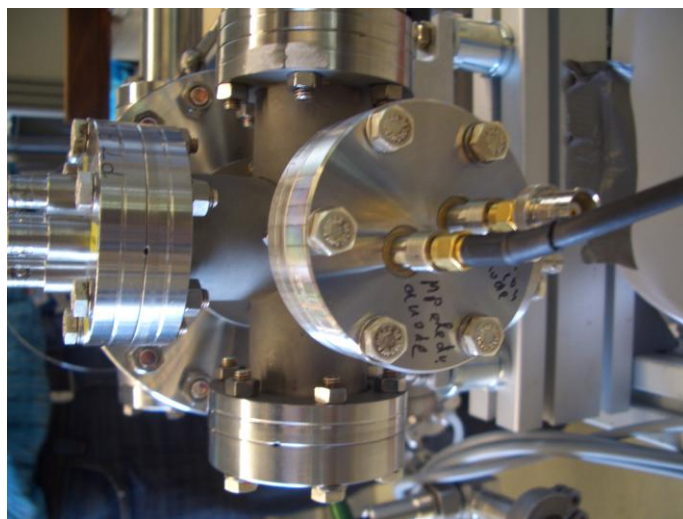


Photoelectron and Ion (Time-of-Flight) Spectroscopy

See the Light, Know the Light!



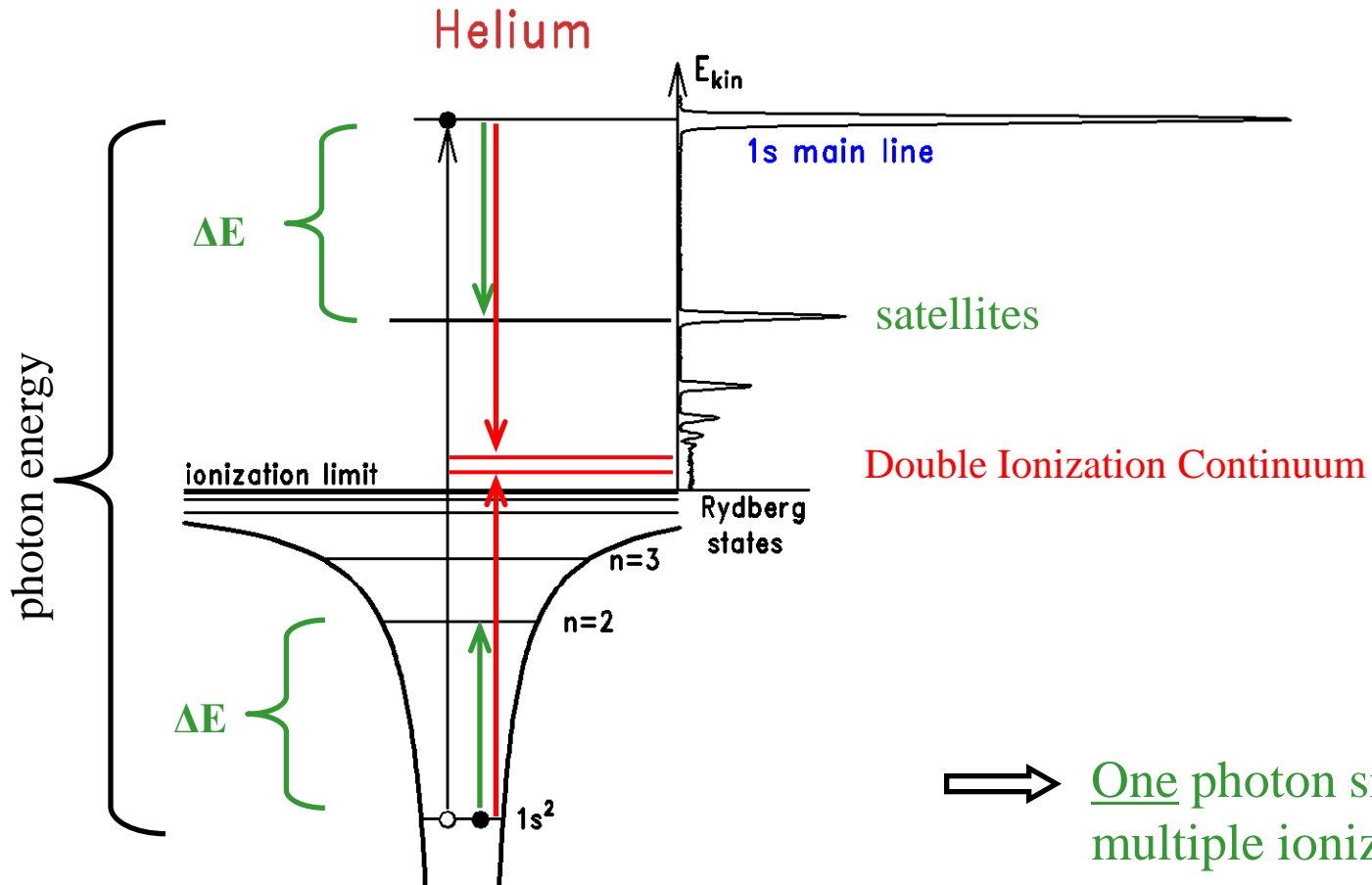
P. Juranić, M. Martins, J. Viefhaus, A. A. Sorokin, G. Brenner, S. Bonfigt, L. Jahn, M. Iichen, S. Klummp, M. Richter, K. Tiedtke
XFEL Workshop
Ryn, Poland, Feb 14th – 17th, 2010

Outline

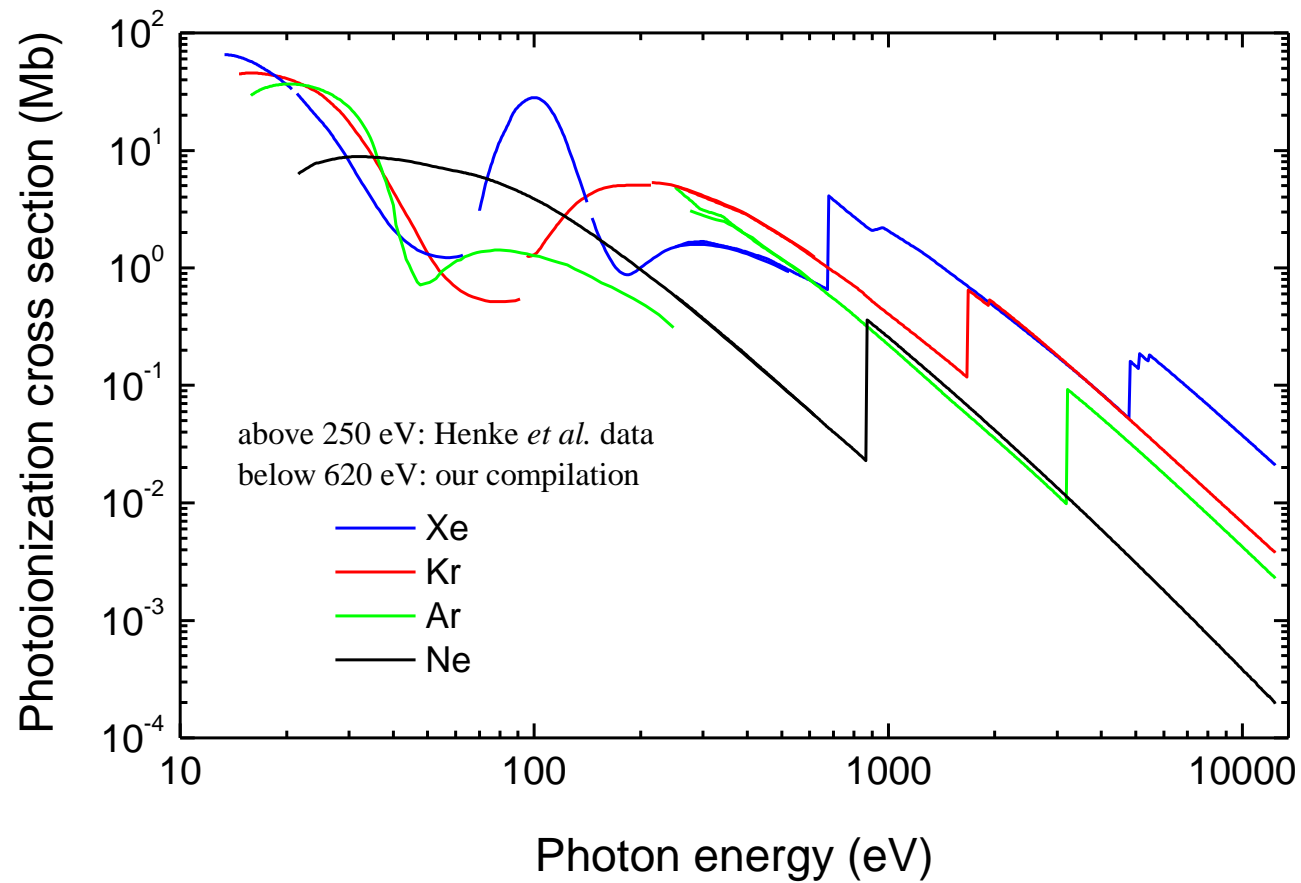
- > A quick introduction to photoionization
 - Some basic concepts
- > The on-line photoionization spectrometer
 - The electron time-of-flight spectrometer (eTOF)
 - The ion time-of-flight spectrometer (iTOF)
- > Conclusion



Photoionization Theory

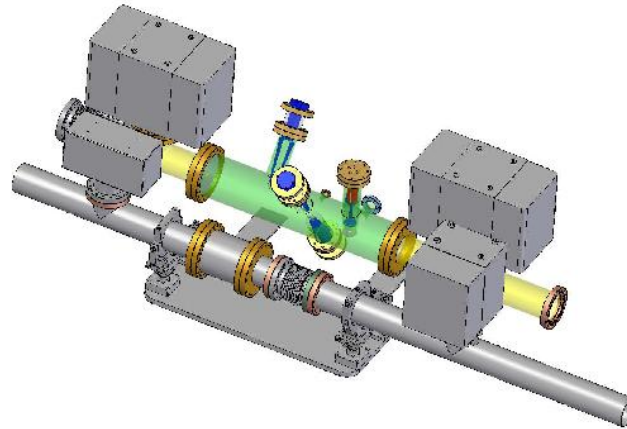


Photoionization Cross Sections of Some Rare Gases



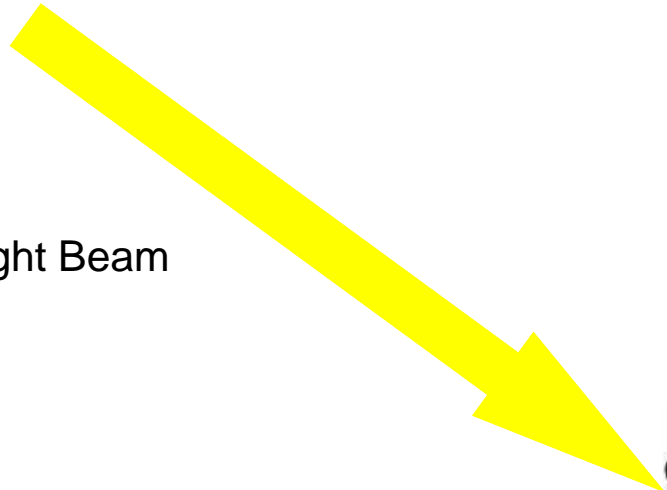
The Photionization Spectrometer

- > Want to measure the FEL beam bunch properties, like wavelength, higher harmonics, multiple modes, etc.
- > To do this, we will use electron and ion time-of-flight (TOF) spectrometers.

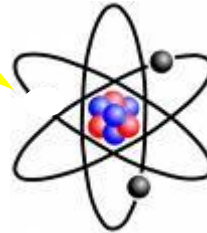


A Closer Look at the Interaction Region

Light Beam

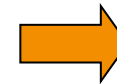


● Electron



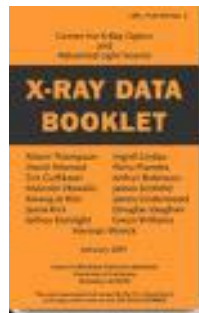
Atom

$$KE_{\text{electron}} = E_{\text{photon}} - \text{Binding Energy}$$

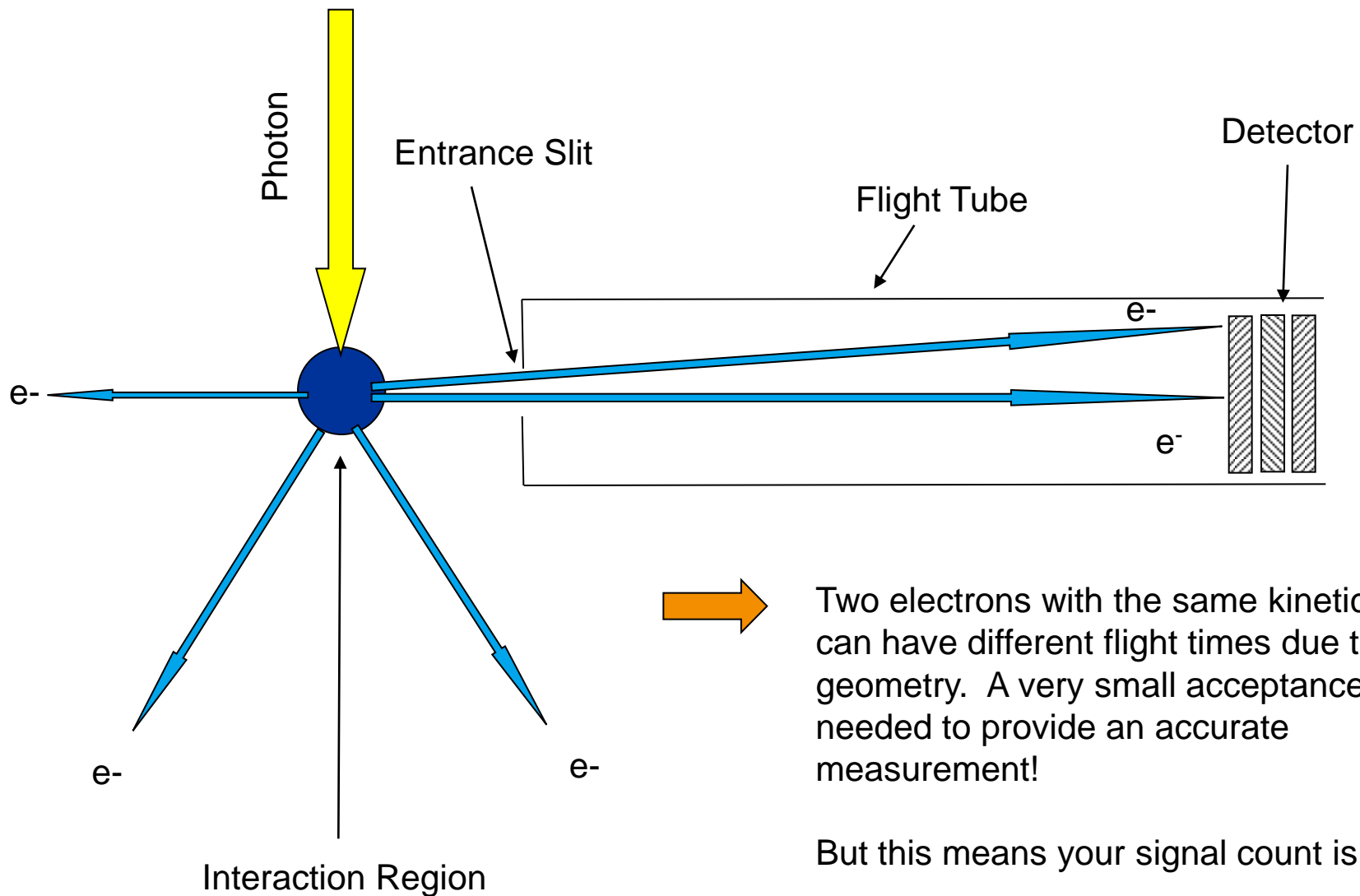


If you know the binding energy, and you can measure the electron kinetic energy, you can evaluate the energy of the photon!

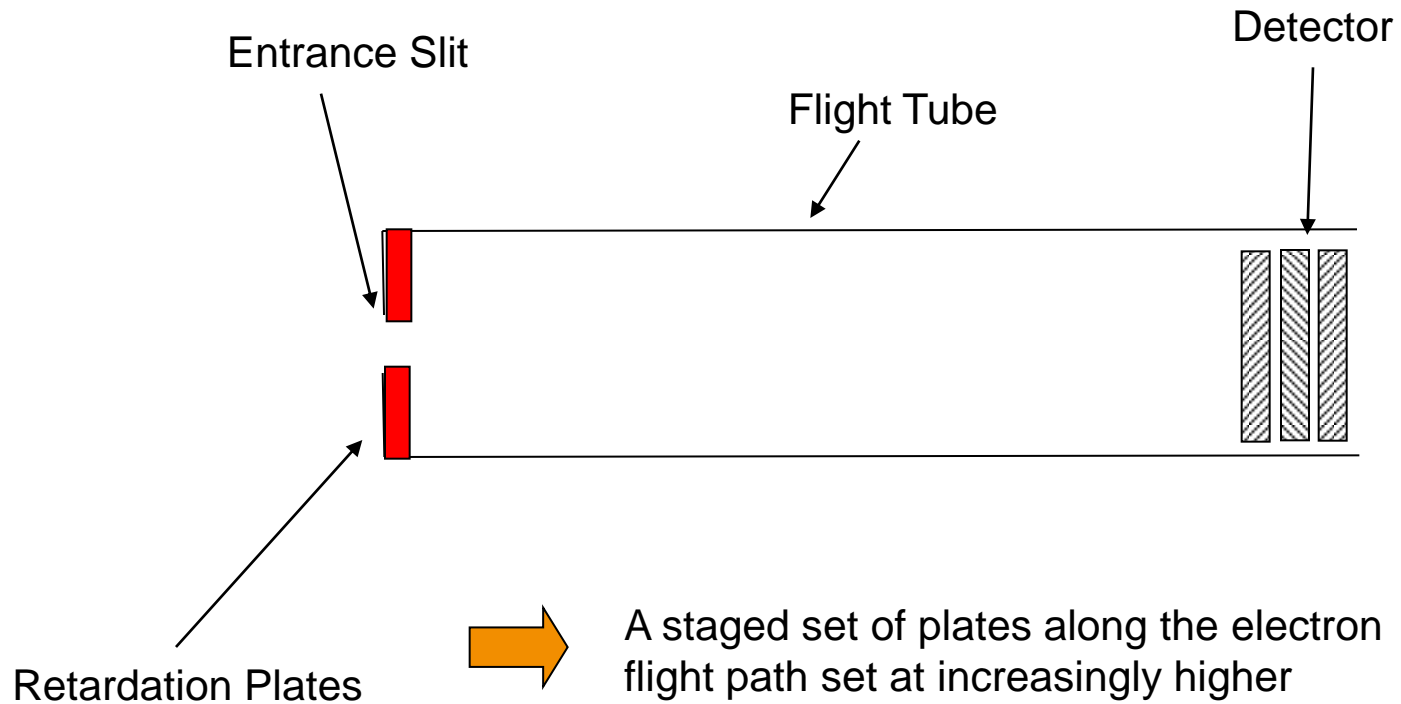
The binding energies are easy . . .



The Electron Time of Flight Spectrometer



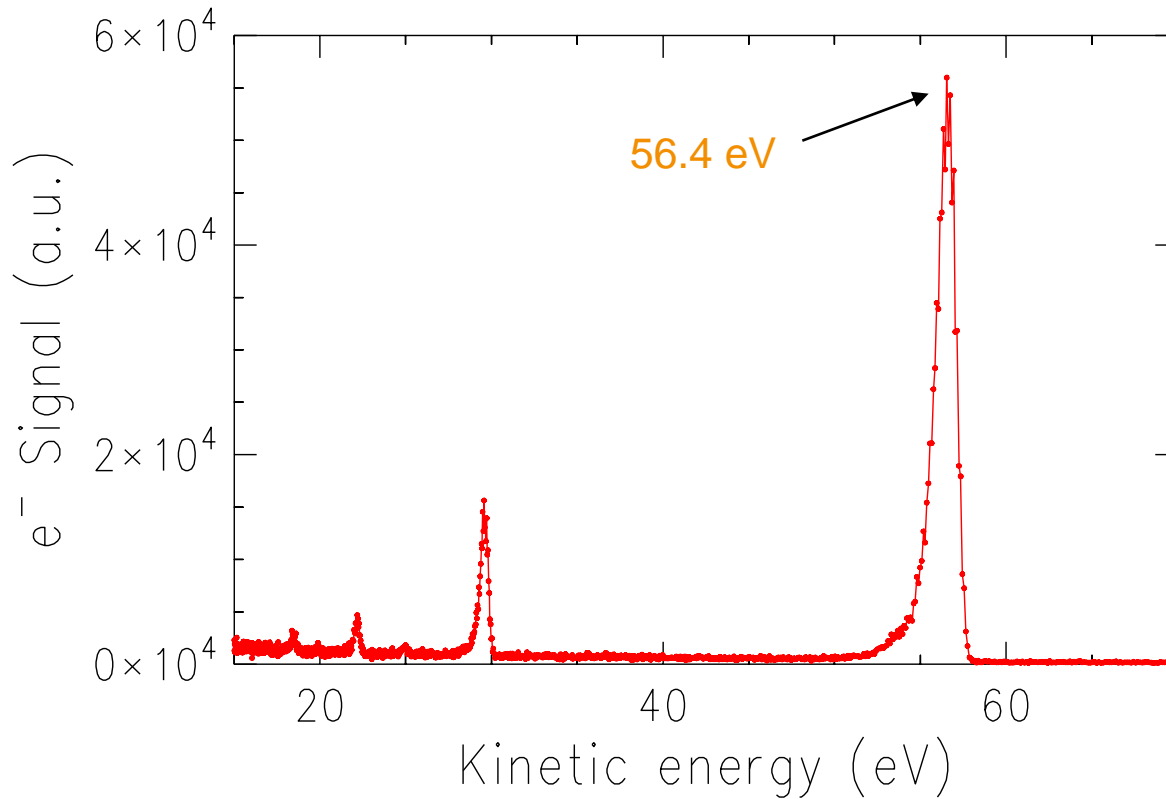
eTOF Flight Time Retardation



A staged set of plates along the electron flight path set at increasingly higher voltages. It filters out the slower electrons, letting us see just the ones that we want. The slowed electrons are also easier to resolve.

The Spectra

eTOF spectrum of Ne



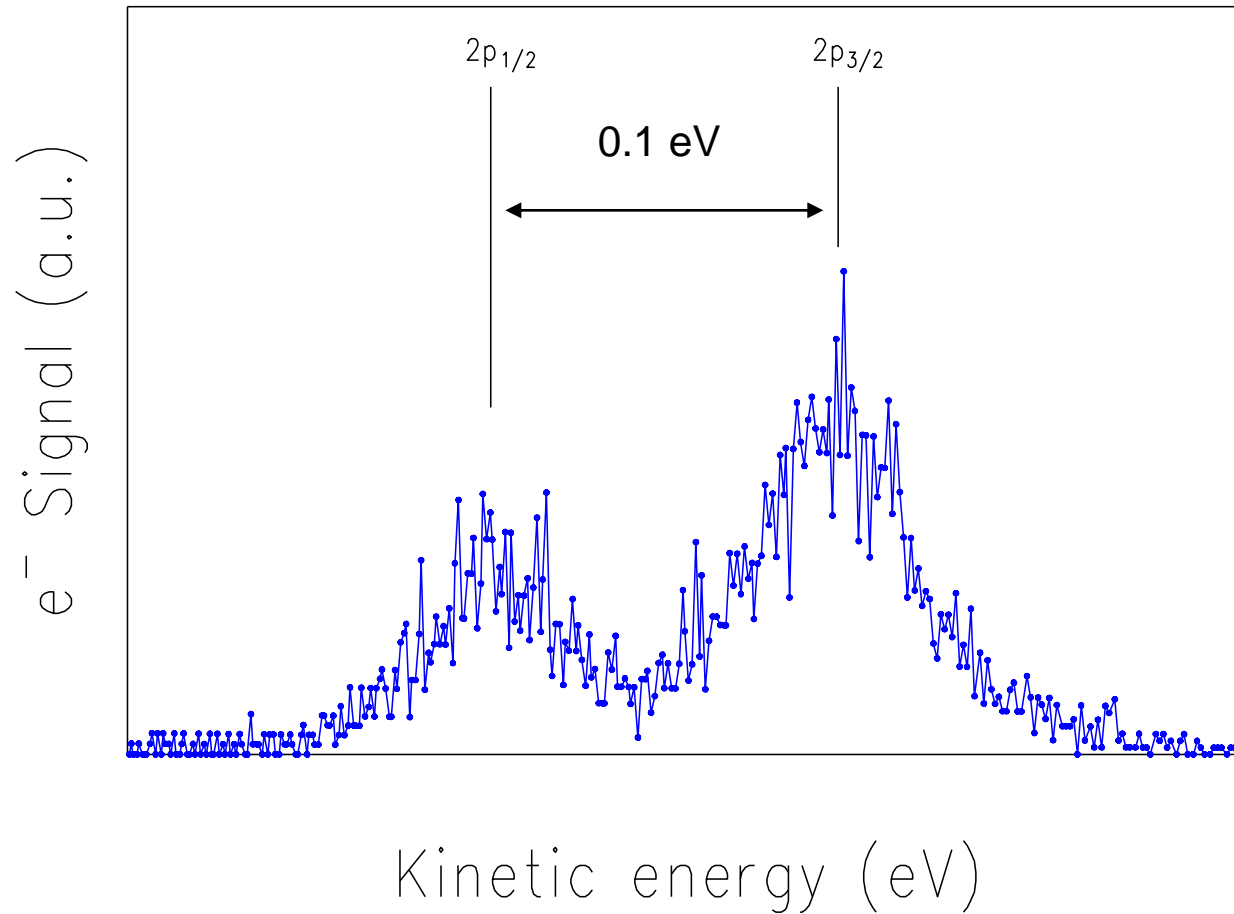
The $2p_{3/2}$ level for Ne has a binding energy of 21.7 eV. The $2p_{1/2}$ binding energy is 21.6 eV.

That would make the photon energy 78 or 78.1 eV. The set photon energy was 78 eV.



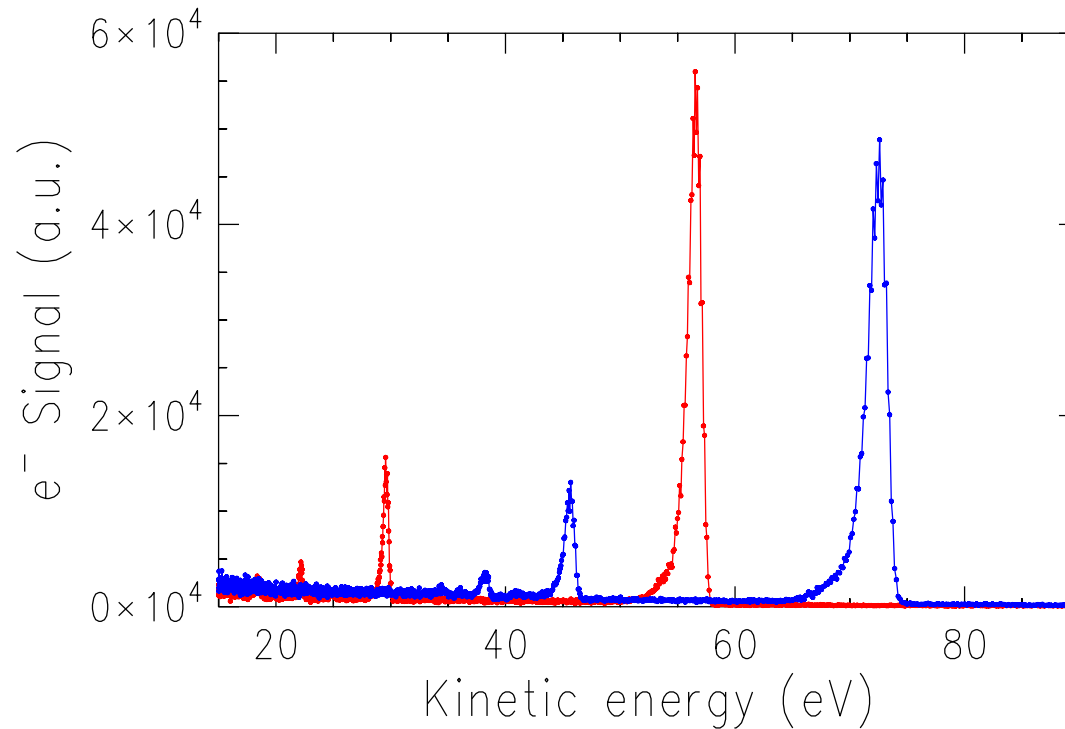
Resolving Power

Neon at 22 eV



But there's more!

What if the light has photons of more than one wavelength?



Which means we can see the contribution of higher harmonics and other effects . . .

E-TOF advantages

- > **Fast Measurement:** An electron flies fast, so you can get information about a beam pulse within nanoseconds.
- > **Wealth of Information:** It can detect all qualities of the beam, like higher harmonics, multiple wavelengths, stray light, pulse structure, etc.
- > **Accuracy:** Properly set up, the energy resolution of the eTOF can be better than 0.1 eV. The top of the line eTOFs can get down to 0.01 eV resolution.
- > **Flexibility:** The energy resolution can be controlled by adjusting the retardation potential. We can isolate just the electrons we want to see.

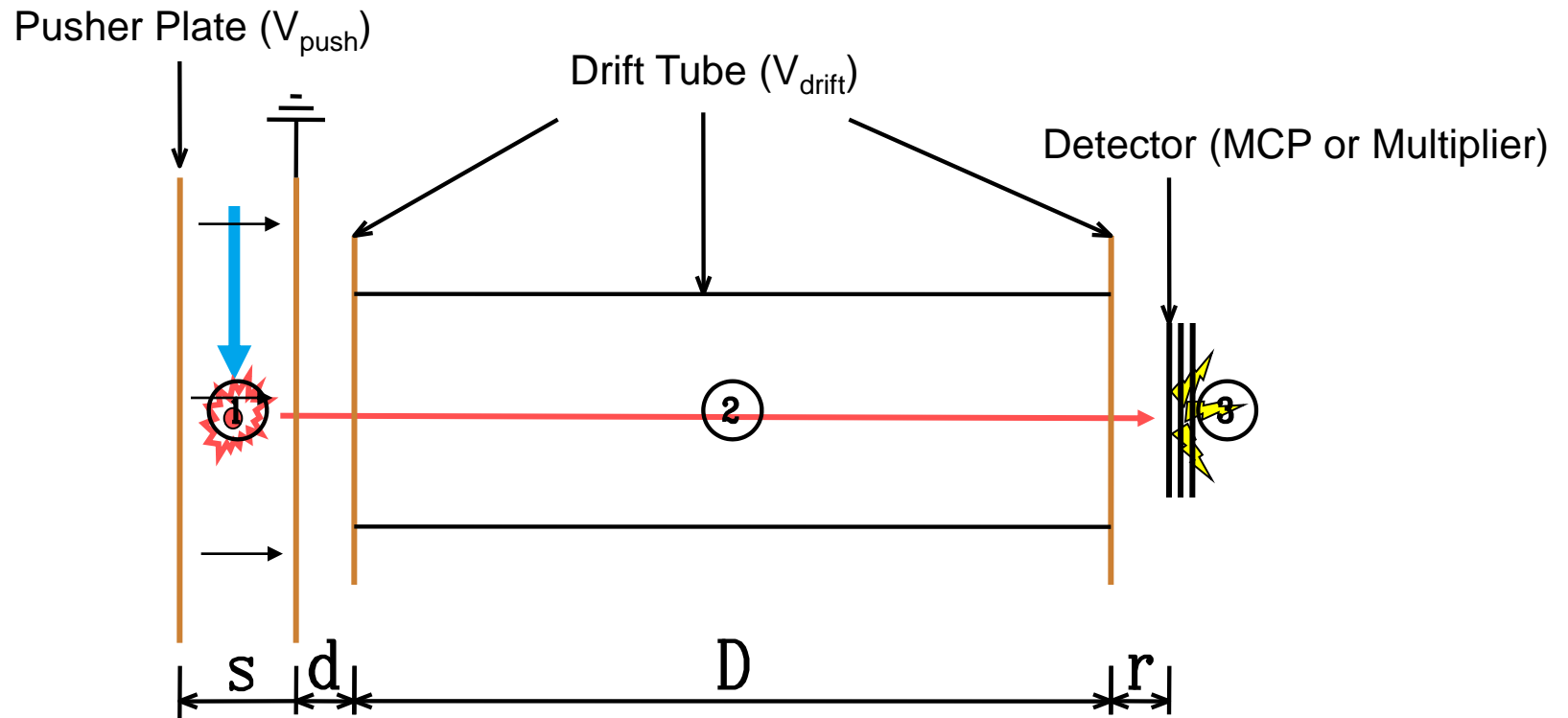


Things to Watch Out For the eTOF

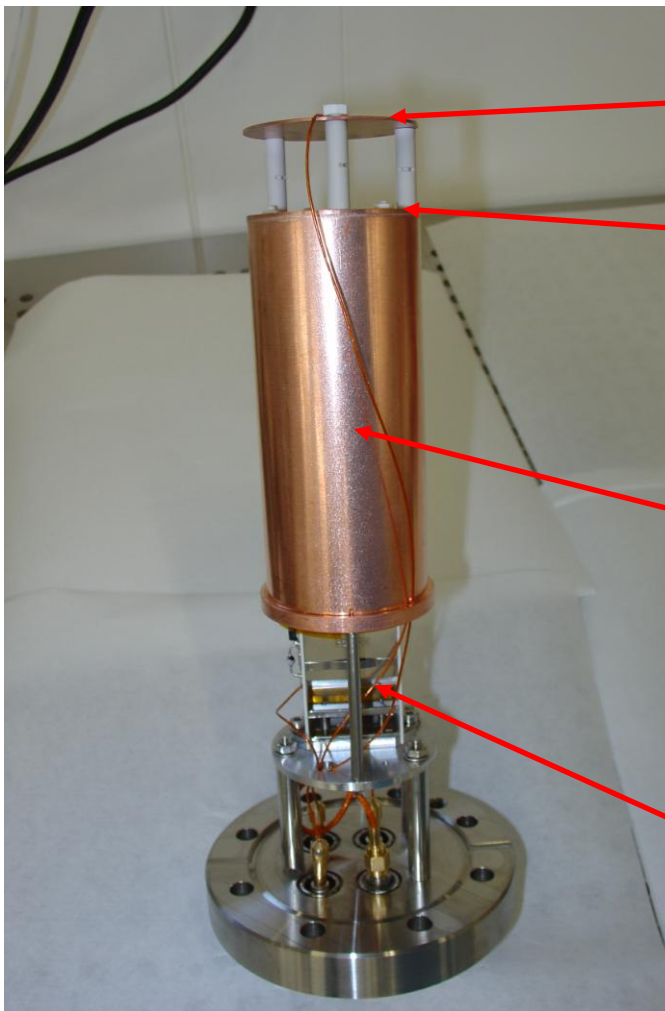
- > Stray magnetic fields (can be a problem near undulators).
 - Solved with μ -metal shielding or Helmholtz coils.
- > Stray electric fields.
 - Solved with a Faraday cage (the chamber).
- > Anything that can impact the electron flight time to give you a wrong time-of-flight reading (off-center beam, shifting beam, motion of the chamber, etc).
 - Just be careful and make sure you keep track of all parameters!



The Ion TOF



The Outside View



Pusher Plate

Extractor Plate/Shield

Drift Tube (inside the shield)

Multiplier

Some Equations . . .

$$T_t = \sqrt{2m} \left(\frac{s}{\sqrt{qE_s}} + \frac{\sqrt{U_t}}{qE_d} - \frac{\sqrt{qsE_s}}{qE_d} + \frac{D}{2\sqrt{U_t}} \right)$$

$$\frac{dT}{dS} = \sqrt{\frac{m}{2}} \left(\frac{E_d - E_s}{\sqrt{qsE_sE_d}} + \frac{E_s}{\sqrt{U_tE_d}} - \frac{DqE_s}{2U_t^{\frac{3}{2}}} \right)$$

$$D = 2s_0 \left(1 - \frac{E_s}{E_d} \right) \left(1 + \frac{dE_d}{s_0E_s} \right)^{\frac{3}{2}} + 2d \left(1 + \frac{s_0E_s}{dE_d} \right)$$

$$\Delta T_\theta = \frac{2v_0m}{qE_s} = \frac{2\sqrt{2mU_0}}{qE_s}$$

$$\Delta T_{\Delta s} = \sum_{n=1}^{\infty} = \left(\frac{d^n T}{ds^n}(s) \right)_{s_0} (\Delta s)^n$$

$$T_{m+1} - T_m = \left(\sqrt{1 + \frac{1}{m}} - 1 \right) T_m \approx \frac{T_m}{2m}$$

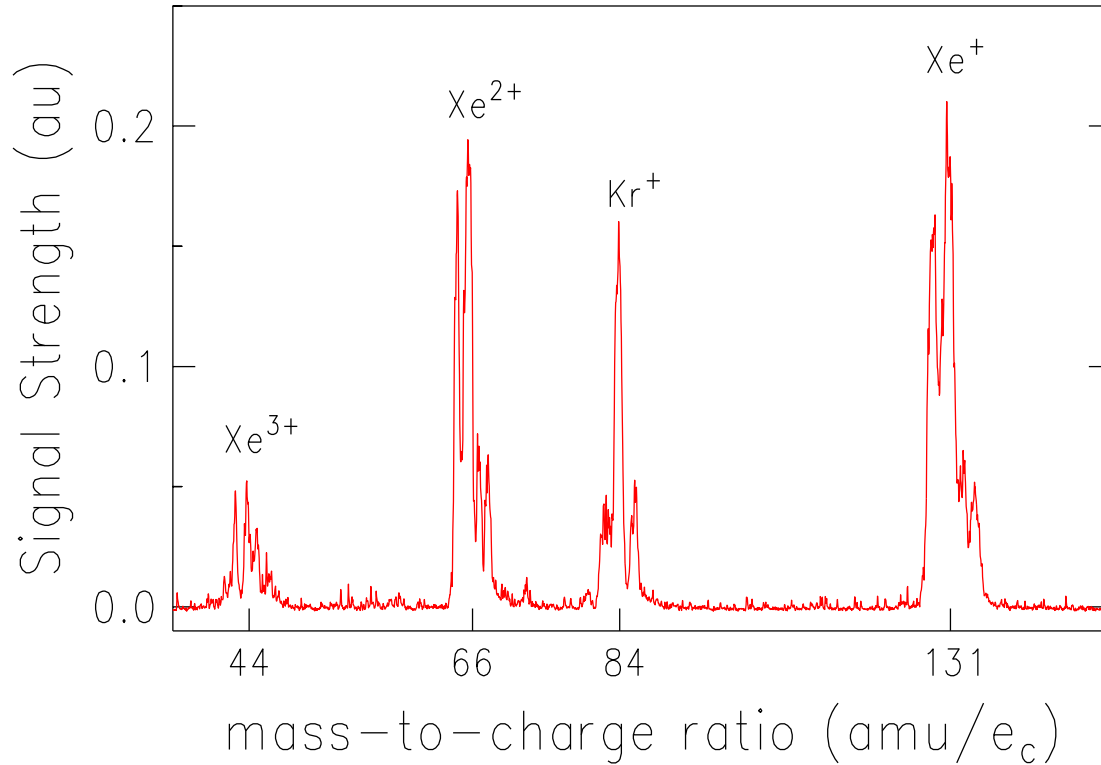
$$M_\theta = \sqrt{\frac{U_t}{U_0}} \frac{1}{\sqrt{1 + \frac{E_d}{s_0E_s}}} \left(1 + \frac{E_s}{E_d} + 3 \frac{E_s}{E_d} \sqrt{1 + \frac{dE_d}{s_0E_s}} \right) + 2 \left(1 + \frac{dE_d}{sE_s} \right) \left(1 - \frac{E_s}{E_d} \right)$$

$$\frac{1}{\frac{1}{M_s} + \frac{1}{M_\theta}} \leq M \leq \max(M_s, M_\theta)$$

The field ratio lets us control the resolution of the I-TOF



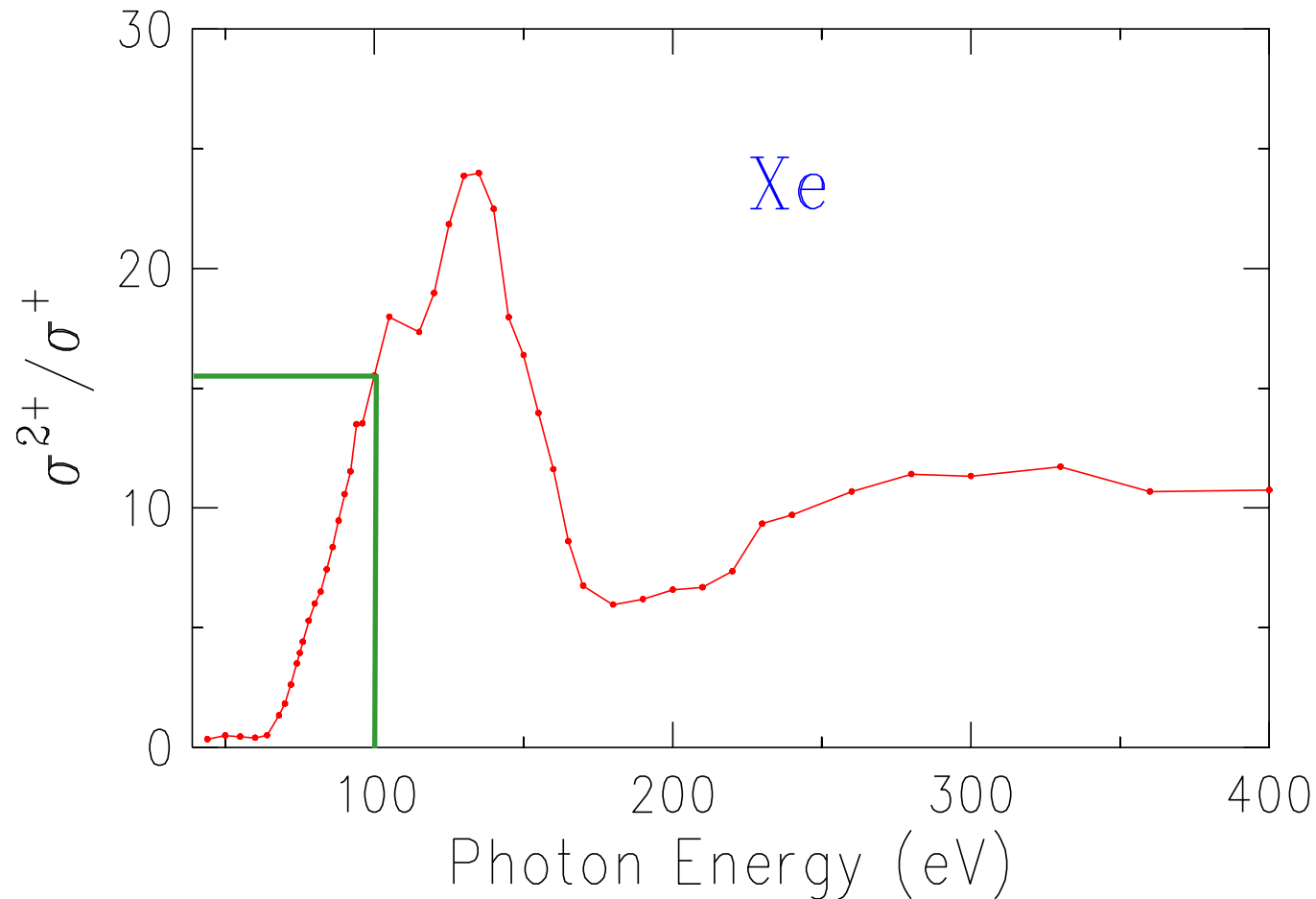
Well-Resolved I-TOF Spectra



Isotope	Atomic mass (m _a /u)	Natural abundance (atom %)
¹²⁴ Xe	123.9058942 (22)	0.09 (1)
¹²⁶ Xe	125.904281 (8)	0.09 (1)
¹²⁸ Xe	127.9035312 (17)	1.92 (3)
¹²⁹ Xe	128.9047801 (21)	26.44 (24)
¹³⁰ Xe	129.9035094 (17)	4.08 (2)
¹³¹ Xe	130.905072 (5)	21.18 (3)
¹³² Xe	131.904144 (5)	26.89 (6)
¹³⁴ Xe	133.905395 (8)	10.44 (10)
¹³⁶ Xe	135.907214 (8)	8.87 (16)



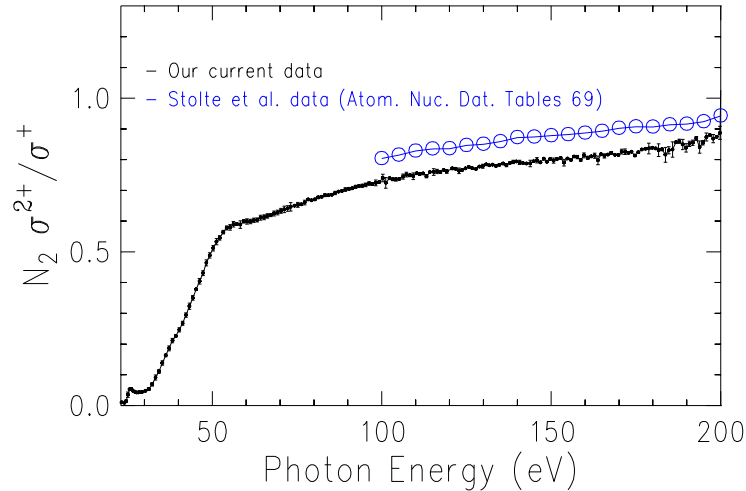
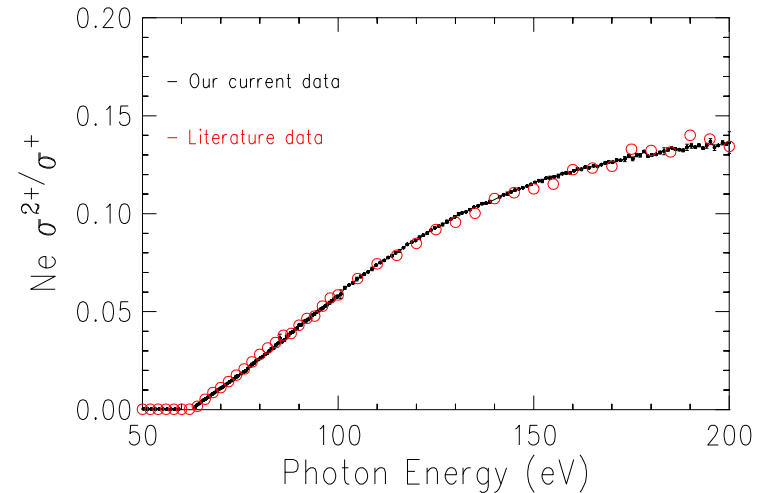
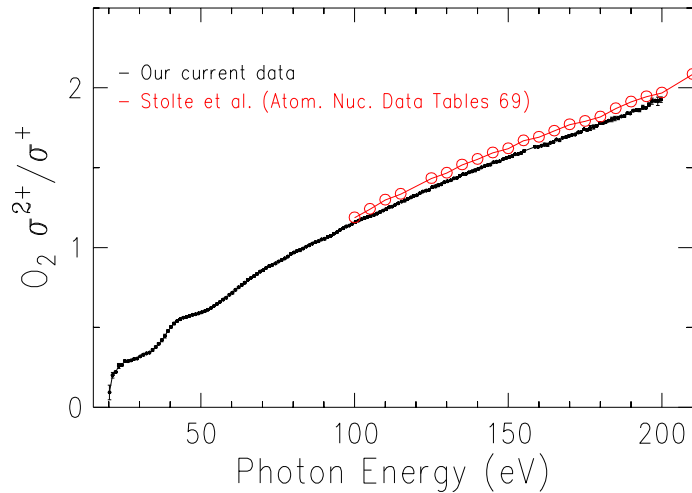
From the Spectra, Ratios



We must be at 100 eV photon energy! But it could also be 170 eV. . .



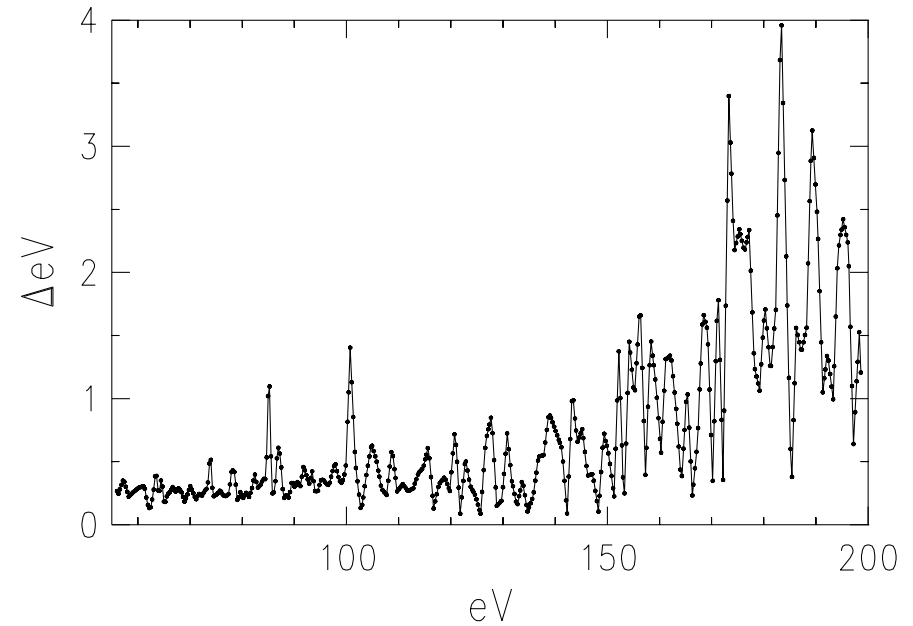
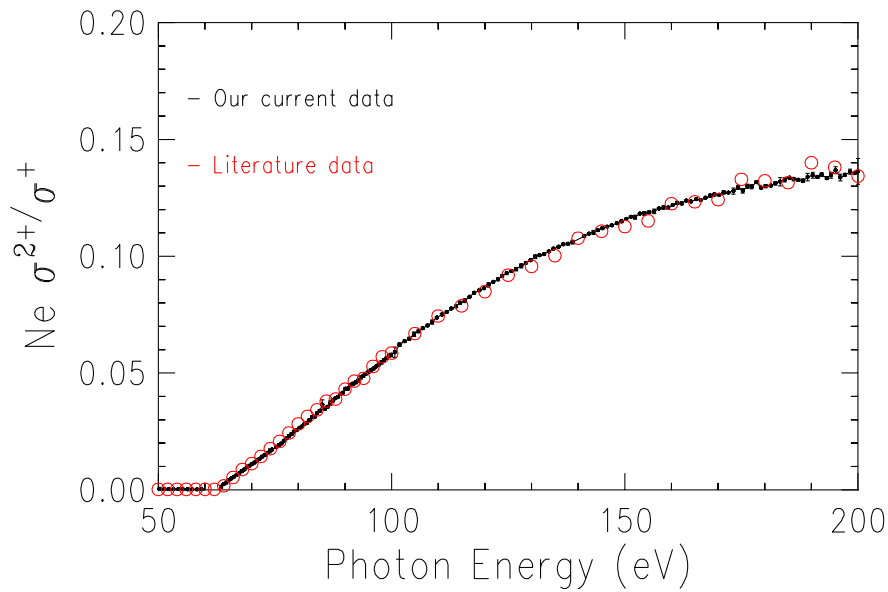
Other Gases



- Small Error Bars
- Lots of Literature Data
- Lots of Signal!



Uncertainty



Steep slopes are good! Oxygen looks particularly nice . . .

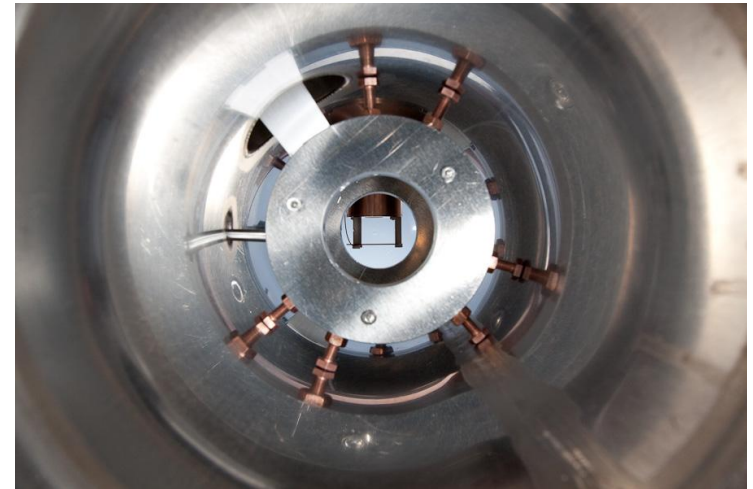
I-TOF Advantages

- > **Great signal:** Since you get all the ions created in the interaction region, it means you get a lot of information.
- > **Simple to use:** Once the potentials are set, the i-TOF will work for everything at every photon energy.
- > **Good Resolution:** The i-TOF spectra can easily resolve isotopes, and the accuracy of their photon energy measurement can be better than 0.5% (depending on the target gas used).



Possible I-TOF Problems

- Multi-Photon Ionizations (we want single-photon)
 - Solved by installing the spectrometer out of focus, in the single-photon regime.
- Slow (hundreds of nanoseconds is the best you can expect).
- Not much else, really. It is quite nice.



A Final Comparison (for FLASH)

	E-TOF	I-TOF
Speed of measurement	Nanoseconds	Hundreds of nanoseconds to microseconds
Uncertainty of “center” photon energy measurement	0.1 to 0.05 eV	0.7 eV to 0.3 eV
Expected “bonus” information	Can see the whole spectral distribution of the pulse and higher harmonics of a pulse	Can see the average photon energy
Robustness	Sensitive to electric and magnetic fields, beam stability	Like a rock



Conclusion

- > The GMD's can be used to reliably measure the FEL photon flux.
- > The time-of-flight spectrometers can be used to figure out everything else about the beam.
- > Everything should be up and operational at FLASH by late summer of 2010.
- > Can be extended to work in harder x-ray regimes.



Acknowledgments

Many thanks to Svea Kapitzki, Ulf “Fini” Jastrow, Holger Weigelt, and all the people at FLASH, XFEL, and PTB who contributed to these projects in any way. You’ve helped the world see the light better!



The End



The Equation Behind the Picture

Number of particles detected (electrons or ions). Average photoionization charge needed to evaluate.

$$N_{\text{photon}} = \frac{N_{\text{particle}}}{Q.E.(\hbar\omega)} = \frac{N_{\text{particle}}}{\sigma(\hbar\omega) \cdot z \cdot \eta \cdot n \cdot a}$$

Quantum Efficiency

Cross Section

Detection Efficiency

Detector Acceptance Length

Atomic Gas Density (requires temperature info)

Detector Amplification Factor

The diagram illustrates the relationship between the number of photons detected (N_{photon}) and the number of particles detected (N_{particle}). The equation is presented in two forms: $N_{\text{photon}} = \frac{N_{\text{particle}}}{Q.E.(\hbar\omega)}$ and $N_{\text{photon}} = \frac{N_{\text{particle}}}{\sigma(\hbar\omega) \cdot z \cdot \eta \cdot n \cdot a}$. Arrows point from descriptive text to the terms in the equation: 'Quantum Efficiency' points to $Q.E.(\hbar\omega)$; 'Cross Section' points to $\sigma(\hbar\omega)$; 'Detection Efficiency' points to η ; 'Detector Acceptance Length' points to a ; 'Atomic Gas Density (requires temperature info)' points to n ; and 'Detector Amplification Factor' points to z . A separate arrow points from the text 'Number of particles detected (electrons or ions). Average photoionization charge needed to evaluate.' to the N_{particle} terms in both forms of the equation.

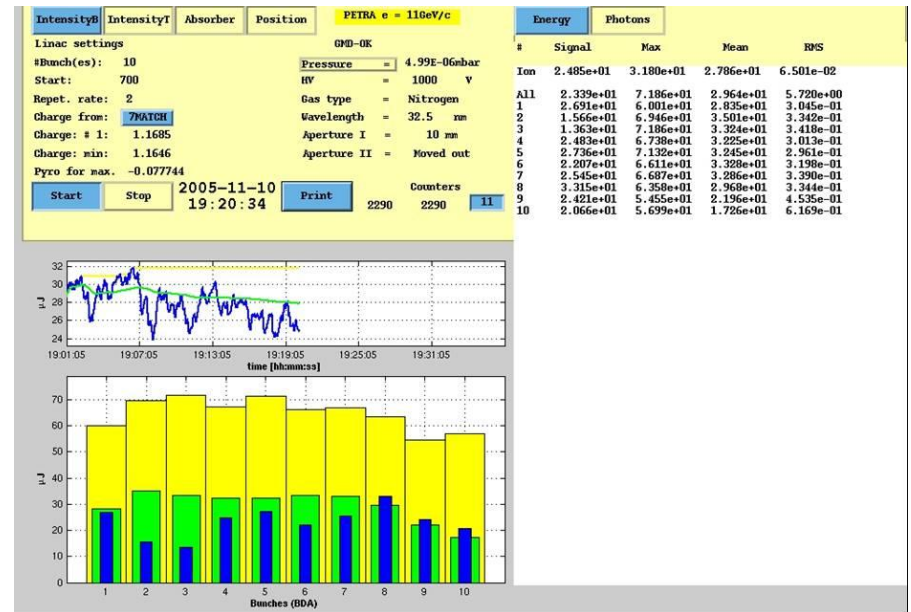
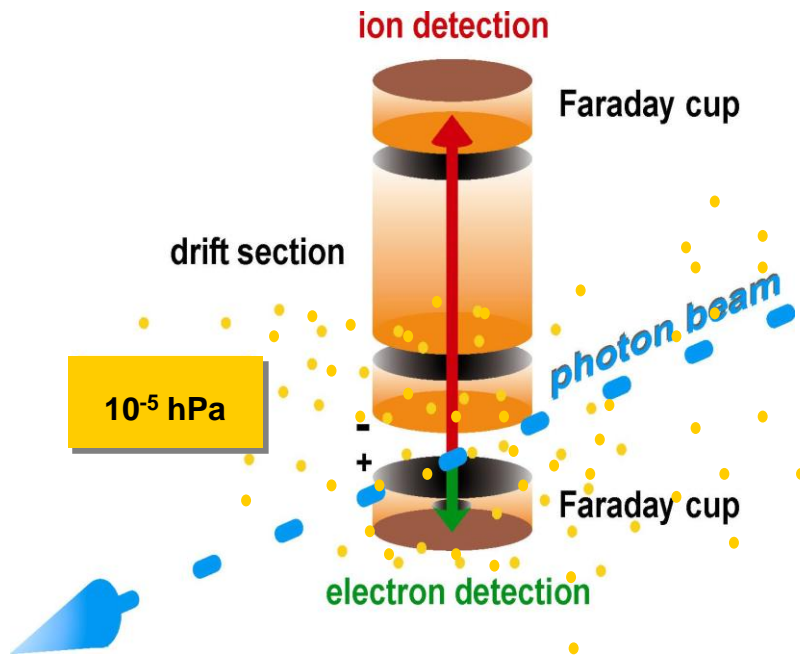


What Do You Need to Measure the Number of Photons?

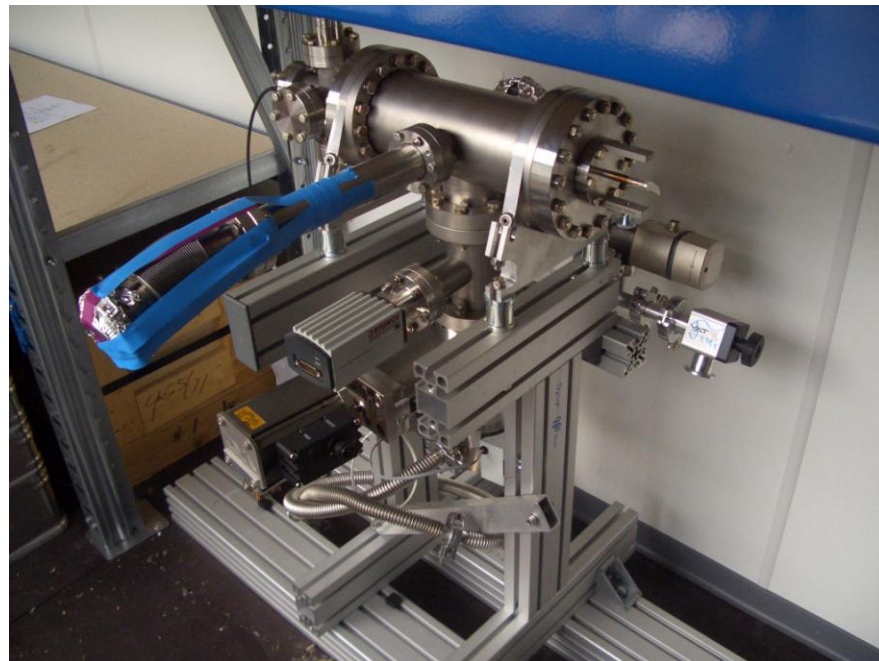
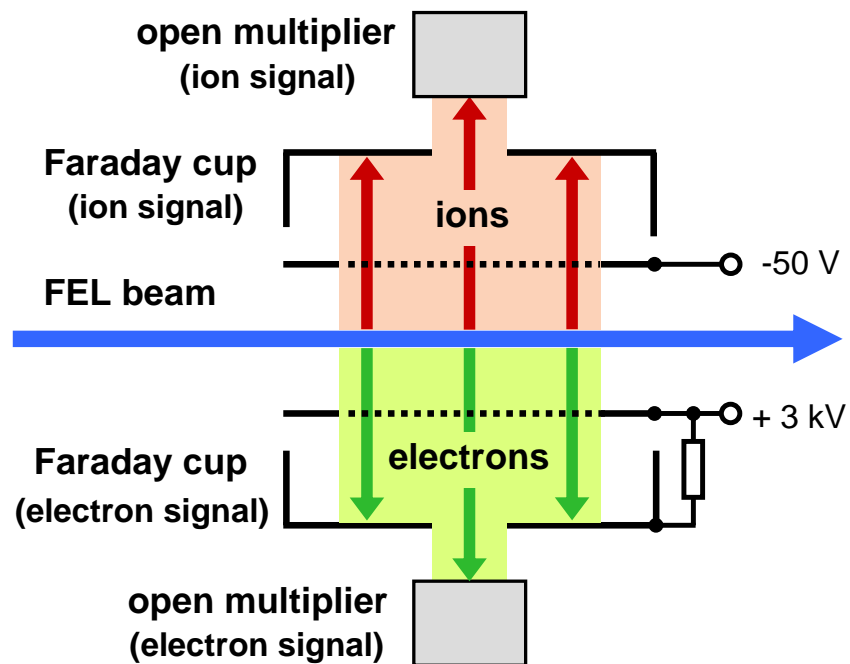
- A calibrated detector: a Faraday cup, multiplier, or multi-channel plates to record the electrons or ions that impact it.
- A way to get the electrons or ions from the interaction region to the detector (often an electric field).
- An accurate gas gauge.
- An accurate temperature gauge
- Light.
- Gas or vapor (preferably with a decent cross section).
- Cross section and average photoionization charge data for a given photon energy



Already used to measure beam intensity at FLASH



The X-ray Gas Monitor Detector (XGMD)

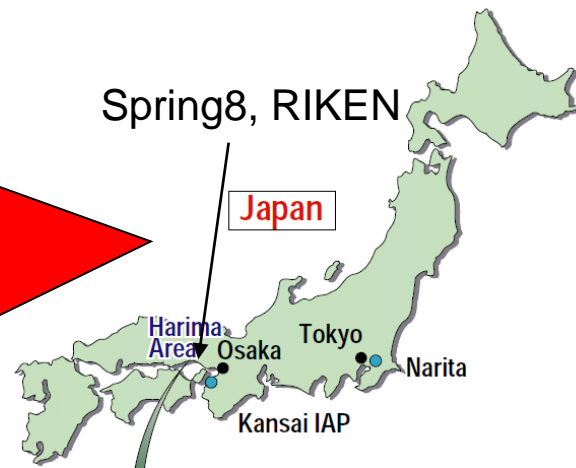


The XGMD World Tour 2009

FLASH, DESY



Spring8, RIKEN



LCLS, SLAC



Radiometric comparison for measuring the absolute radiant power of a free-electron laser in the extreme ultraviolet

Norio Saito^{1,2}, Pavle N Juranić^{2,3}, Masahiro Kato^{1,2}, Mathias Richter^{2,4}, Andrey A Sorokin^{2,3,4,5}, Kai Tiedtke^{2,3}, Ulf Jastrow³, Udo Kroth⁴, Hendrik Schöppe⁴, Mitsuru Nagasono², Makina Yabashi², Kensuke Tono², Tadashi Togashi^{2,6}, Hiroaki Kimura⁶, Haruhiko Ohashi⁶ and Tetsuya Ishikawa²

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← Spring8

LCLS →

Report on
Pulse energy monitoring of X-ray FEL beam by gas-monitor detector

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M. Richter, PTB

M. Yabashi, M. Nagasono, SPRING 8

Stefan Moeller, Jacek Krzywinski, SLAC

Stefan Hau-Riege, LLNL