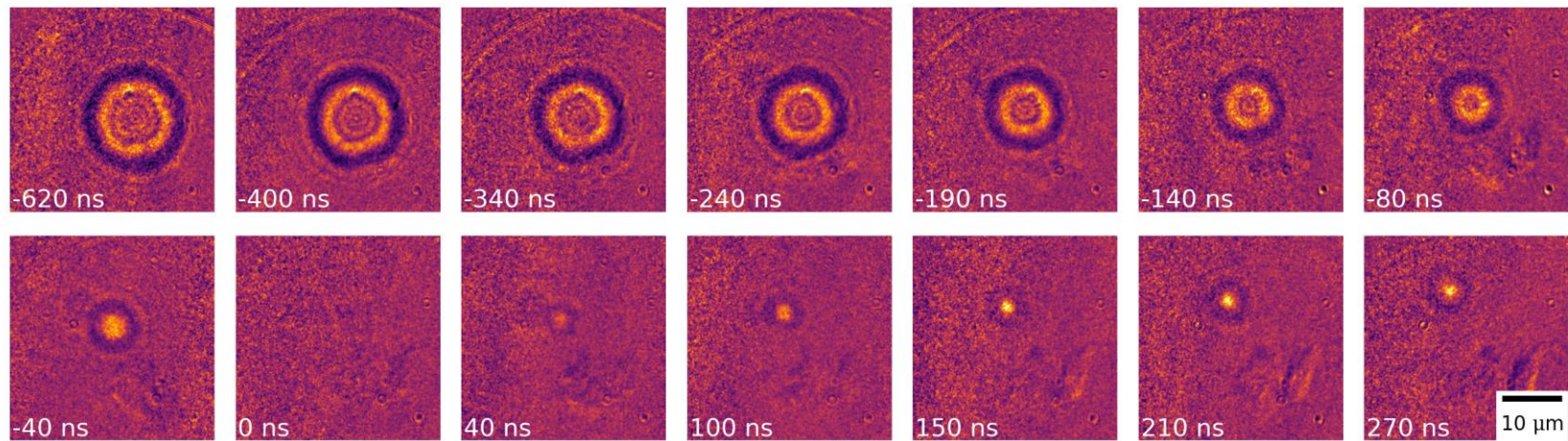
Acoustic delay /  $\mu\text{s}$



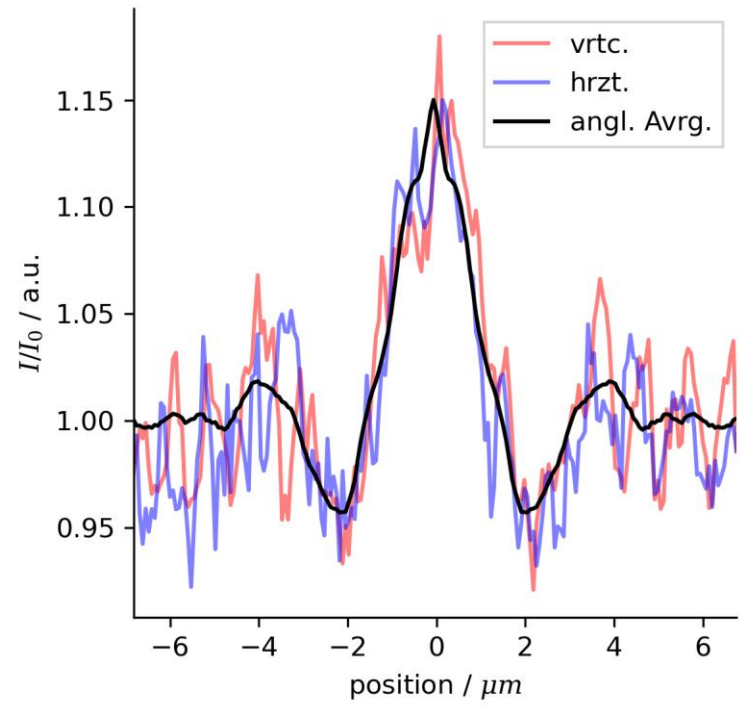
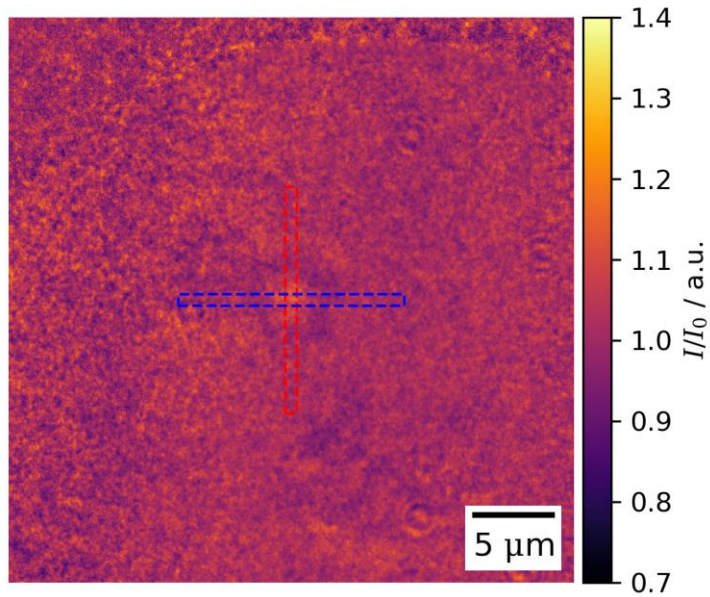
# First results: phase reconstruction



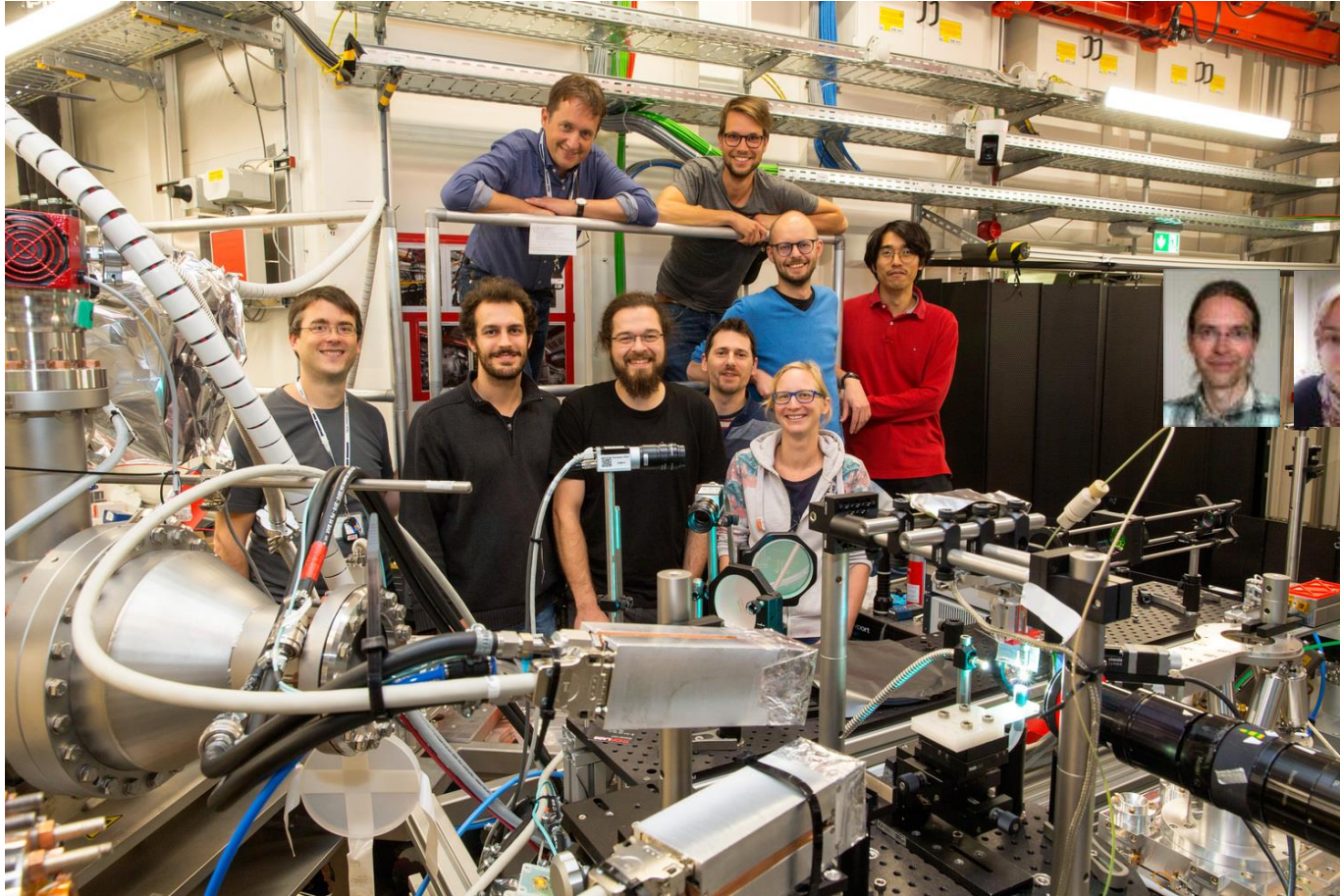








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*thanks for an amazing instrument  
and fruitful collaboration !*